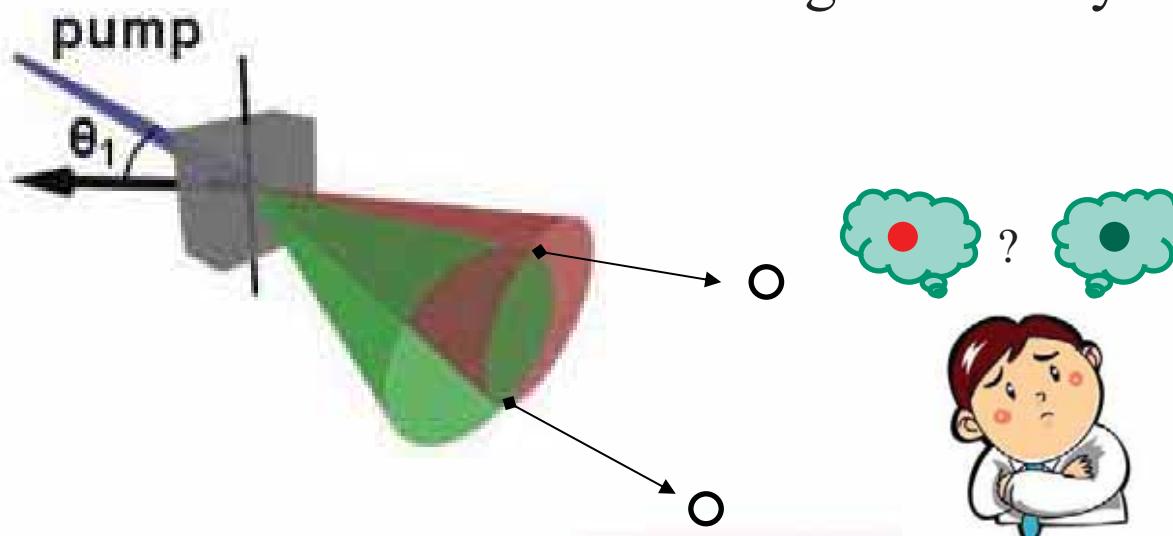


Schemes to generate entangled photon pairs via spontaneous parametric down conversion

Atsushi Yabushita

Department of Electrophysics
National Chiao-Tung University





Outline

- Introduction
 - Optical parametric processes
 - Opt. param. amplifier (OPA)
 - Spontaneous param. down conv. (SPDC)
- Application | classical
 - **Broadband generation | for short pulse**
- Application | quantum
 - Entangled photon pairs
 - Ghost imaging | wave vector
 - **Ghost spectroscopy | frequency**
 - Quantum key distribution (QKD) | polarization
 - **Multiplex QKD | polarization and frequency**
 - **Entangled photon beam**
- Conclusion





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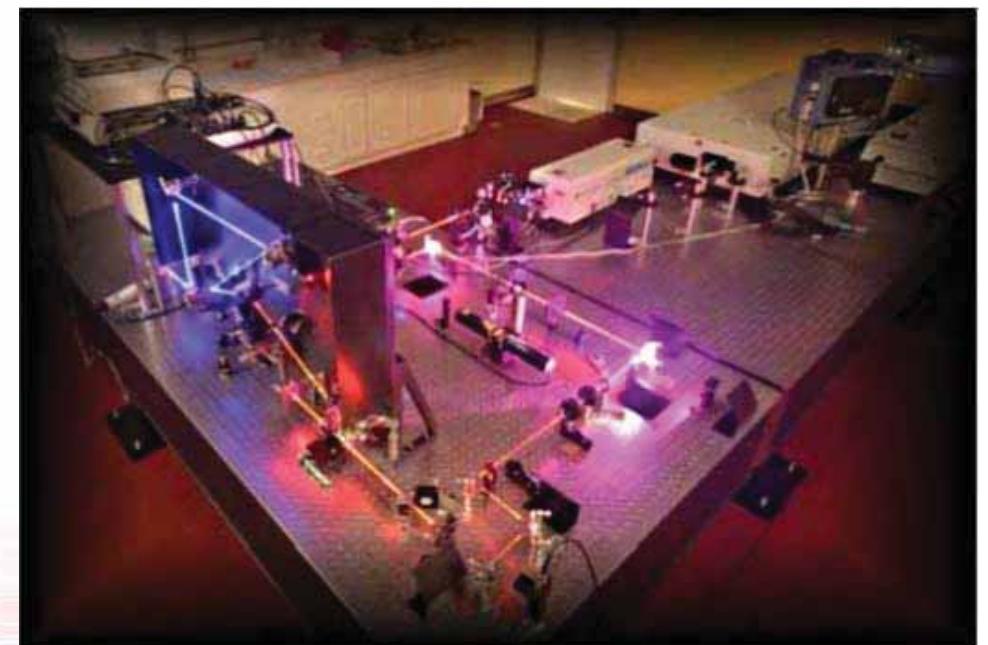
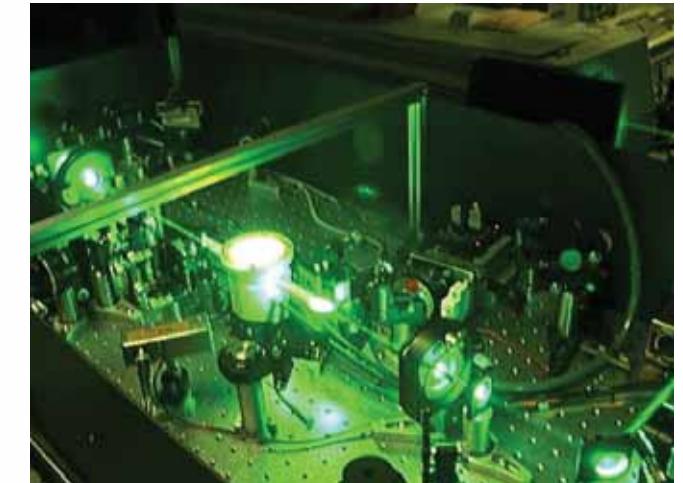
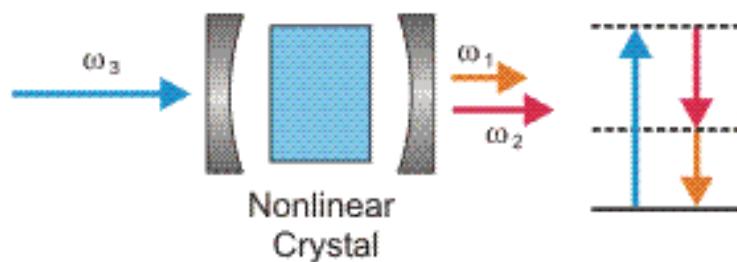


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Outline

- Introduction | OPA and SPDC
 - Light is ...
 - Light-matter interaction
 - Frequency conversion
 - SHG and SPDC
 - SPDC \leftrightarrow OPA
 - OPA is ...?
 - Why OPA?
 - Why SPDC?

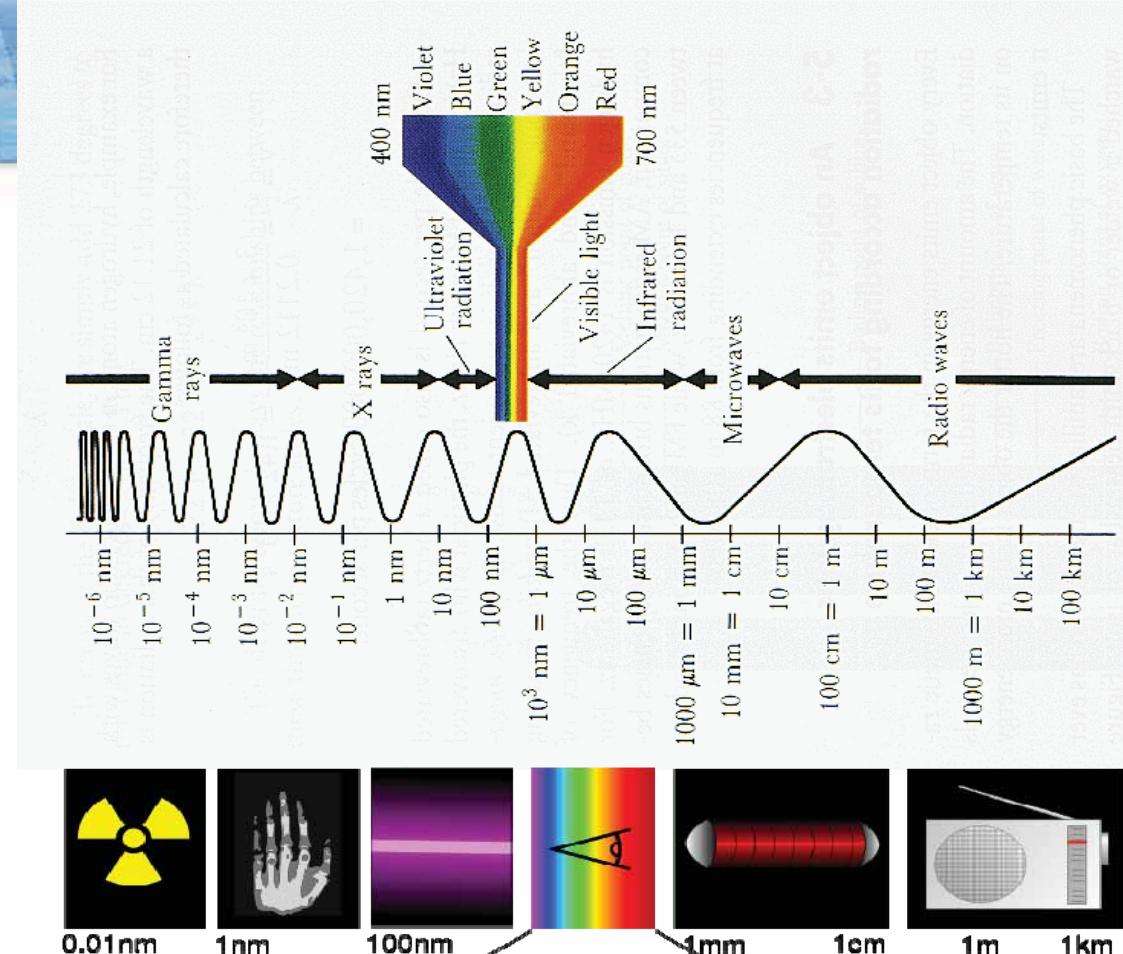




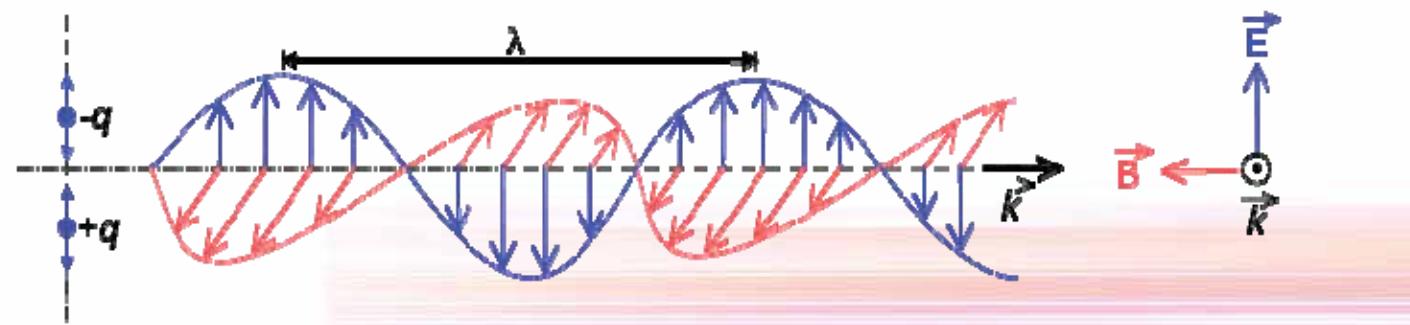
Introduction

Light

gamma-ray
X-ray
Ultraviolet
visible
infrared
radio wave



=> Electro-magnetic wave

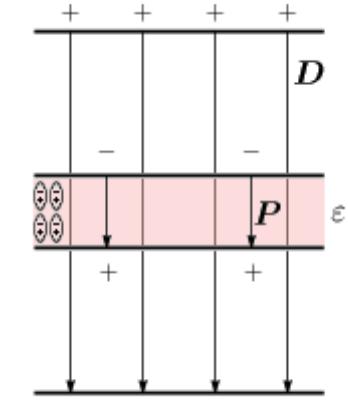




Introduction

Light-matter interaction

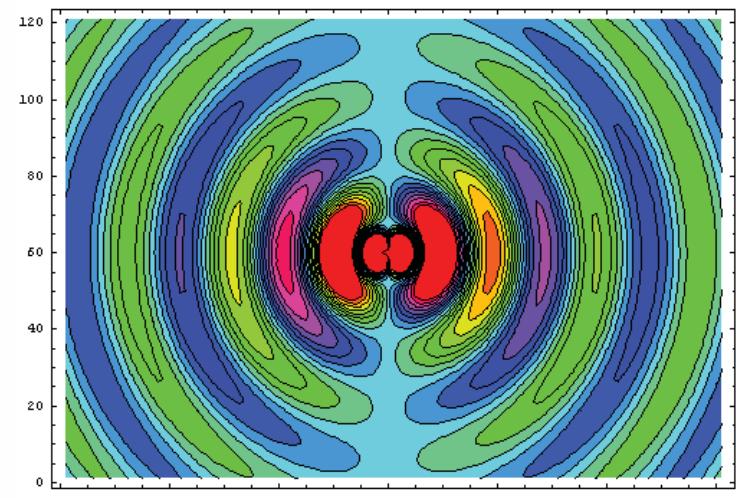
Electric field make dielectric polarization



$$P = \epsilon_0 (\chi^{(1)} E + \chi^{(2)} EE + \chi^{(3)} EEE \dots)$$

Emission from dipole
oscillating in vertical direction
 $E : \exp(-i\omega t)$
 $E^*E : \exp(-i2\omega t)$

Second harmonic generation (SHG)
using a *non-linear* crystal
within some limitation from physical law...

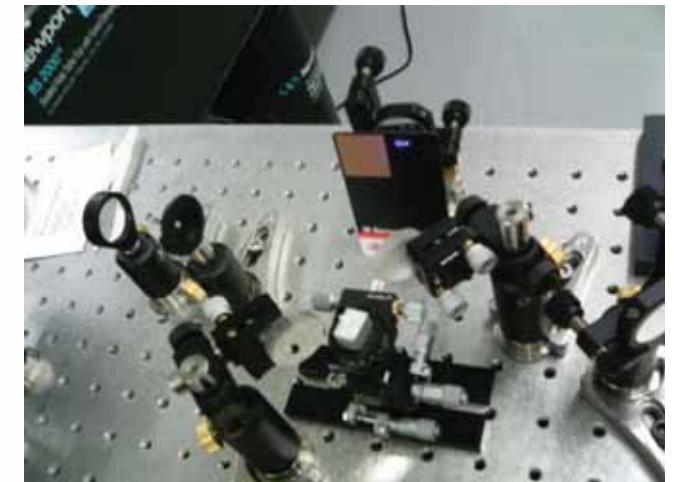
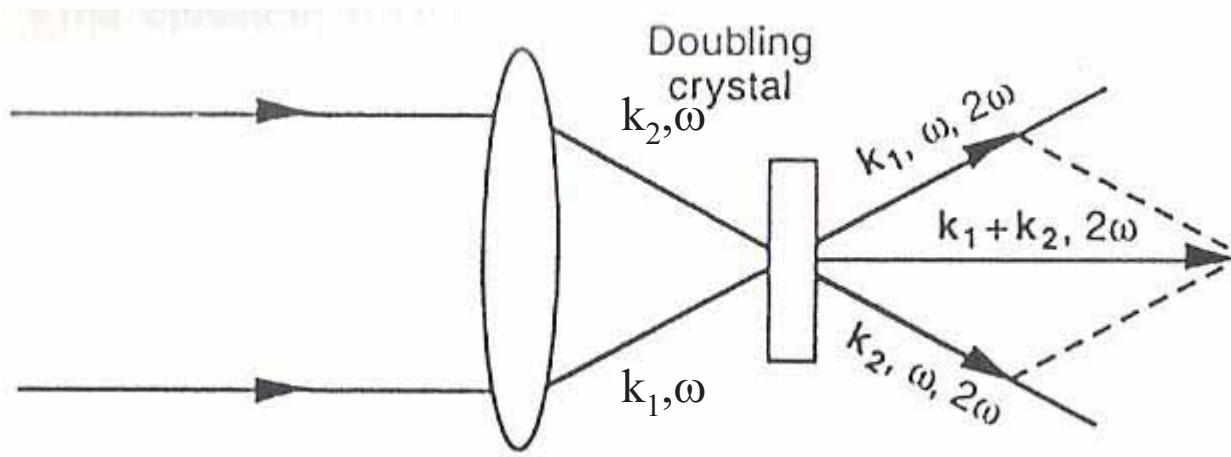




BBO crystal
 $\beta\text{-BaB}_2\text{O}_4$

Introduction

energy / momentum conservation in frequency mixing



$$\hbar\omega_{SHG1} = \hbar\omega_1 + \hbar\omega_1 \quad \mathbf{k}_{SHG1} = \mathbf{k}_1 + \mathbf{k}_1$$

$$\hbar\omega_{SHG2} = \hbar\omega_2 + \hbar\omega_2 \quad \mathbf{k}_{SHG2} = \mathbf{k}_2 + \mathbf{k}_2$$

$$\hbar\omega_{SFG} = \hbar\omega_1 + \hbar\omega_2 \quad \mathbf{k}_{SFG} = \mathbf{k}_1 + \mathbf{k}_2$$



Introduction

SHG (second harmonic generation)

$$\omega \rightarrow 2\omega$$



Reversible? YES!

Reverse process

spontaneous parametric down conversion (SPDC)



occur by itself

$$2\omega \Rightarrow \omega + \omega$$

$$2\omega \Rightarrow 0.8\omega + 1.2\omega$$



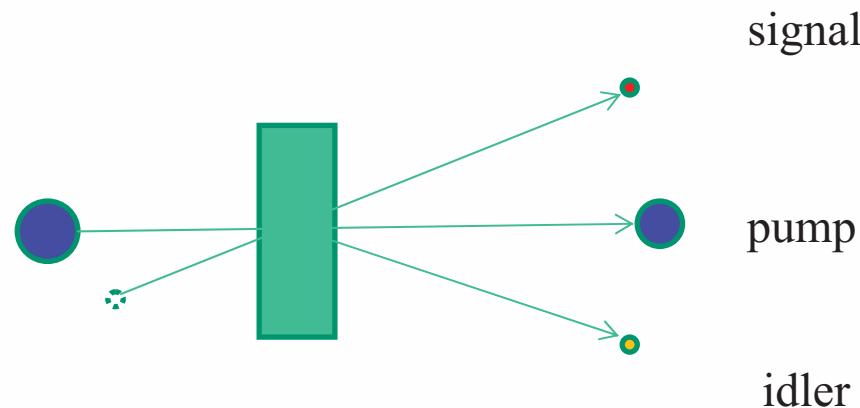
$$2\omega \Rightarrow \omega + \omega$$



Introduction

How does SPDC occur?

similar as OPA (optical parametric amplification)



process | difference frequency generation

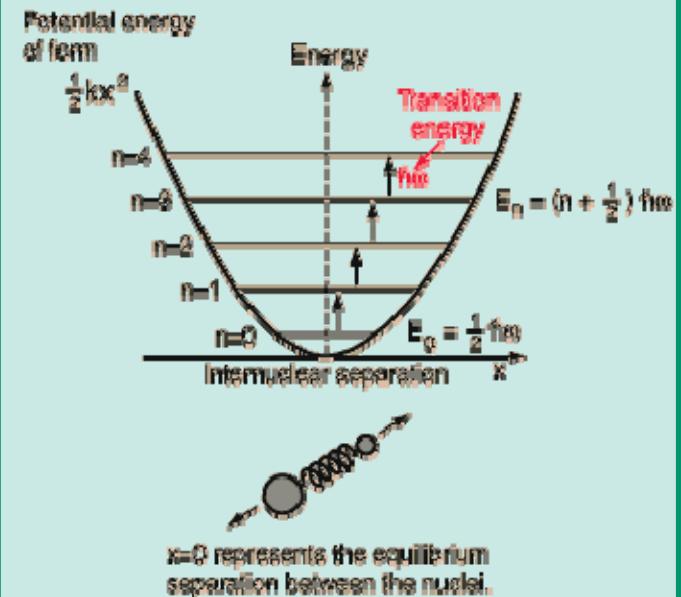
$$h\nu_{\text{pump}} - h\nu_{\text{signal}} = h\nu_{\text{idler}}$$

Energy conservation

$$h\nu_{\text{pump}} = h\nu_{\text{signal}} + h\nu_{\text{idler}}$$

#signal = #idler

SPDC starts with vacuum noise
(no seed for signal)



quite low efficiency $\sim 10^{-10}$



Introduction

Why SPDC? low conversion efficiency

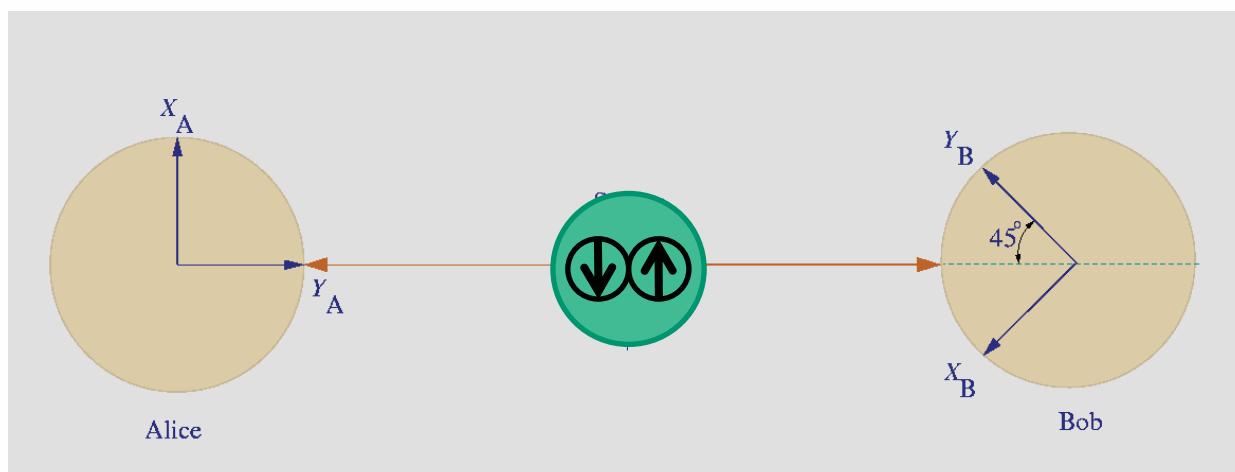
interesting character of **entanglement**

never broken security | quantum communication

easy to transfer | *via* optical fiber

Other method?

singlet (a pair of spin $\frac{1}{2}$ particle)

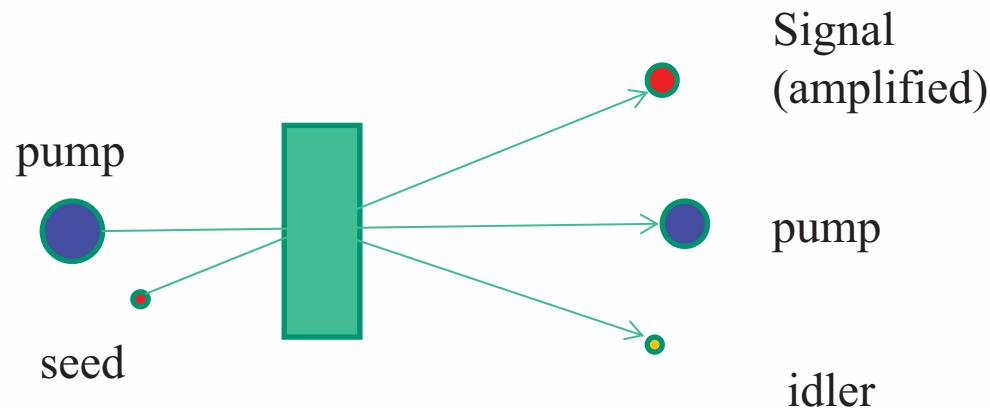


Introduction

OPA (optical parametric amplification)

...what is OPA?

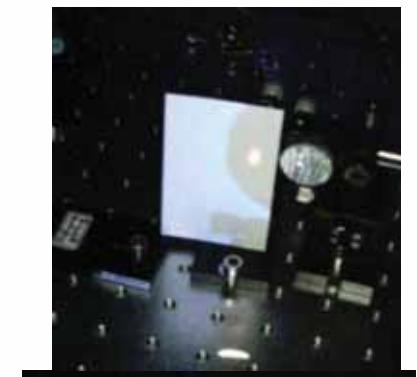
similar as SPDC, much higher efficiency



seed | w/o amp



signal | amplified

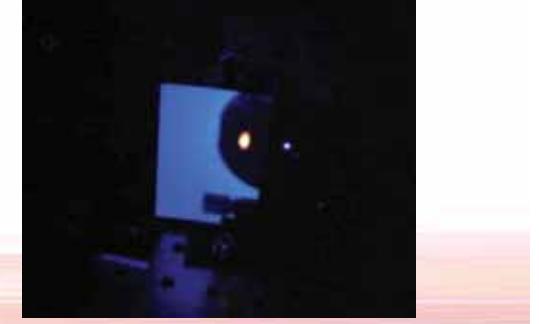


process | difference frequency generation

$$h\nu_{\text{pump}} - h\nu_{\text{signal}} = h\nu_{\text{idler}}$$

Energy conservation

$$h\nu_{\text{pump}} = h\nu_{\text{signal}} + h\nu_{\text{idler}}$$





Introduction

Why OPA? complicated setup

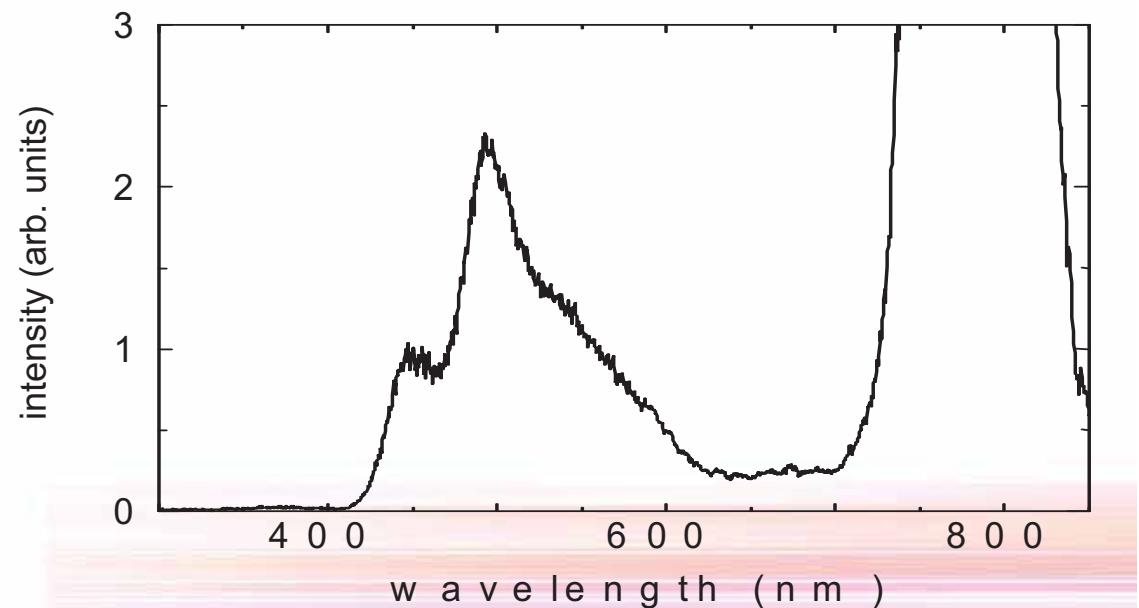
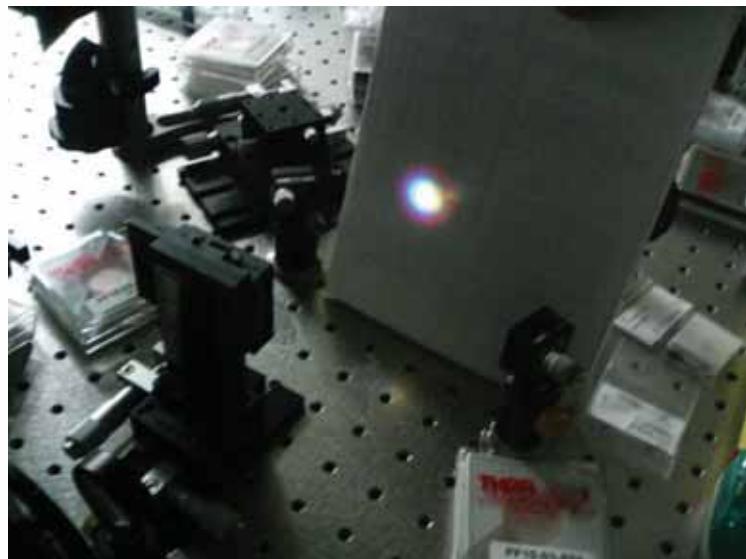
intense laser at different wavelength

non-linear spectroscopy in UV/visible/IR...

(ultrafast spectroscopy, Raman for vibration study, ...)

Other method?

self phase modulation (SPM) | low efficiency





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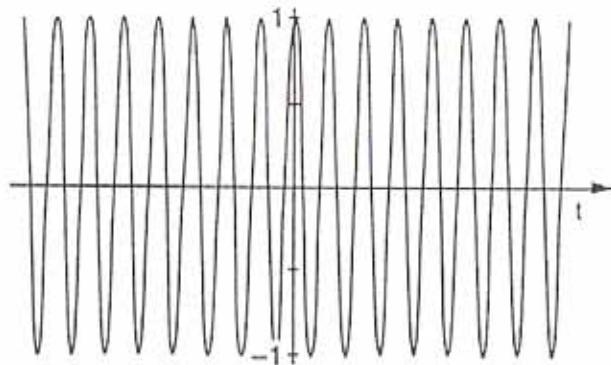




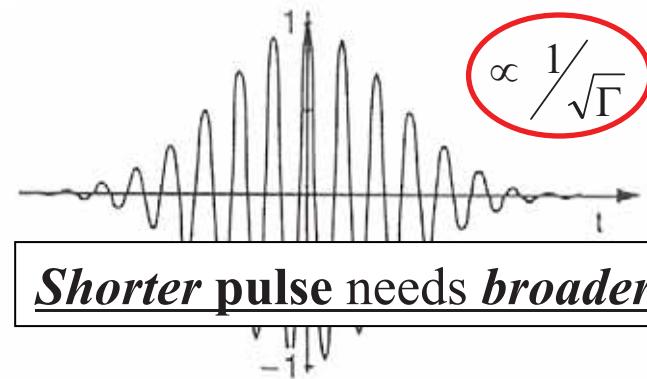
Application | classical

Broadband generation | for short pulse

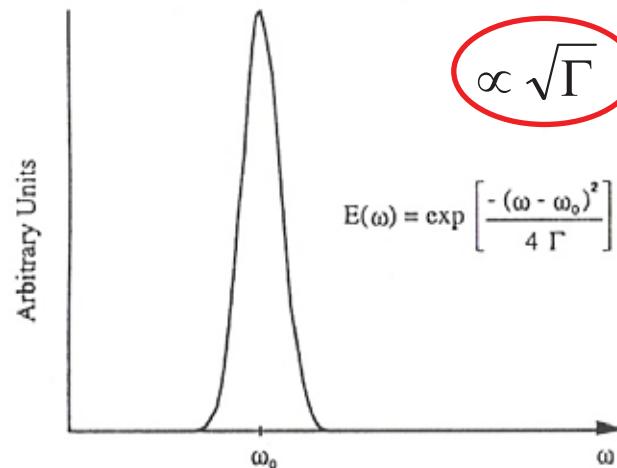
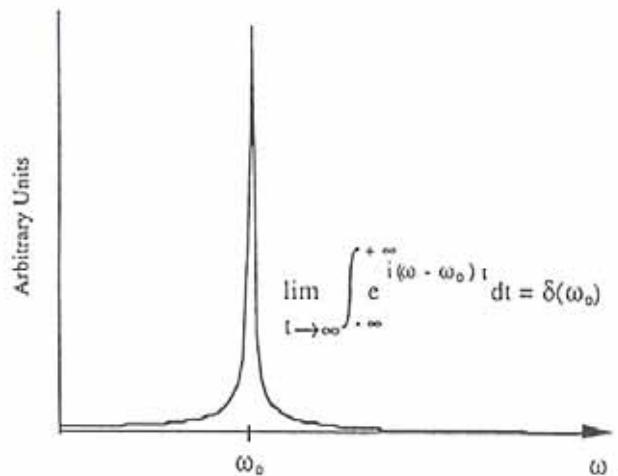
$$E_y = \operatorname{Re} (E_0 e^{i\omega_0 t})$$



$$E_y = \operatorname{Re} (E_0 e^{(-\Gamma t^2 + i\omega_0 t)})$$



Shorter pulse needs broader spectrum

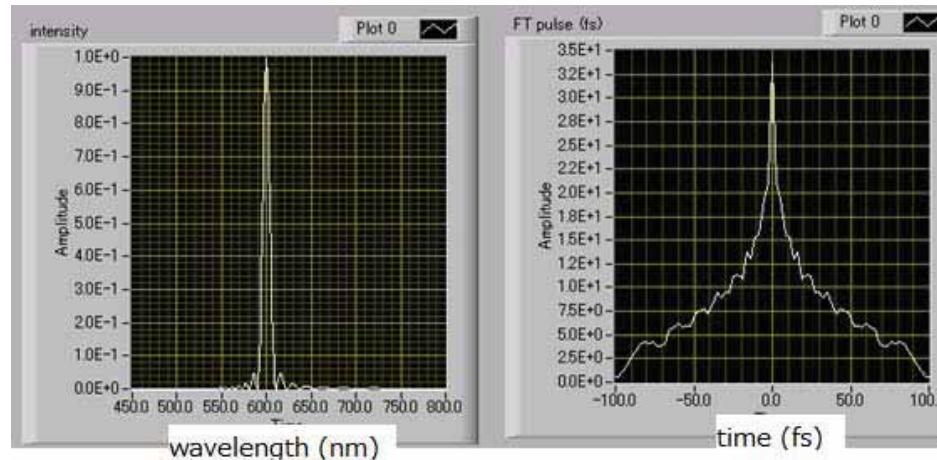




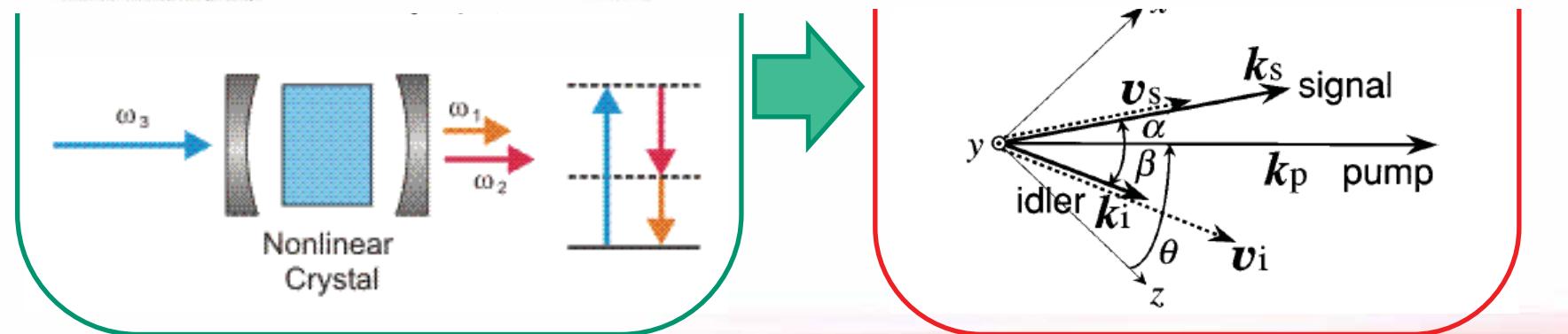
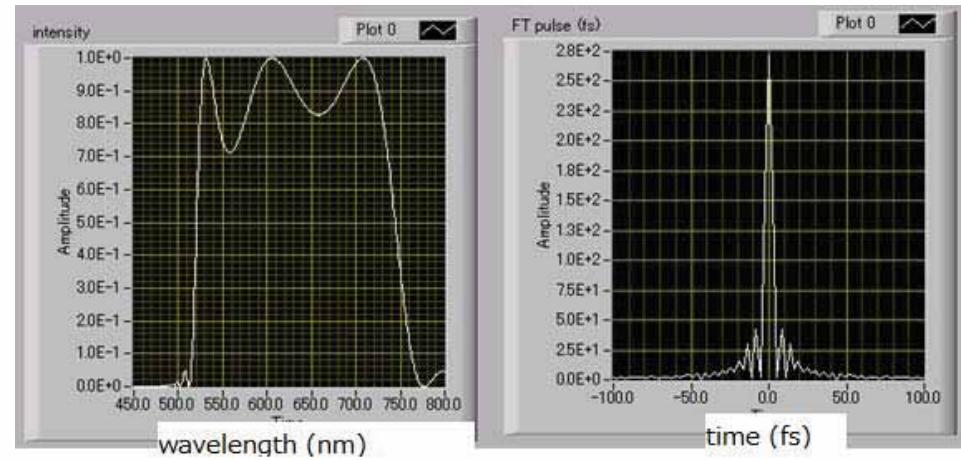
Application | classical

Broadband generation | for short pulse

Optical parametric amplifier (OPA)

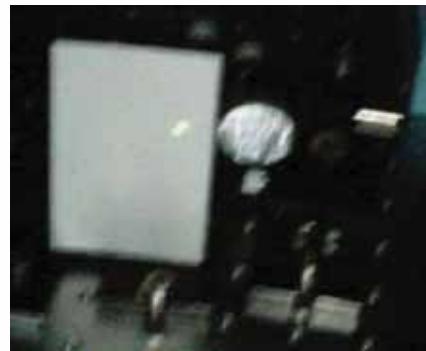


Non-collinear OPA (NOPA)

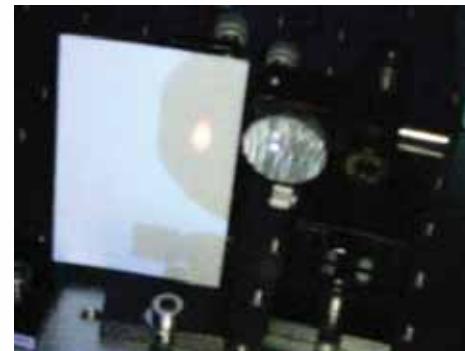


Application | classical

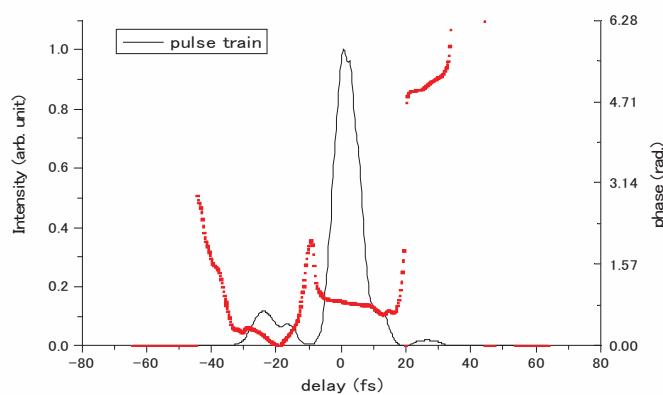
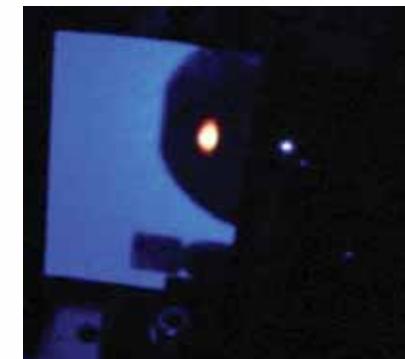
Broadband generation | for short pulse



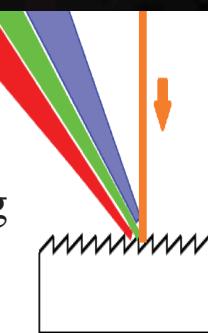
WLC
pulse width= \sim 9fs



OPA (OPG with WLC)



Spectrum diffracted by grating
Visible broadband





Outline

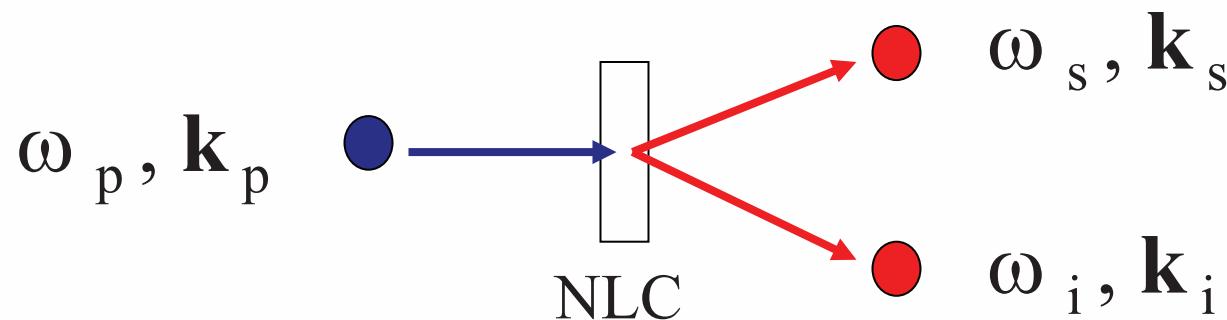
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Application | quantum

SPDC generates photon pairs (low efficiency)



correlated parameters

(1) wave vector : $k_p = k_s + k_i$

(2) frequency : $\omega_p = \omega_s + \omega_i$

(3) polarization :
$$\frac{1}{\sqrt{2}} [|H\rangle_s |V\rangle_i + |V\rangle_s |H\rangle_i]$$

(in case of Type-II crystal)

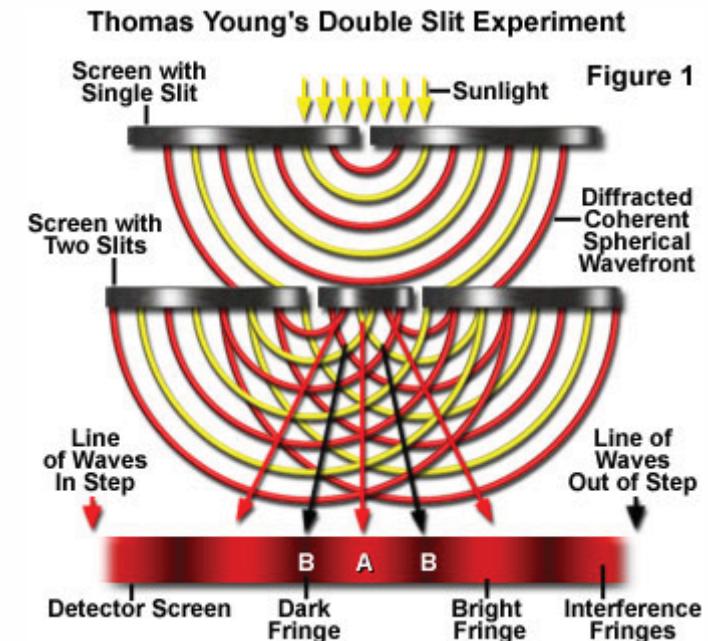


Application | quantum

So, what is *entanglement*?

Let's remind "Young's double slit"
photon comes one by one
if you block one of the slits...

Interference only in unknown case
path entanglement



Interference of "probability", "wavefunction"
different from statistics of classical phenomena=**quantum**

Are there any other entanglements?

Yes, we will see them in the following pages!



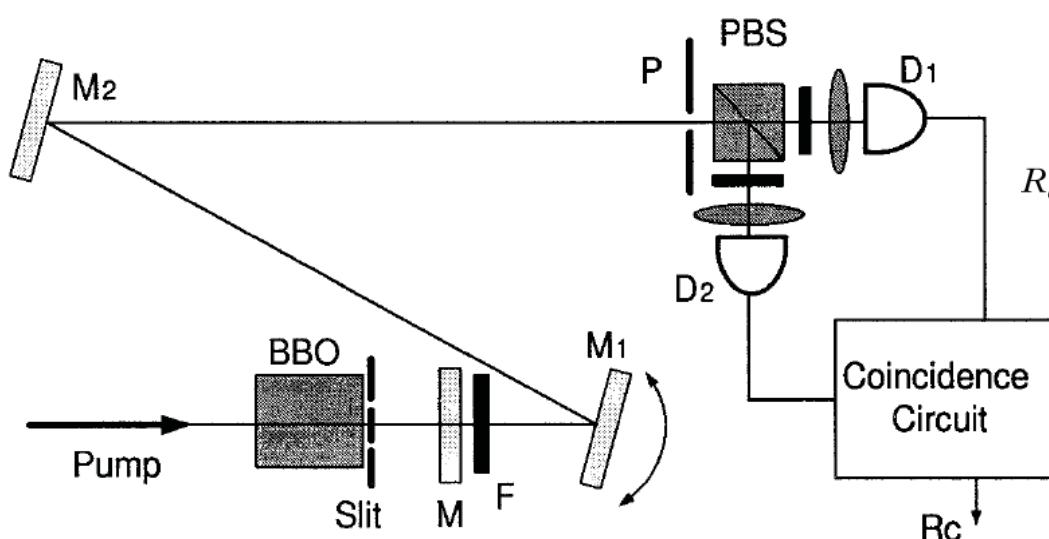
Application | quantum

Y. Shih, J. Mod. Opt. 49, 2275 (2002)

quantum lithography | wave vector

better resolution (than classical limit) $\sim \lambda_p = \lambda / 2$

Schematic set-up



$$E_1^{(+)} = a_s \exp(ik r_{A1}) + b_s \exp(ik r_{B1})$$

$$E_2^{(+)} = a_i \exp(ik r_{A2}) + b_i \exp(ik r_{B2})$$

$$R_c \propto P_{12} = \epsilon^2 |\exp(ik r_A + i\varphi_A) + \exp(ik r_B + i\varphi_B)|^2 \\ \propto 1 + \cos[k(r_A - r_B)]$$

$$R_c(x) \propto \text{sinc}^2[(2\pi a/\lambda)\theta] \cos^2[(2\pi b/\lambda)\theta]$$

half!

(Young's : $\cos^2[(2\pi b/2\lambda)\theta]$)

“SPDC photon pairs” v.s. “classical light”

Experimental result (quantum lithograph)

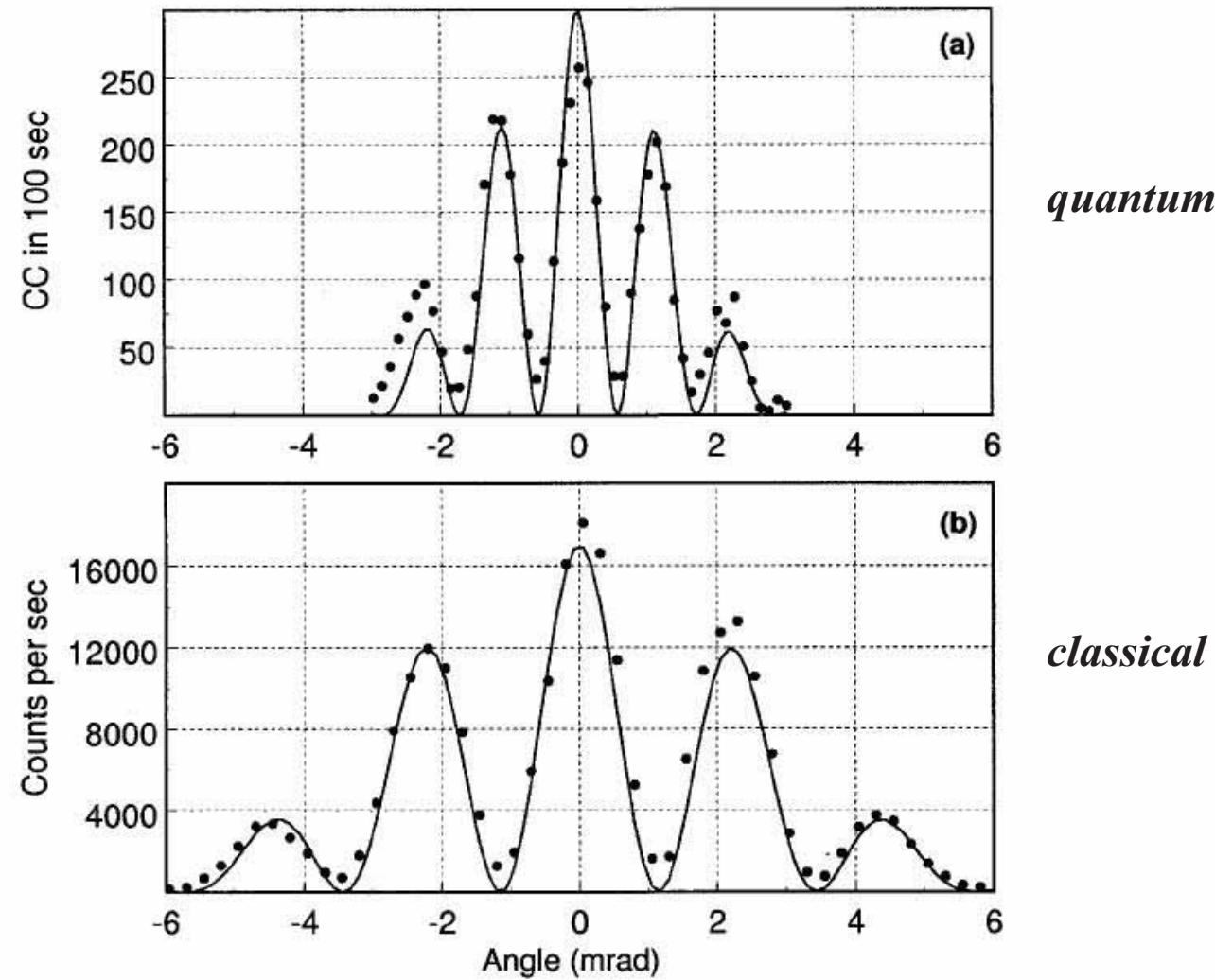
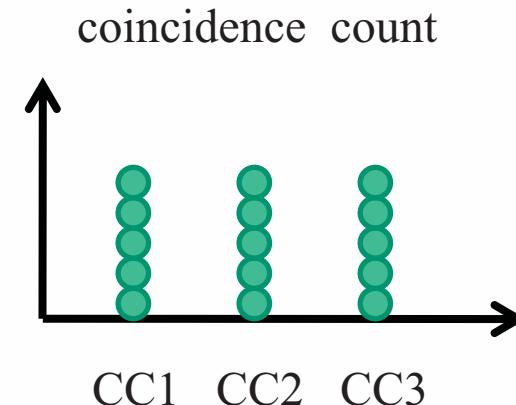
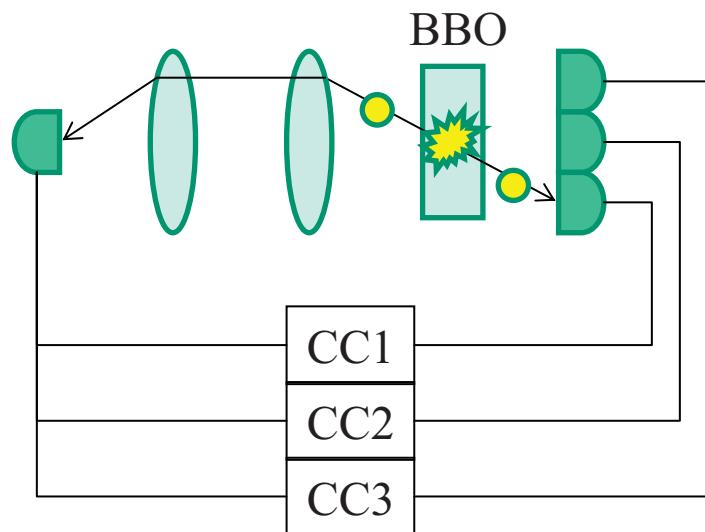


Figure 8. (a) Experimental measurement of the coincidences for the two-photon double-slit interference-diffraction pattern. (b) Measurement of the interference-diffraction pattern for classical light in the same experimental setup. With respect to the classical case, the two-photon pattern has a faster spatial interference modulation and a narrower diffraction pattern width, by a factor of 2.



Application | quantum

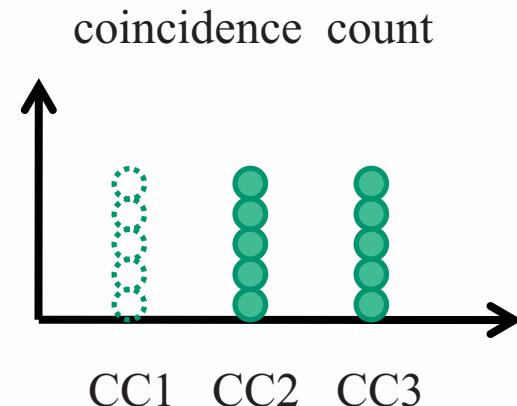
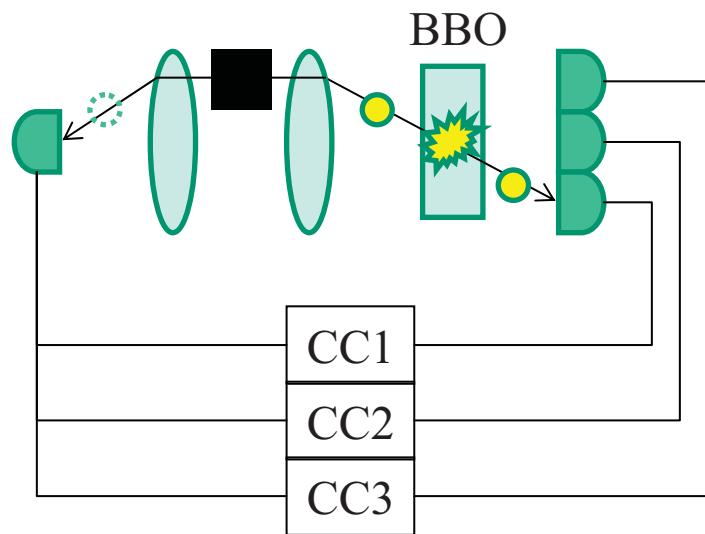
ghost imaging | wave vector





Application | quantum

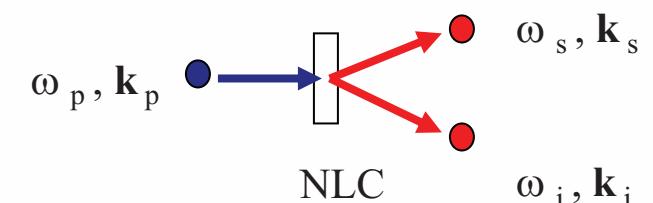
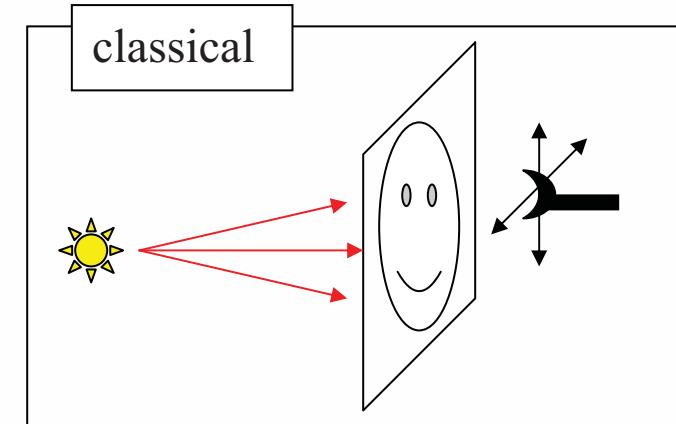
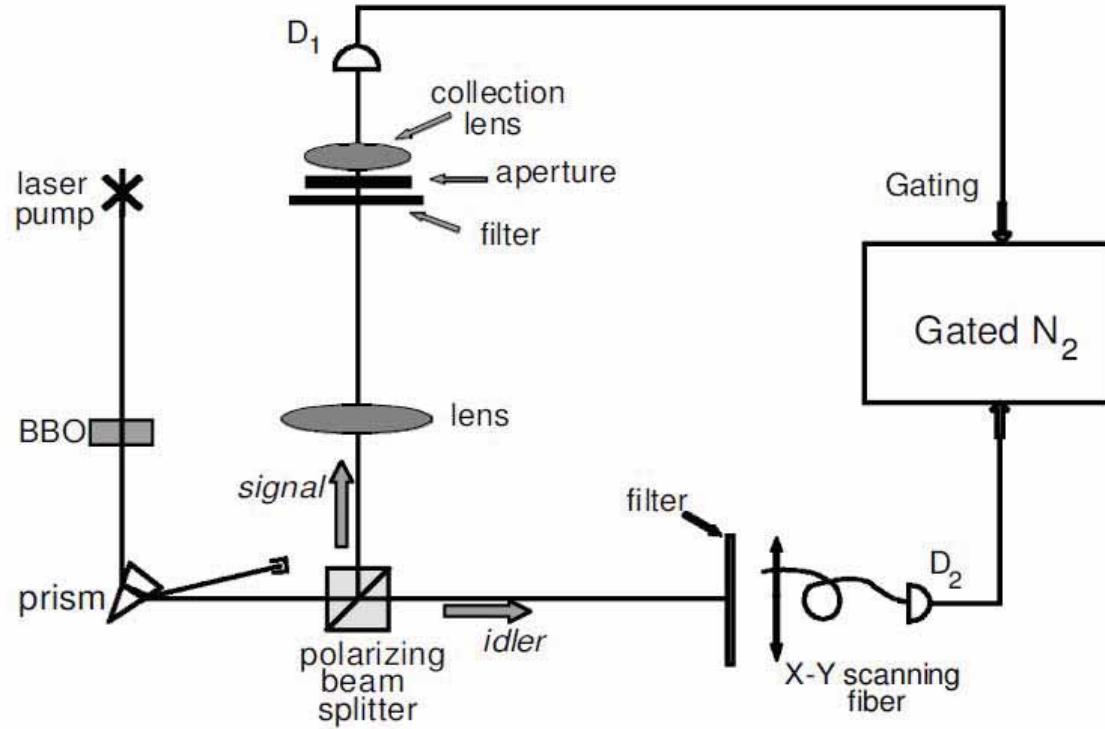
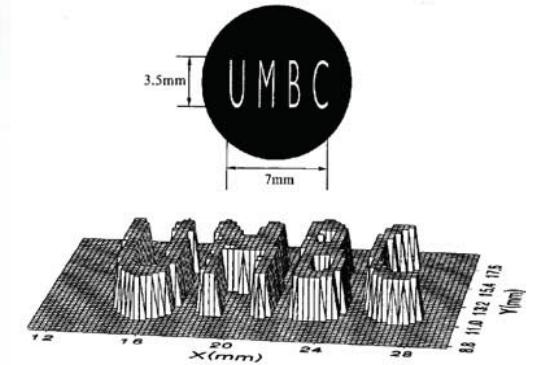
ghost imaging | wave vector



Application | quantum ghost imaging

measure the shape of an object

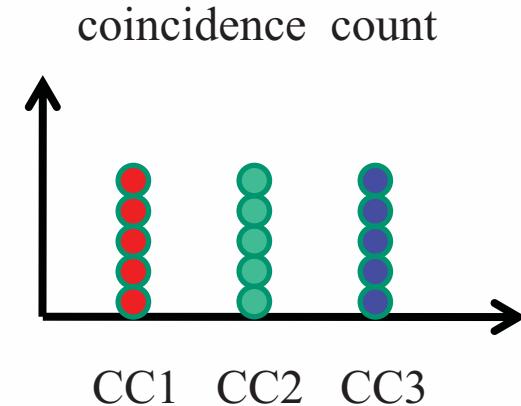
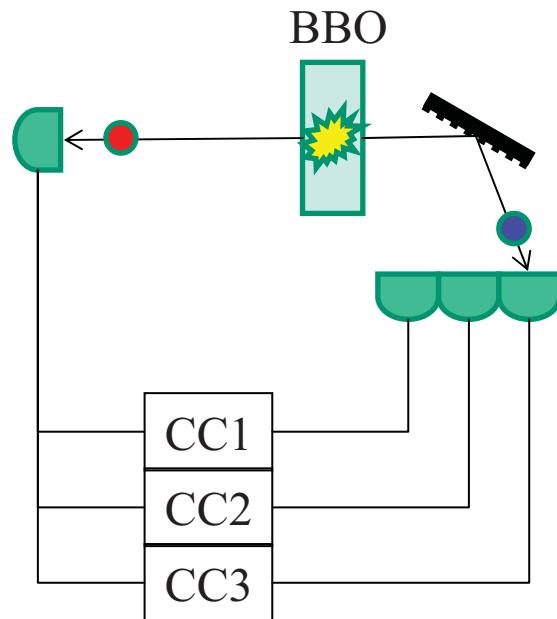
Detector does NOT scan after object





Application | quantum

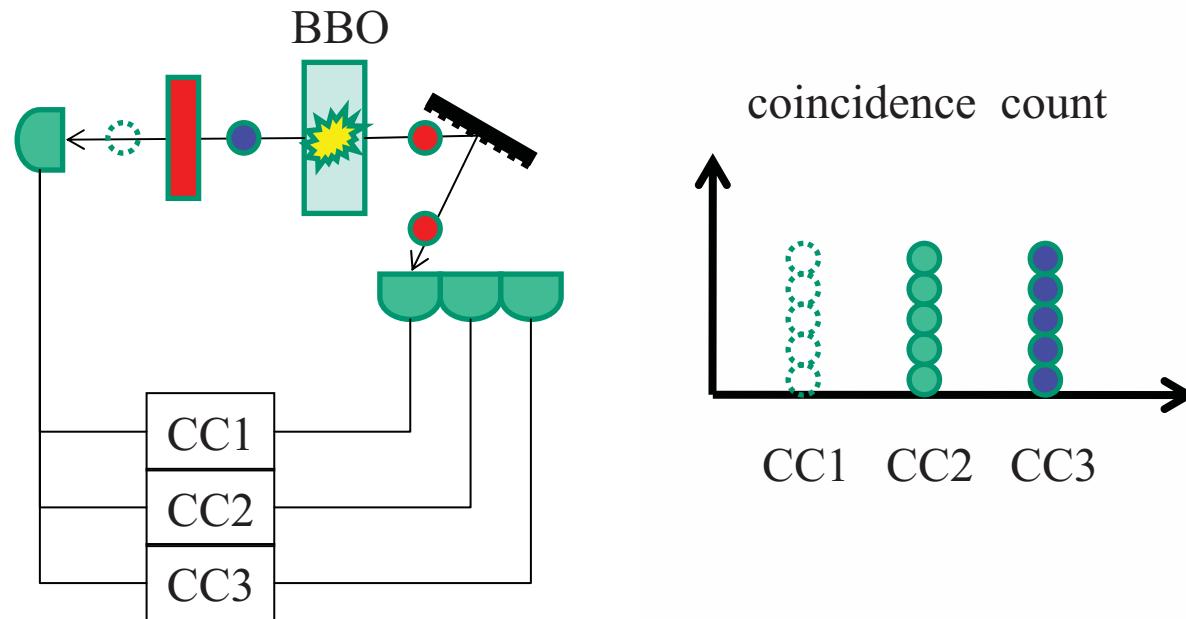
ghost spectroscopy | frequency





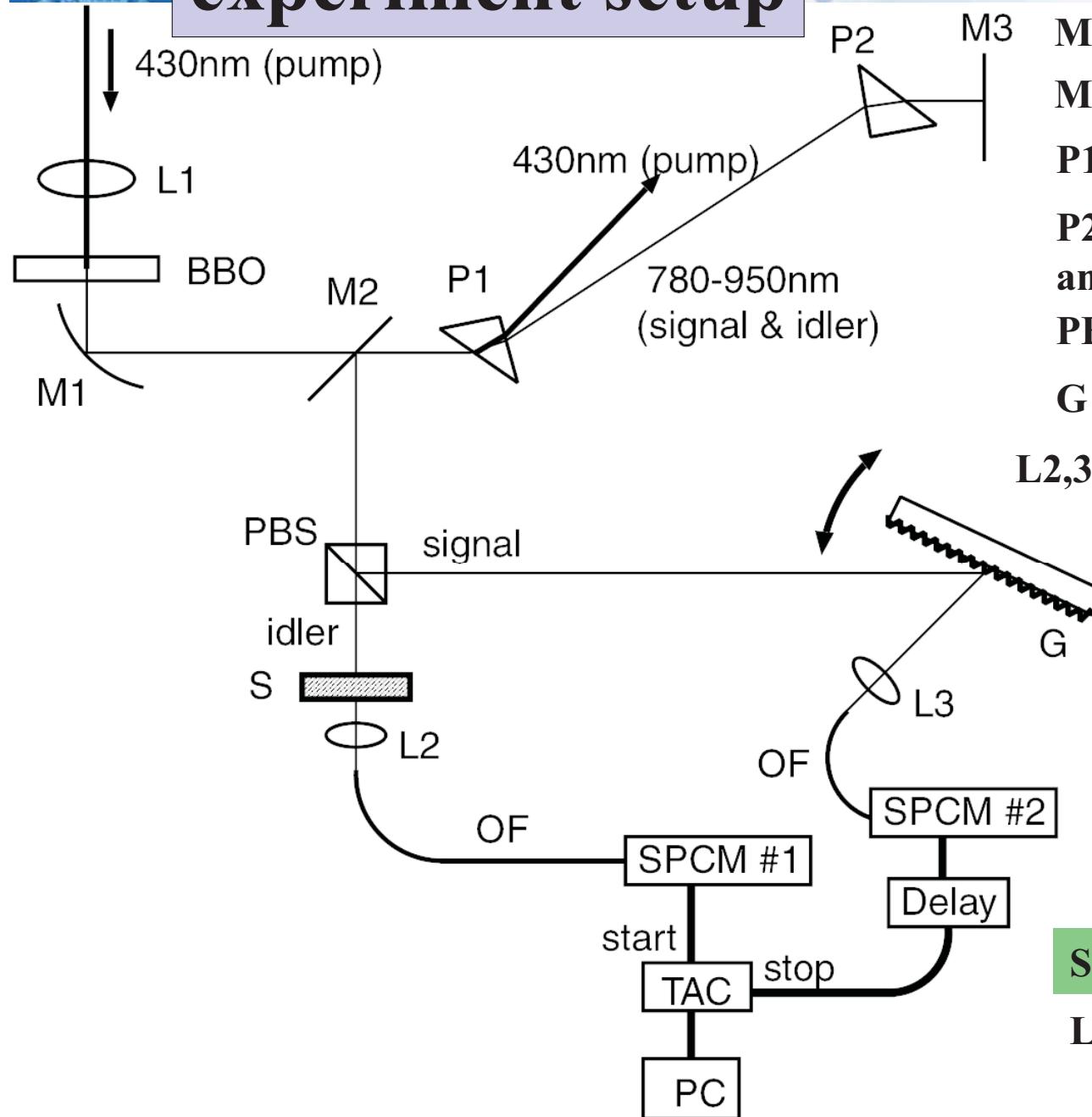
Application | quantum

ghost spectroscopy | frequency





experiment setup



BBO : non-linear crystal

M1 : parabolic mirror

M2,3 : plane mirror

P1 : prism (remove pump)

P2 : prism (compensate angular dispersion)

PBS : polarizing beam splitter

G : diffraction grating

L2,3 : fiber coupling lens

OF : optical fiber

SPCM : single photon counting module

TAC : time-to-amplitude converter

Delay : delay module

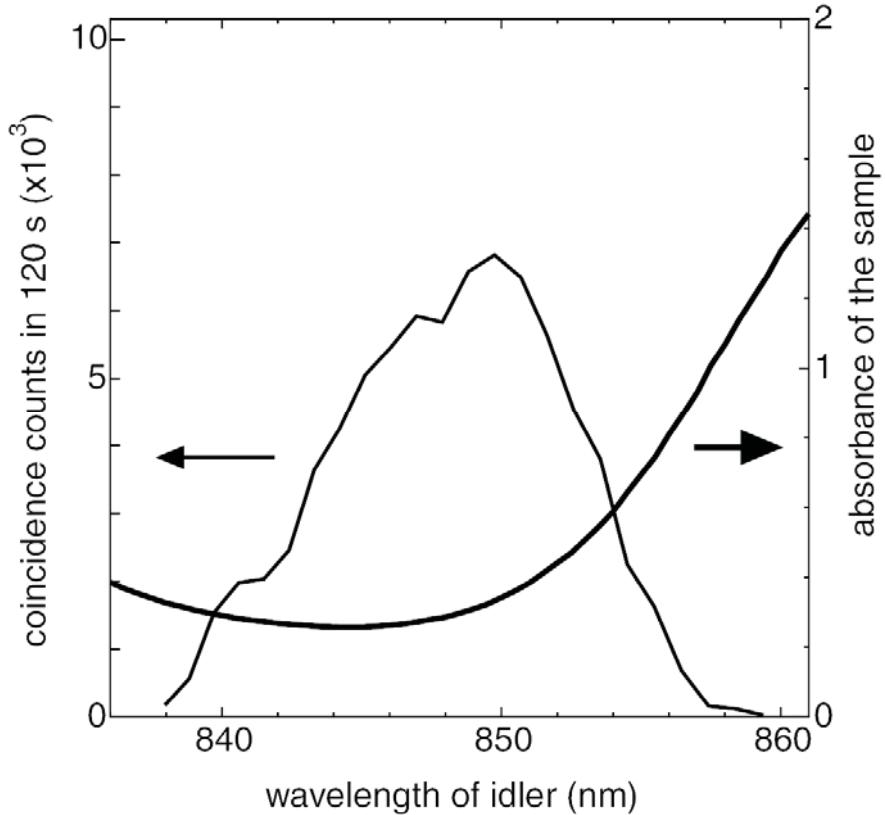
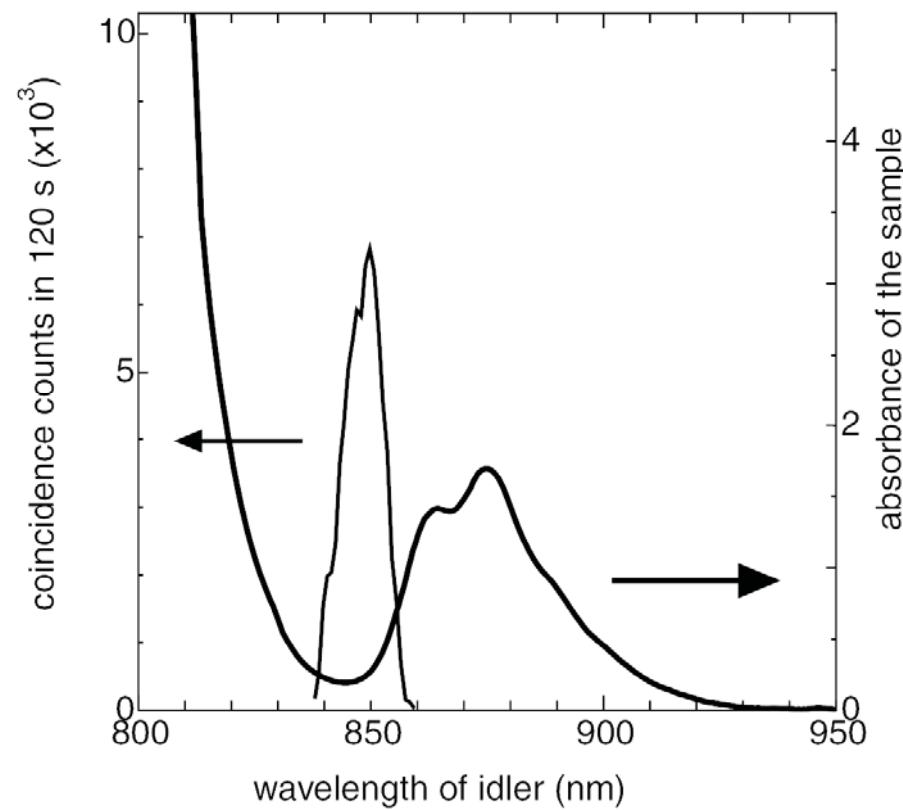
PC : computer

S : sample (Nd³⁺-doped glass)

L1 : focusing lens
(f=100mm, 8mm)

Spectrum of photon pairs and absorption spectrum of the sample

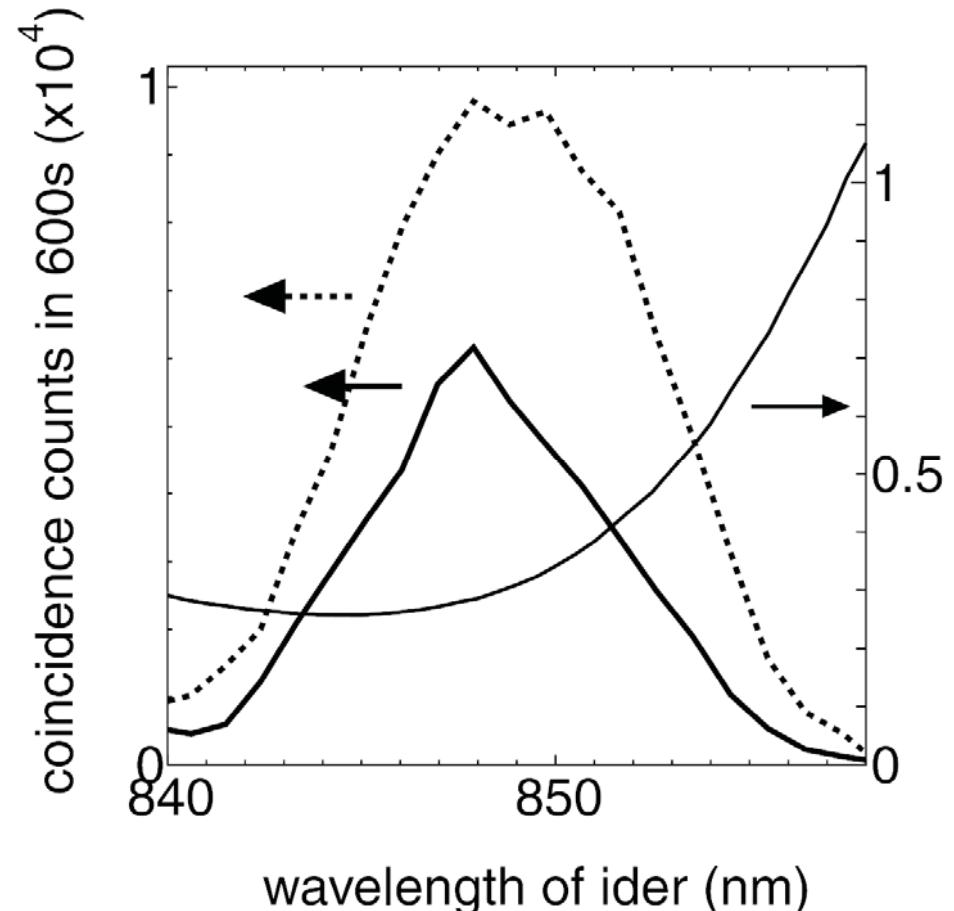
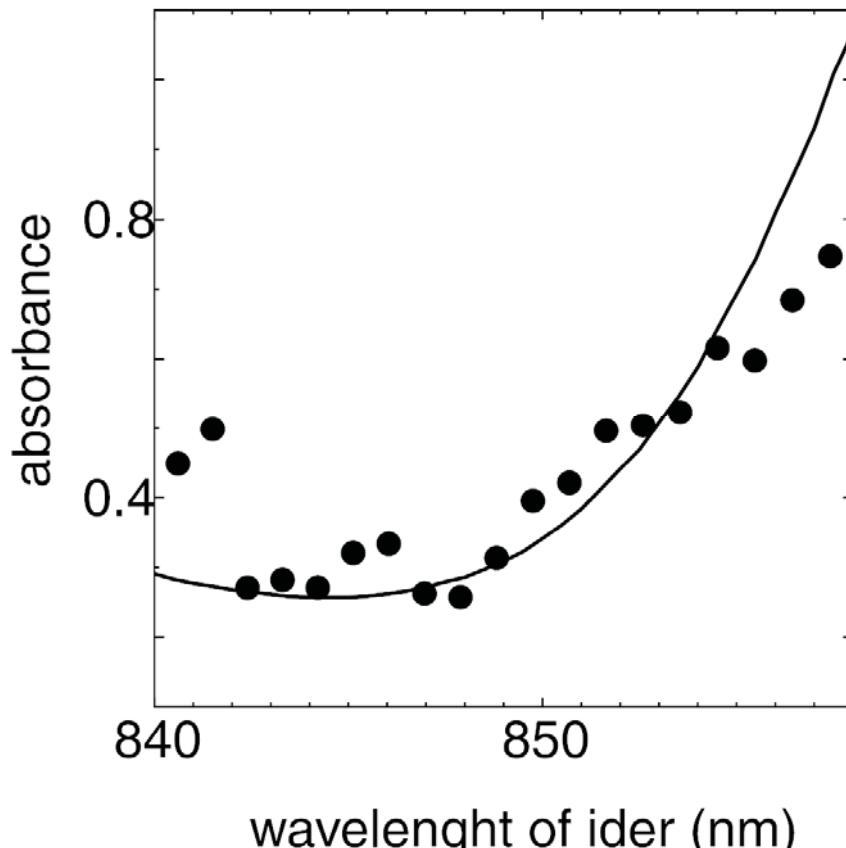
pump focusing lens ($f=100\text{mm}$)



more absorption in longer wavelength



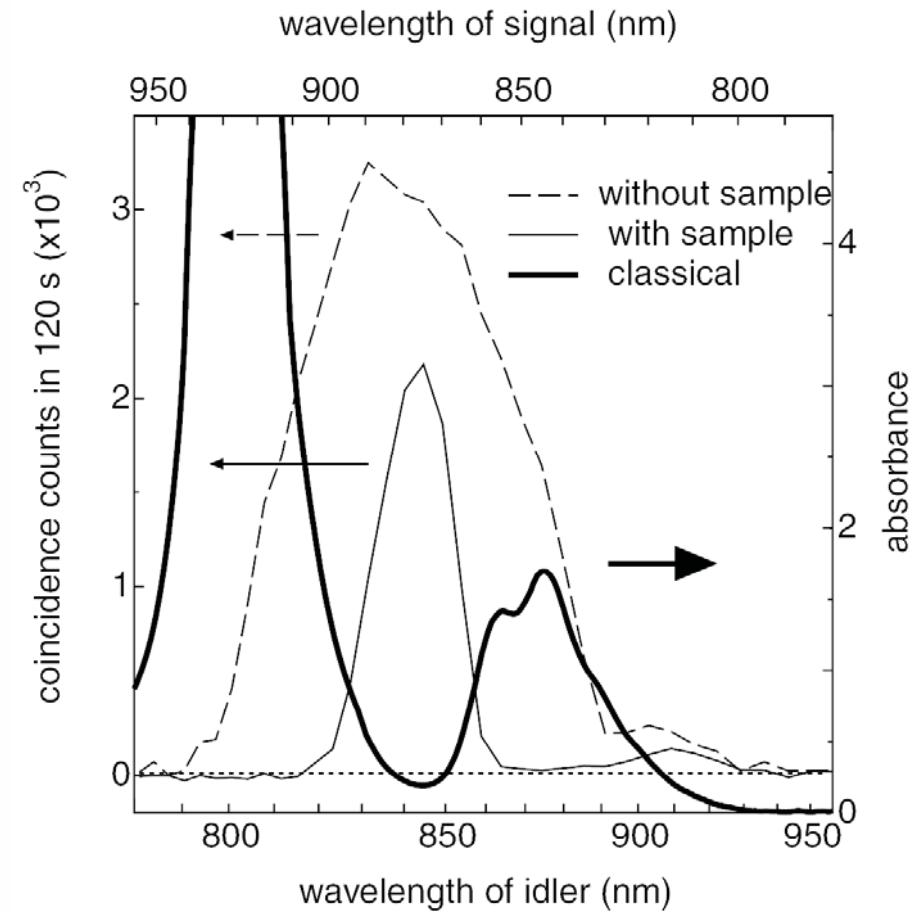
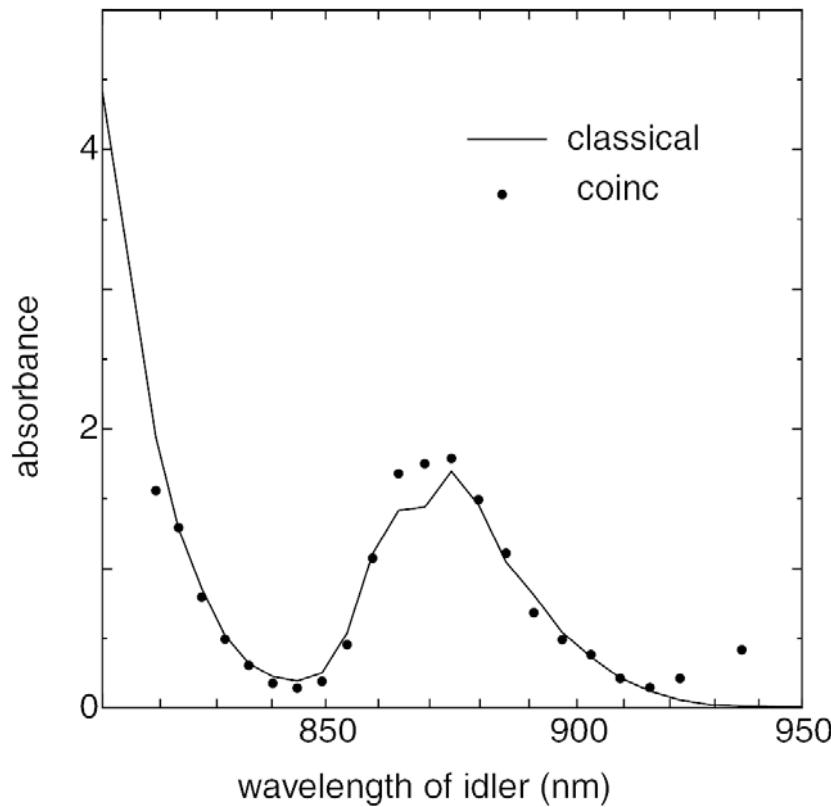
result : absorption spectrum



calculate absorption spectrum from the ratio
→ **agree** with the result by a spectrometer



result : absorption spectrum



agree with the result by a spectrometer



summary of this section

- spectrum of SPDC photon pairs
 - spherical lens → objective lens
($f=100 \rightarrow 8\text{mm}$)
 - spectrum was **broadened** ($11,11 \rightarrow 63,69\text{nm}$)
- Nd^{3+} -doped glass (in the **idler** light path)
 - coincidence resolving **signal** light's frequency
 - **absorption spectrum** was measured

- **fit well with the result measured by a spectrometer**
- **without resolving the frequency** of photon transmitted through the sample



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Application | quantum

Outline for “Quantum Key Distribution (QKD)”

- BB84 protocol | single photon
 - how it works
 - can it be safe?
- E91 protocol | polarization entangled photon pair
 - polarization entanglement?
 - how it works
 - can it be safe?



Application | quantum

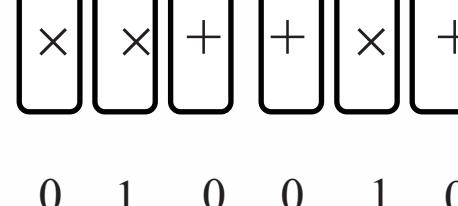
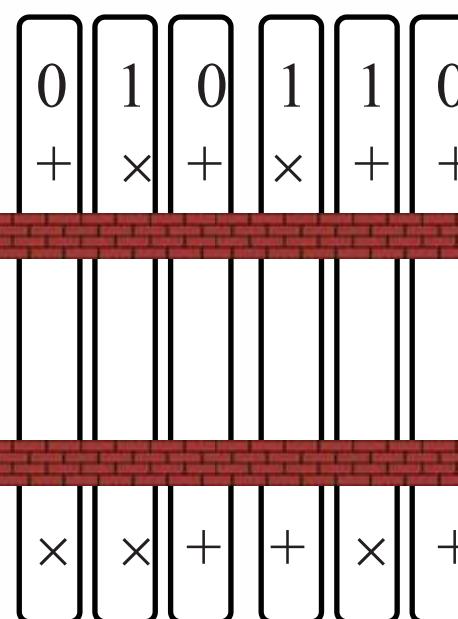
➤ BB84 protocol | single photon

- Purpose : to share a secret key

- how it works?

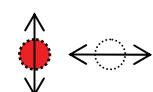
- key at random

- base at random



- base at random

	0	1
+	↑	↔
x	↗	↖





Application | quantum

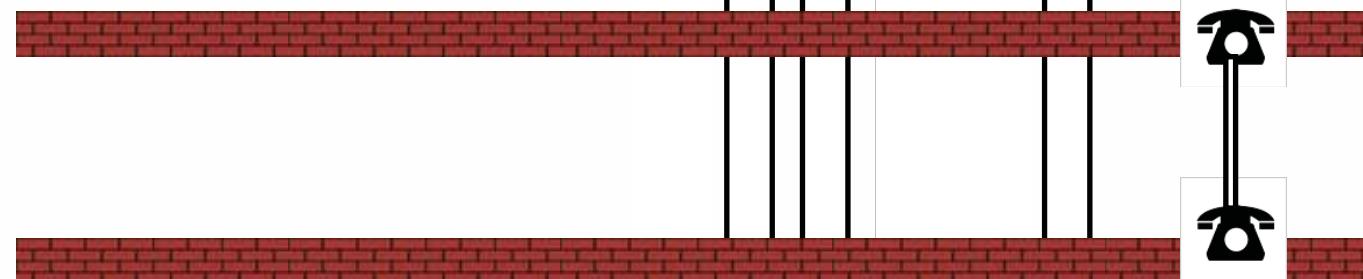
➤ BB84 protocol | single photon

- Purpose : to share a secret key

- how it works?

- key at random

- base at random



- base at random

	0	1
+	↑	↔
×	↗	↖

**50% of keys can be shared
(shared keys are same)**

complicated...But secure!

How can it be secure??



Application | quantum

➤ BB84 protocol | single photon

● Can it be secure?

• key at random

0 1 1 1 1 0

• base at random

0 1 0 1 1 0
+ × + × + +



base? (random try) + × × × + ×



result (bit)
 0 1 1 1 1 0
copy ↕ ↘ ↗ ↙ ↛ ↚



• base at random

	0	1
+	↑	↔
×	↖	↙

× × + + × +
↖ ↘ ↛ ↙ ↛ ↚
0 1 1 0 1 1



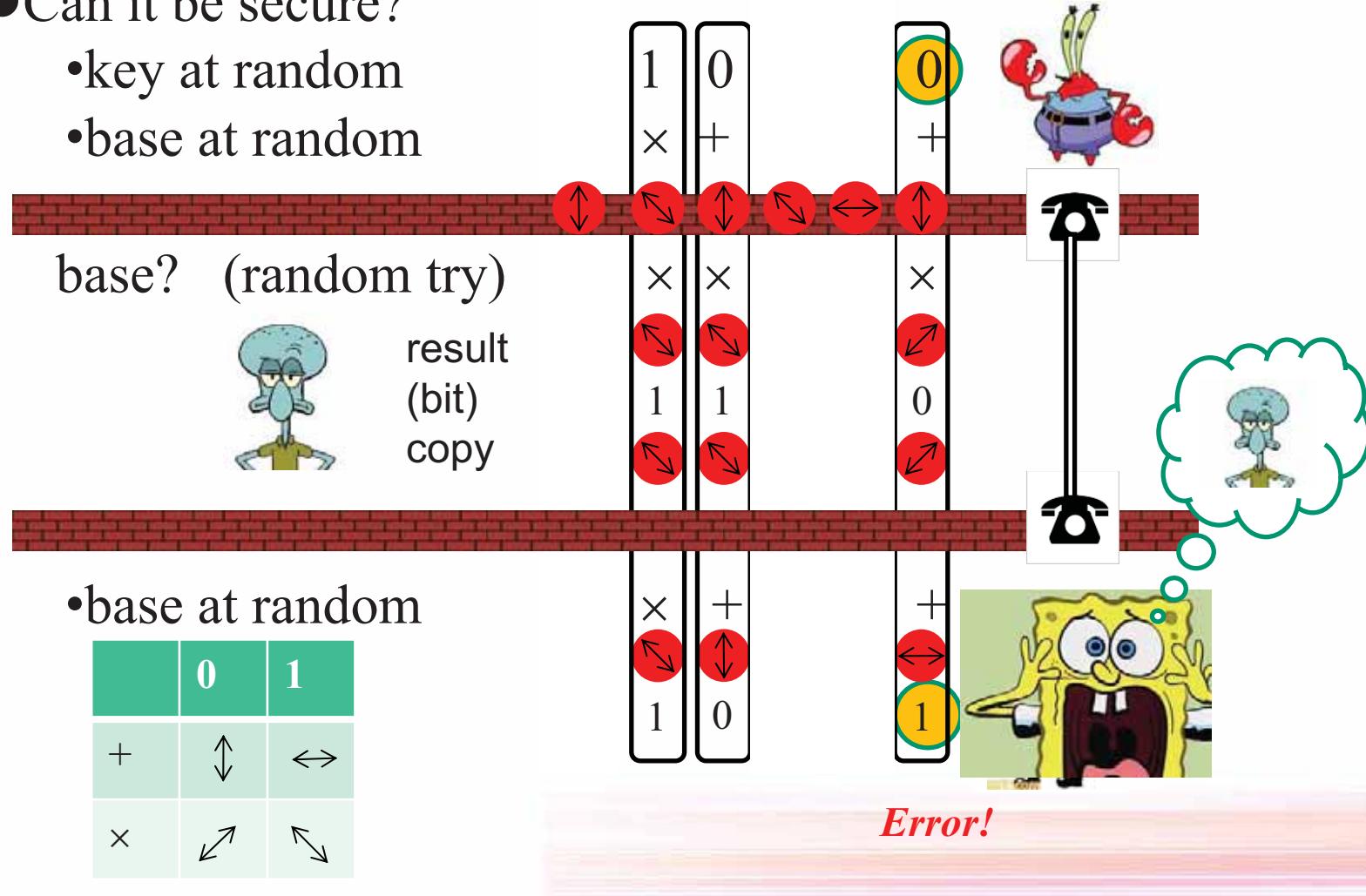


Application | quantum

➤ BB84 protocol | single photon

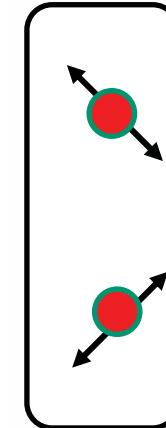
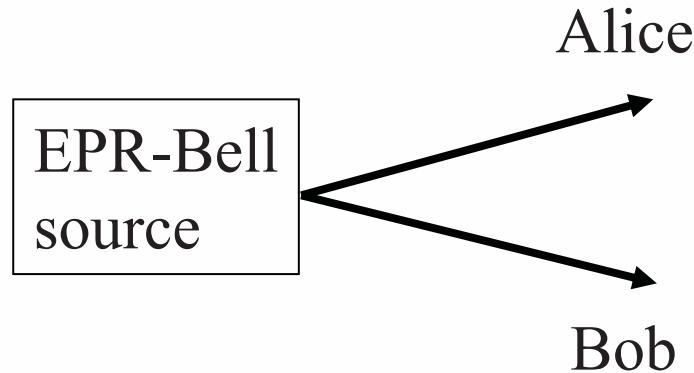
● Can it be secure?

- key at random
- base at random





polarization-entangled photon pairs



$$|\Psi_{12}\rangle = \frac{1}{\sqrt{2}} [| \uparrow \downarrow \rangle_1 |\leftrightarrow\rangle_2 - |\leftrightarrow\rangle_1 |\uparrow \downarrow \rangle_2]$$

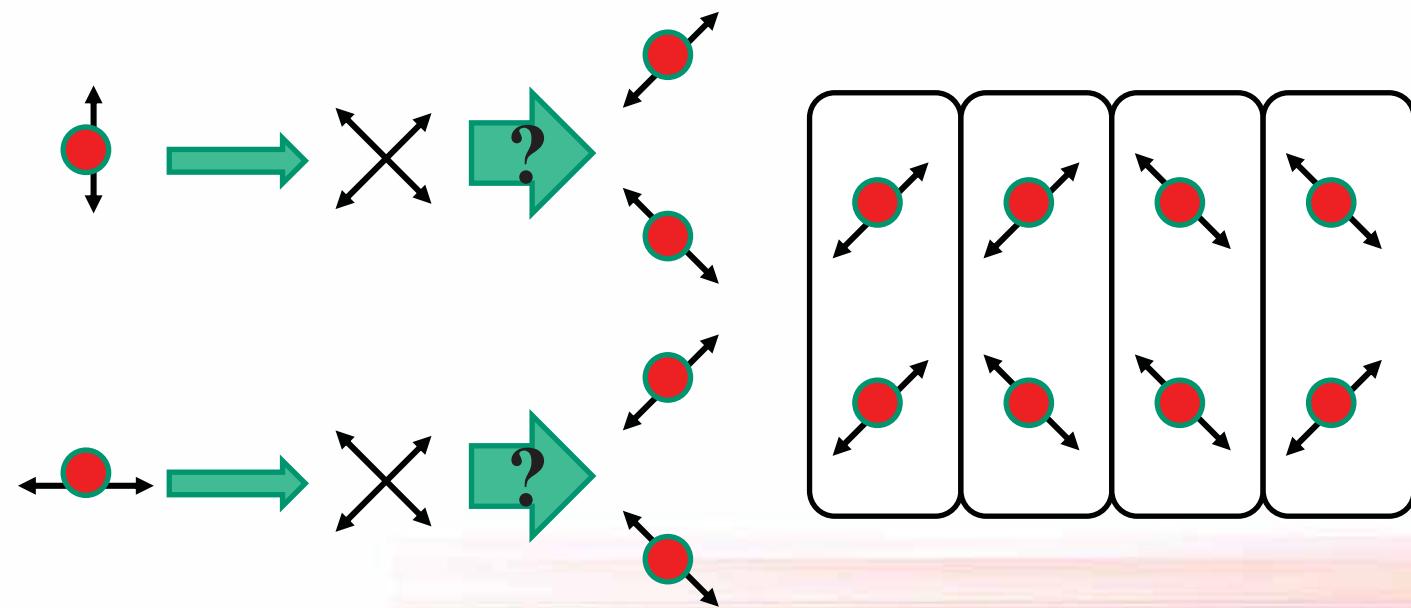
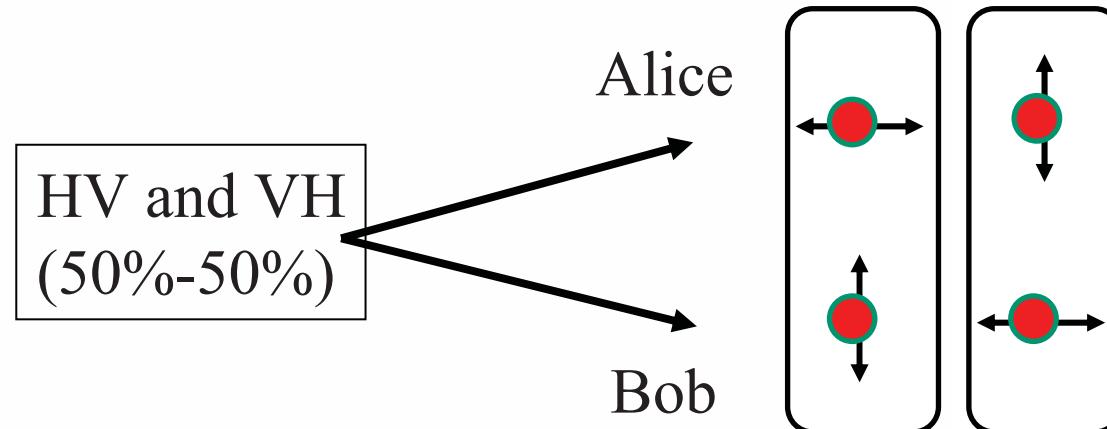
$$= \frac{1}{\sqrt{2}} [| \nearrow \searrow \rangle_1 |\nwarrow\rangle_2 - |\nwarrow\rangle_1 |\nearrow \searrow \rangle_2]$$

$$| \uparrow \downarrow \rangle \frac{1}{\sqrt{2}} (| \nearrow \searrow \rangle + | \nwarrow \swarrow \rangle)$$

$$| \leftrightarrow \rangle \frac{1}{\sqrt{2}} (| \nearrow \searrow \rangle - | \nwarrow \swarrow \rangle)$$

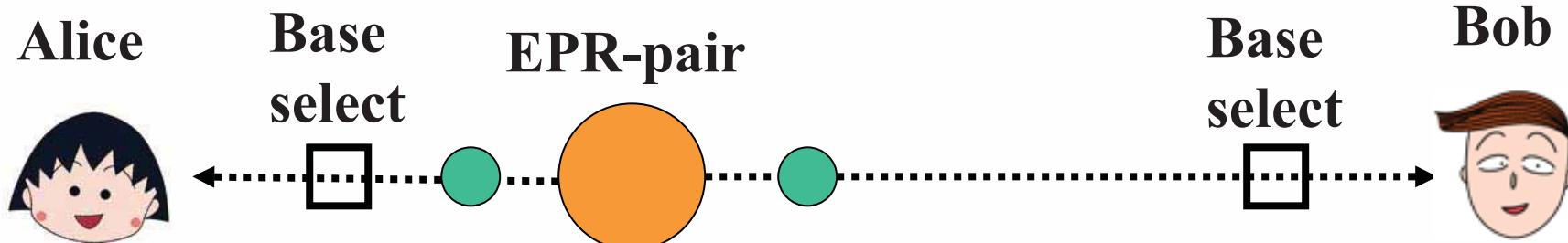


Mixed state (statistical mixture)





QKD example (without Eve)



0 H +

1 V

1 V

0 H

⋮

{ 0 R O
1 L }

+ V 0

H 1

H 1

V 0

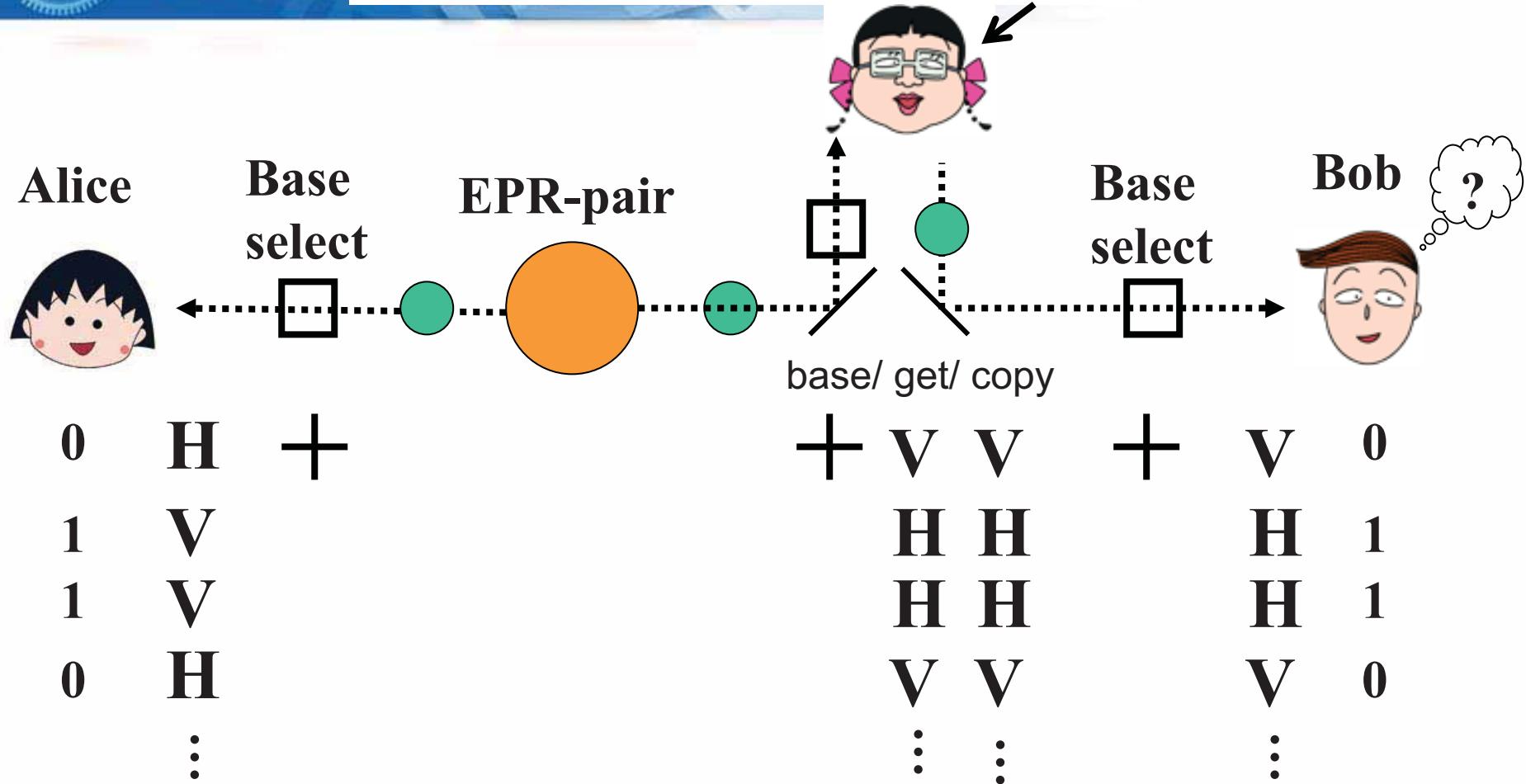
⋮

O L 0
R 1 }

If they use the same base,
“100%” correlation
(*quantum key distributed!*)

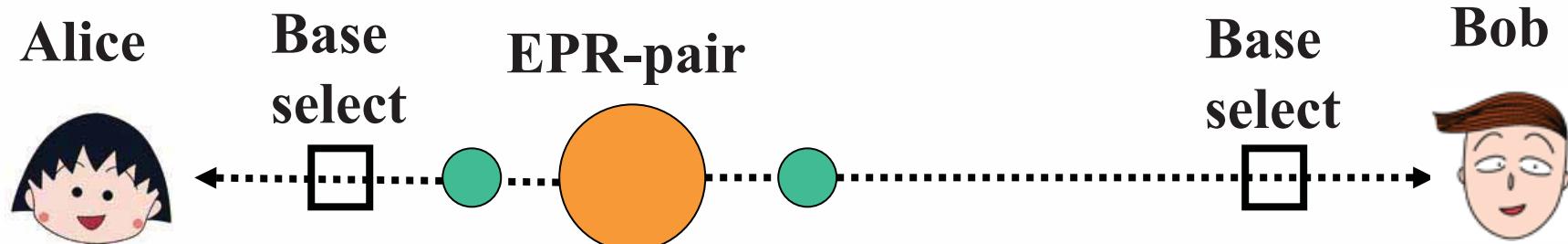


QKD example (with Eve)



Eve also share the key (NOT secure QKD...)
How can it be improved?

Ekert91 protocol



0 H | + |

Base information
(classical communication)

0 R | O |

“100%” correlation

| + | V 0

| O | L 0

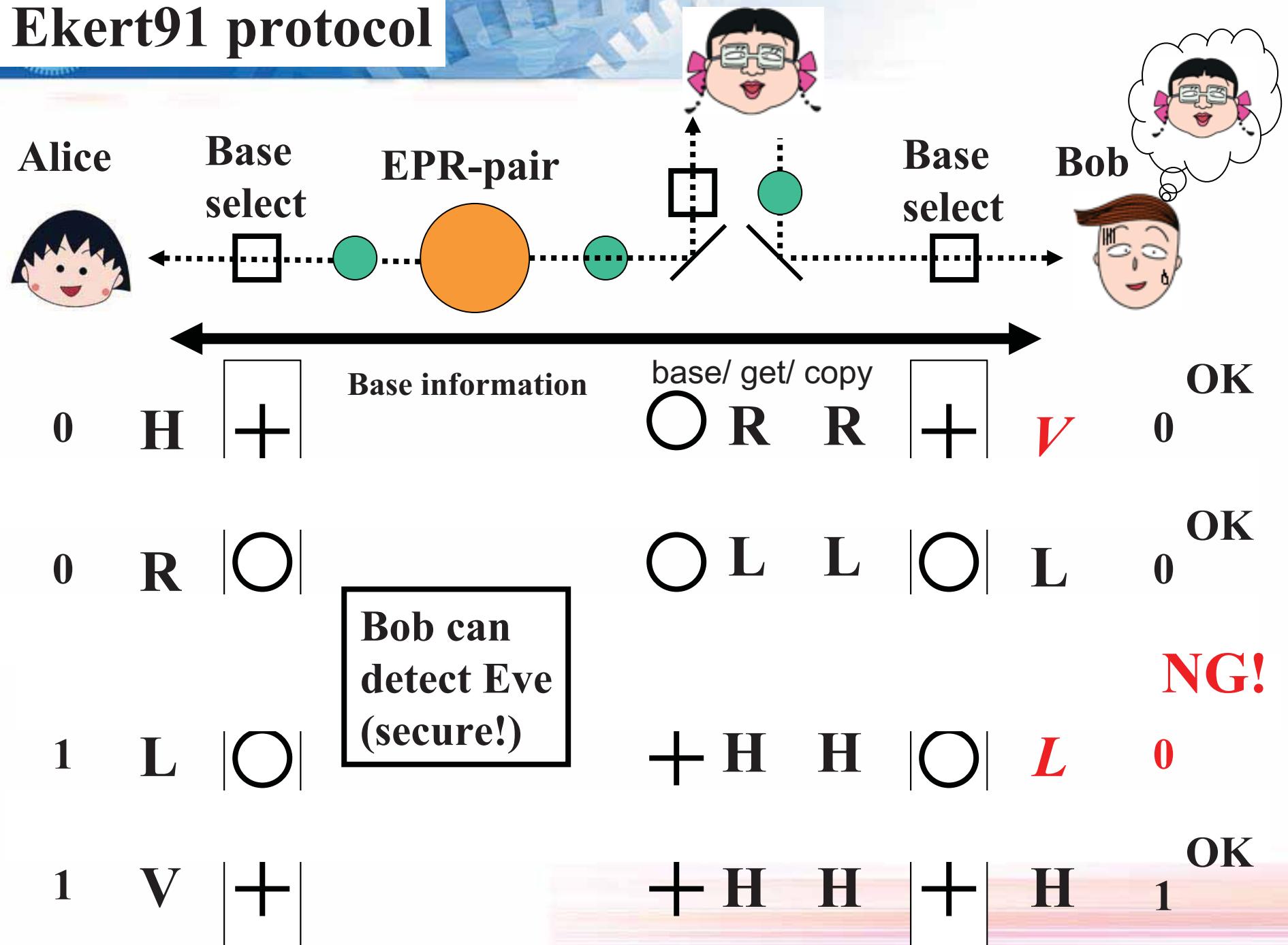
1 L | O |

| O | R 1

1 V | + |

| + | H 1

Ekert91 protocol





Experimental example of QKD

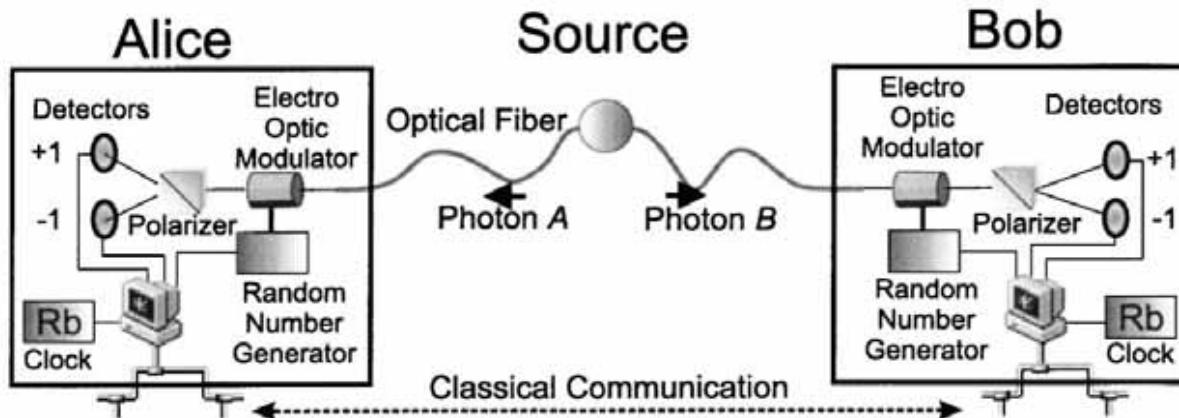


FIG. 2. The polarization entangled photons are transmitted via optical fibers to Alice and Bob, who are separated by 360 m, and both photons are analyzed, detected, and registered independently. After a measurement run the keys are established by Alice and Bob through classical communication over a standard computer network.

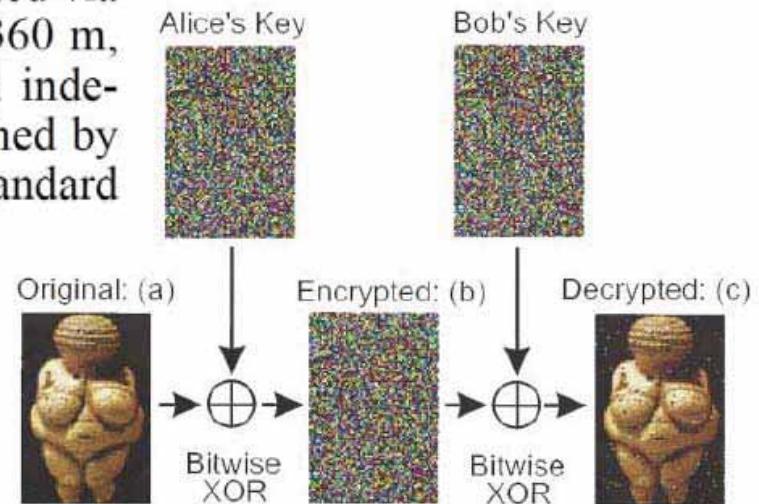


FIG. 3 (color). The 49984 bit large keys generated by the BB84 scheme are used to securely transmit an image [23] (a) of the "Venus von Willendorf" [24] effigy. Alice encrypts the image via bitwise XOR operation with her key and transmits the encrypted image (b) to Bob via the computer network. Bob decrypts the image with his key, resulting in (c) which shows only a few errors due to the remaining bit errors in the keys.

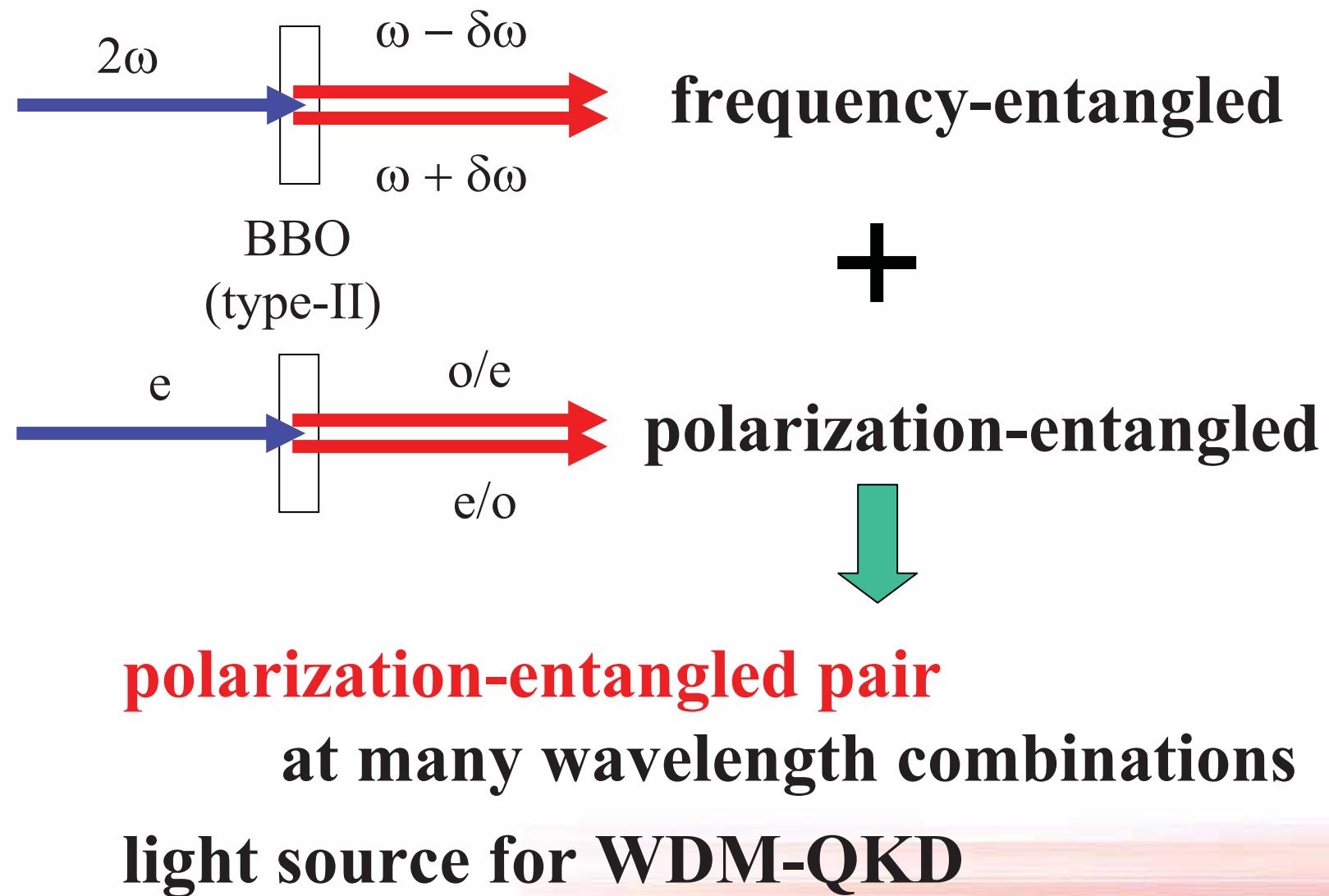


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 - Ghost imaging | wave vector
 - **Ghost spectroscopy | frequency**
 - Quantum key distribution (QKD) | polarization
 - **Multiplex QKD | polarization and frequency**
 - **Entangled photon beam**
- Conclusion

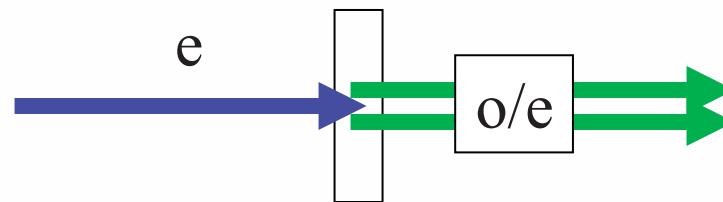


Generation of photon pairs entangled in their frequencies and polarizations (for WDM-QKD)



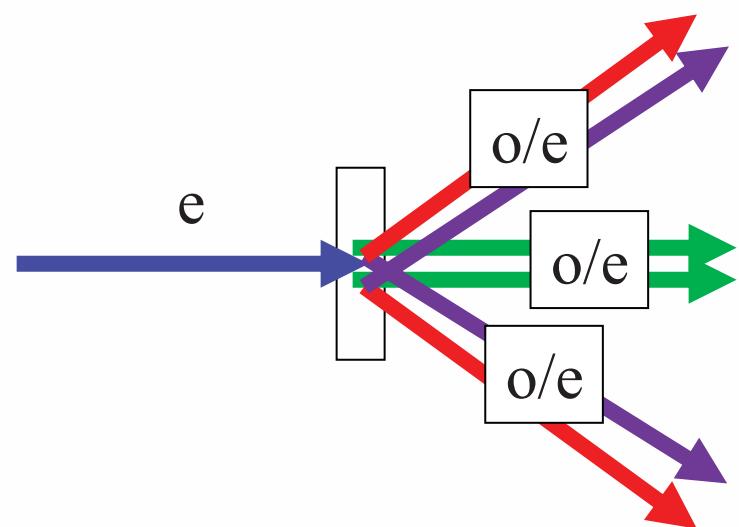


Standard :



polarization-entangled

Multiplex :



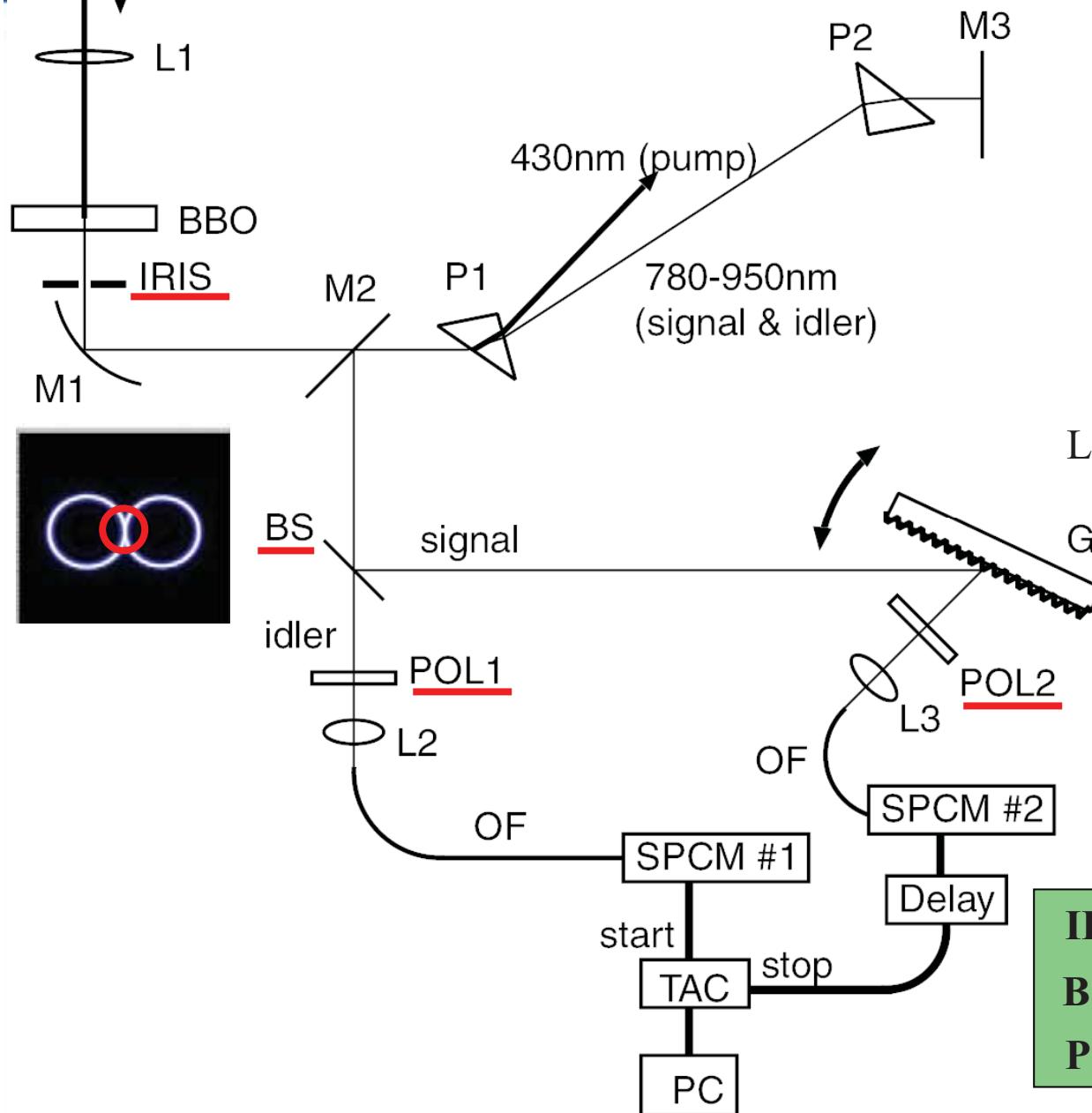
polarization-entangled

polarization-entangled

polarization-entangled



experimental setup



L1 : focusing lens

BBO : non-linear crystal

M1 : parabolic mirror

M2,3 : plane mirror

P1 : prism (remove pump)

P2 : prism (compensate angular dispersion)

G : diffraction grating

L2,3 : fiber coupling lens

OF : optical fiber

SPCM : single photon counting module

TAC : time-to-amplitude converter

Delay : delay module

PC : computer

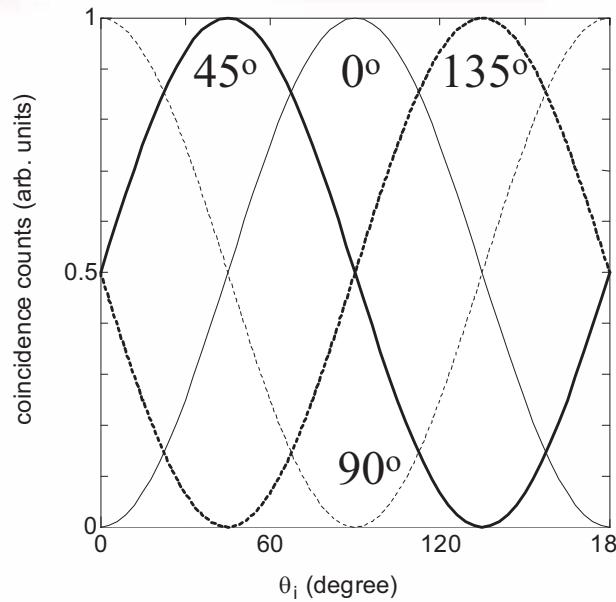
IRIS : iris diaphragms

BS : non-polarizing beam splitter

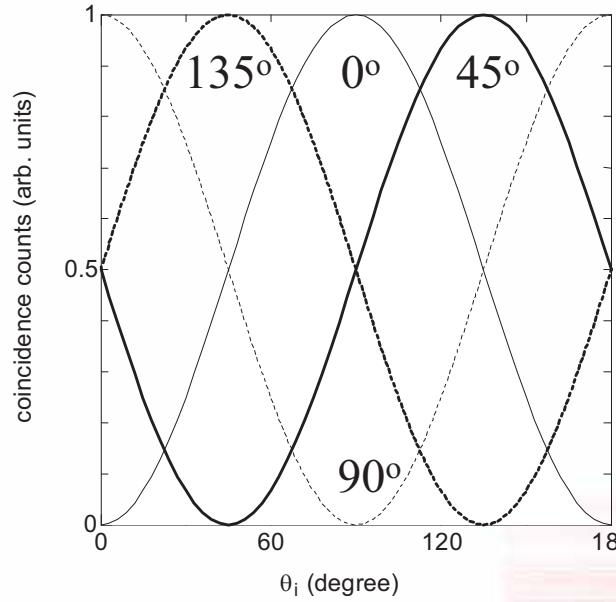
POL1,2 : linear polarizer

simulation

$f=1$
 $\alpha=0^\circ$

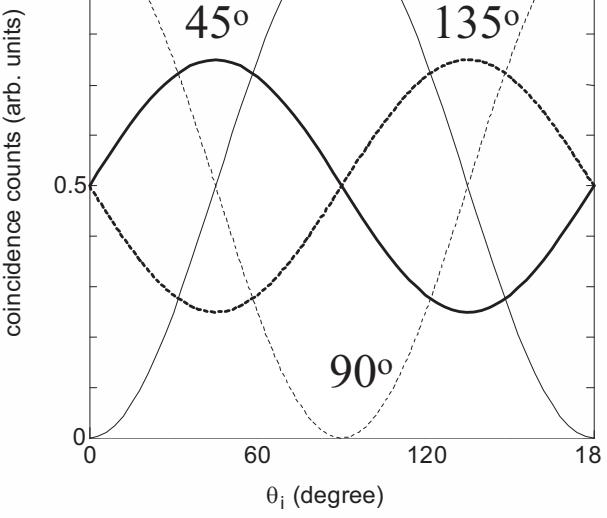


$f=1$
 $\alpha=180^\circ$

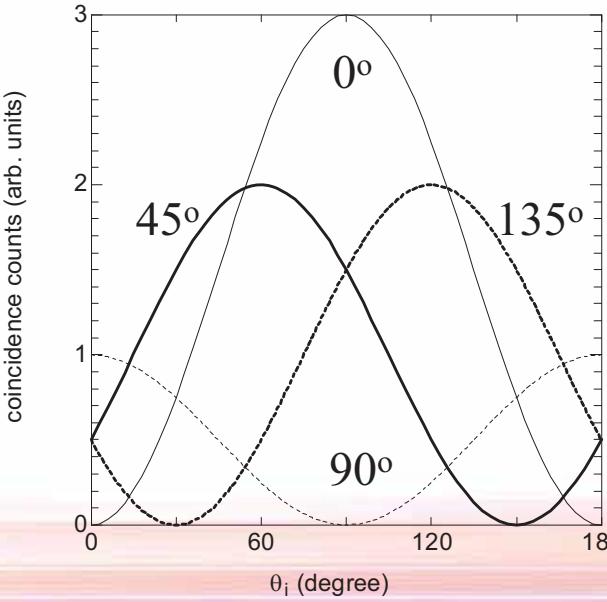


$$|\psi\rangle = |H\rangle_s |V\rangle_i + f \cdot e^{i\alpha} |V\rangle_s |H\rangle_i$$

$f=1$
 $\alpha=60^\circ$



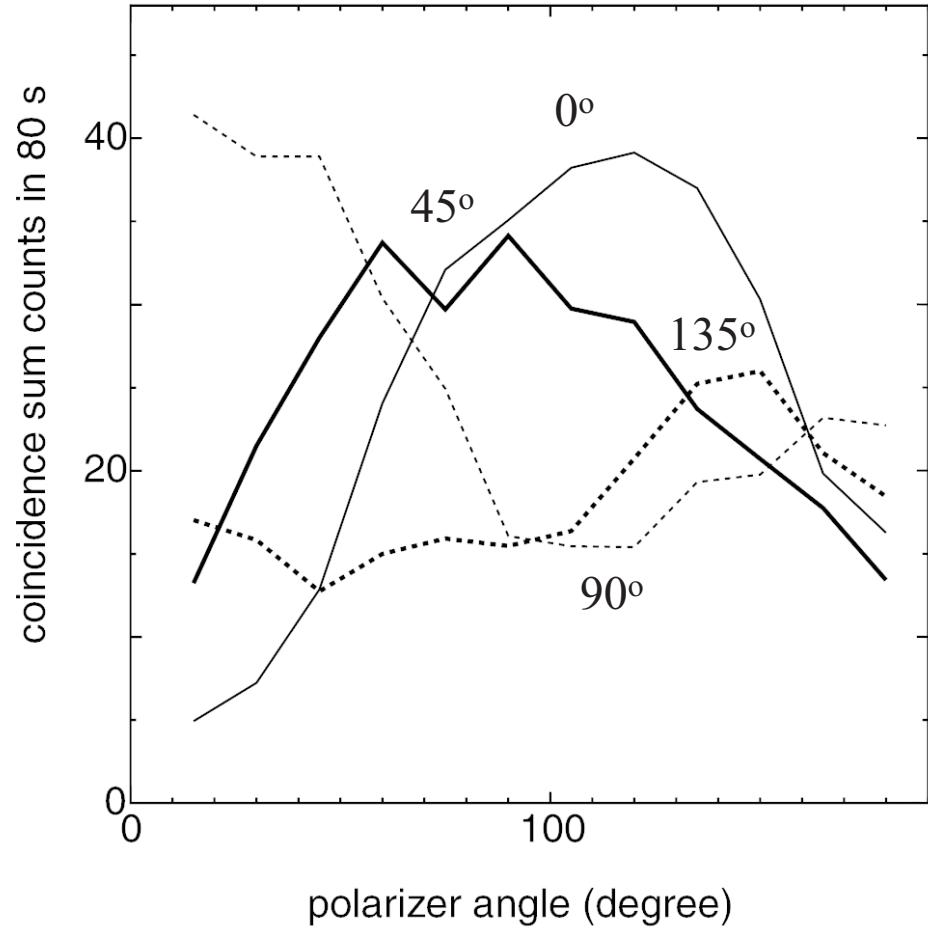
$f=1.732$
 $\alpha=0^\circ$



1. Broadband photon pairs



polarization correlation (1st diffraction@870nm)



$$|\psi\rangle = |H\rangle_s |V\rangle_i + f \cdot e^{i\alpha} |V\rangle_s |H\rangle_i$$

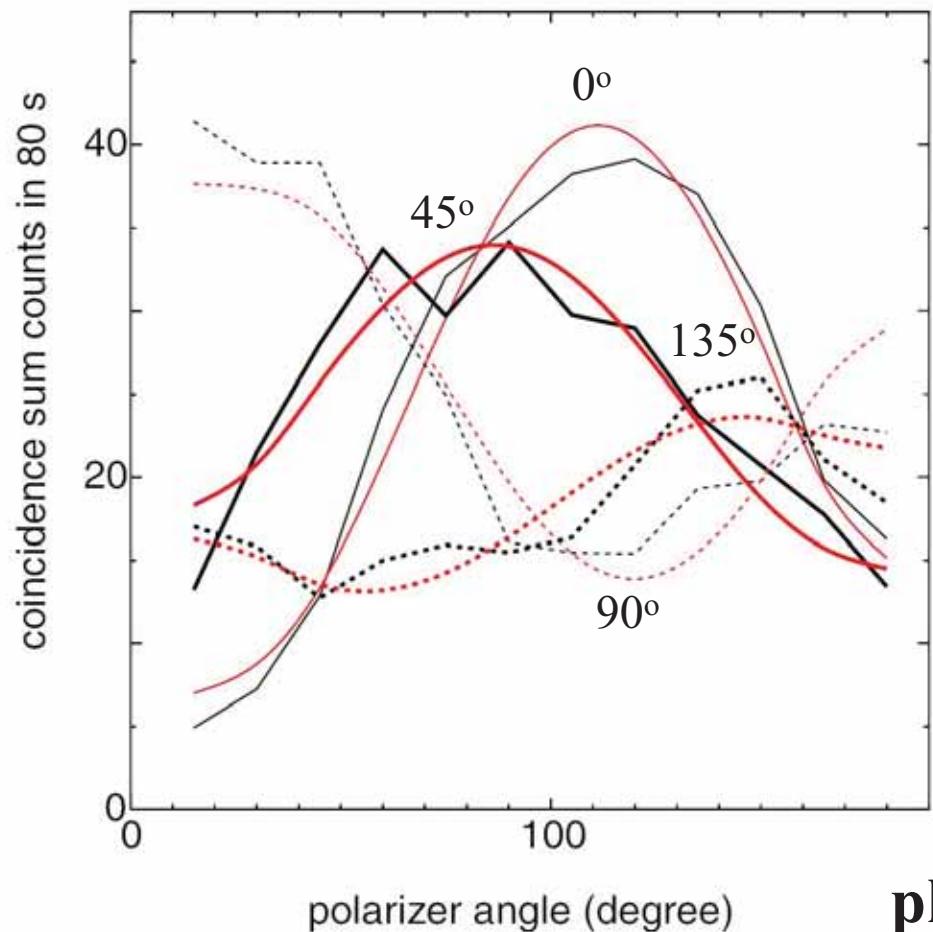
phase shift (866nm)
< phase shift (870nm)

$$f = 1.7 \rightarrow 1$$

visibility < 100%
 $\alpha \neq 0, 180^\circ$



polarization correlation (1st diffraction@870nm)



$$|\psi\rangle = |H\rangle_s |V\rangle_i + f \cdot e^{i\alpha} |V\rangle_s |H\rangle_i$$

	visibility	relative phase
0°	0.75	
45°	0.43	-25°
135°	0.31	35°
90°	0.50	-81°

phase shift (866nm)
< phase shift (870nm) $f = 1.7 \rightarrow 1$

visibility < 100% $\alpha \neq 0, 180^\circ$



- $\begin{cases} \text{no entanglement (iris open)} \\ \text{entangled (iris 1mm)} \end{cases}$
- phase shift (866nm) < phase shift (870nm) $\because f = 1.7 \rightarrow 1$
but phase shift < 45° to improve : walk-off compensation
- visibility < 100% (866nm, 870nm) $\because \alpha \neq 0, 180^\circ$
to improve : group velocity compensation

**frequency resolved photon pairs are entangled in polarization
(light source for WDM-QKD)**

future : compensations of walk-off and group velocity (improve pol-entanglement)



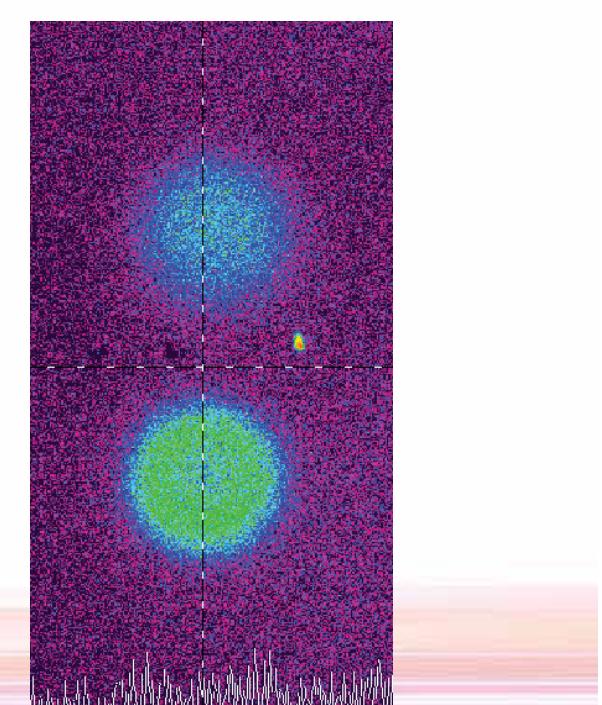
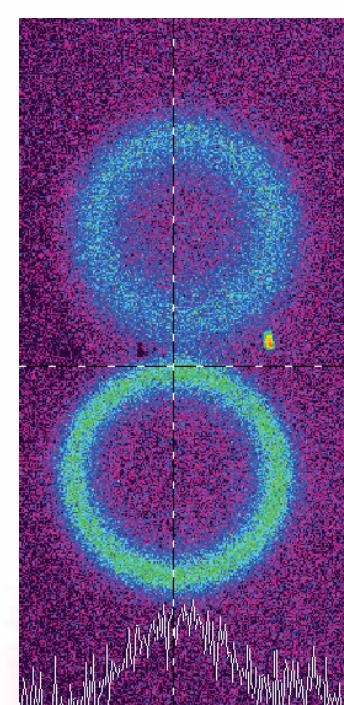
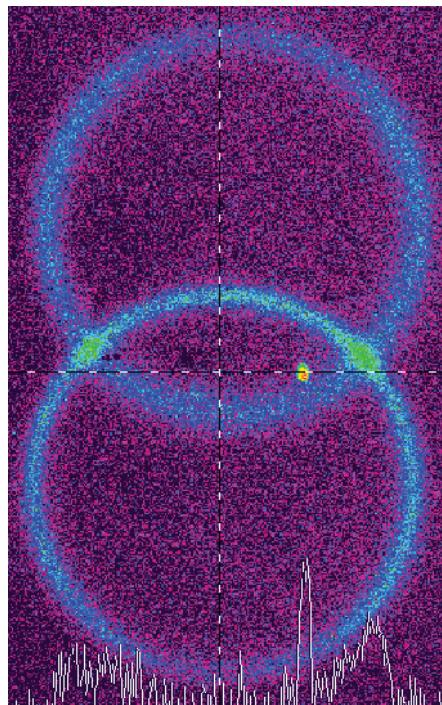
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Beam-like photon pair generation for 2photon interference & polarization entanglement





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Ultrafast Dynamics Lab

超快動力學研究室

A L R C
Advanced Laser Research Center
先進超快雷射研究中心



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National Tsing Hua University



國立交通大學
National Chiao Tung University



Acknowledgement for \$upport

MOE ATU plan, Taiwan, ROC.



National Science Council, Taiwan, ROC.

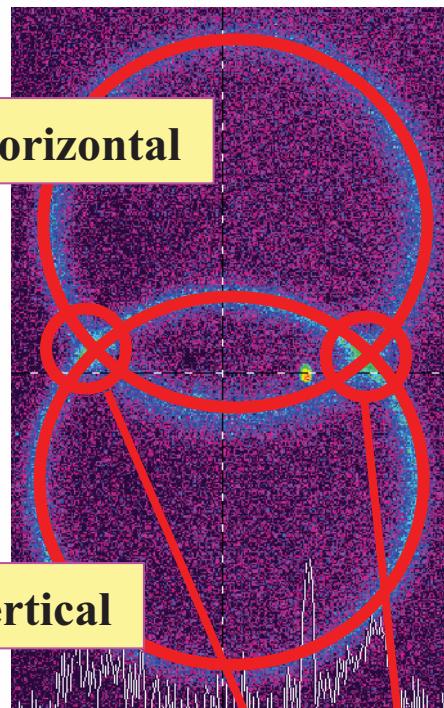


NSC 98-2112-M-009-001-MY3, NSC 99-2923-M-009-004-MY3

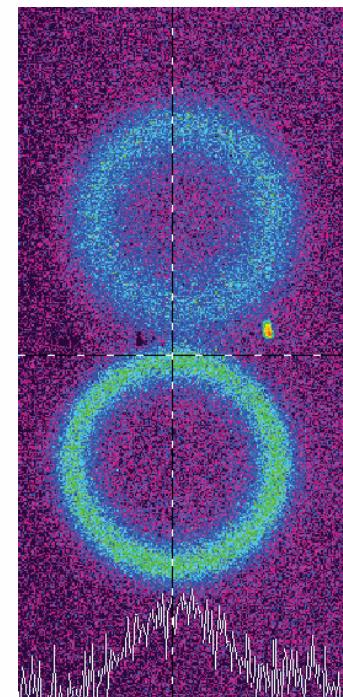


SPDC photon image

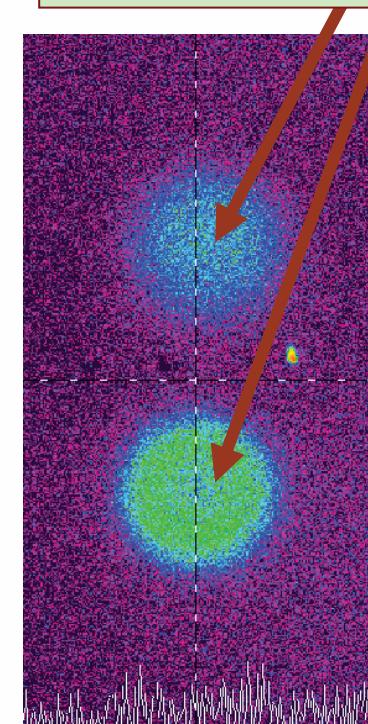
H: Horizontal



V: vertical

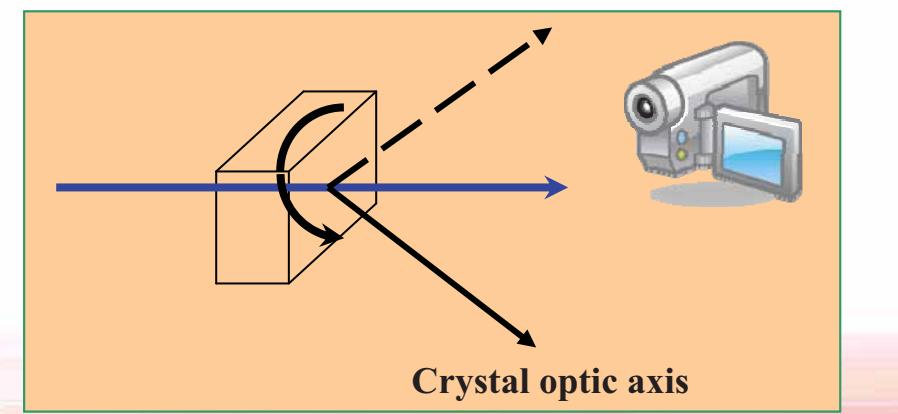


Beam-like photon pair

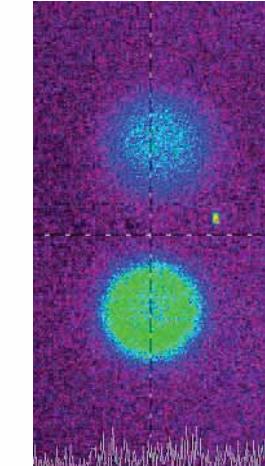
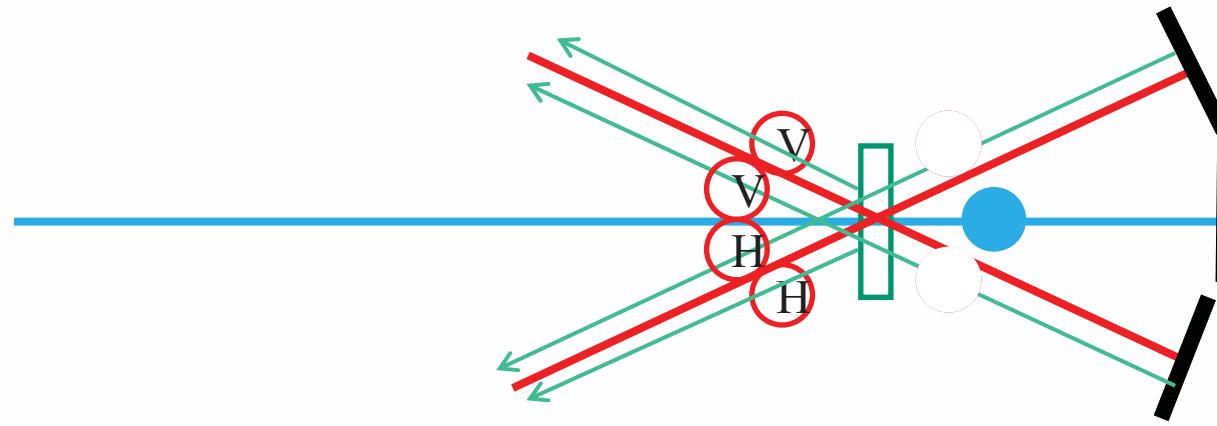


$$|\Psi\rangle = \frac{1}{\sqrt{2}} [|H_1\rangle |V_2\rangle + |V_1\rangle |H_2\rangle]$$

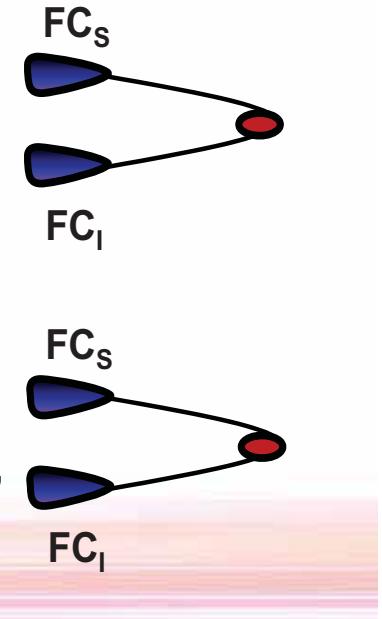
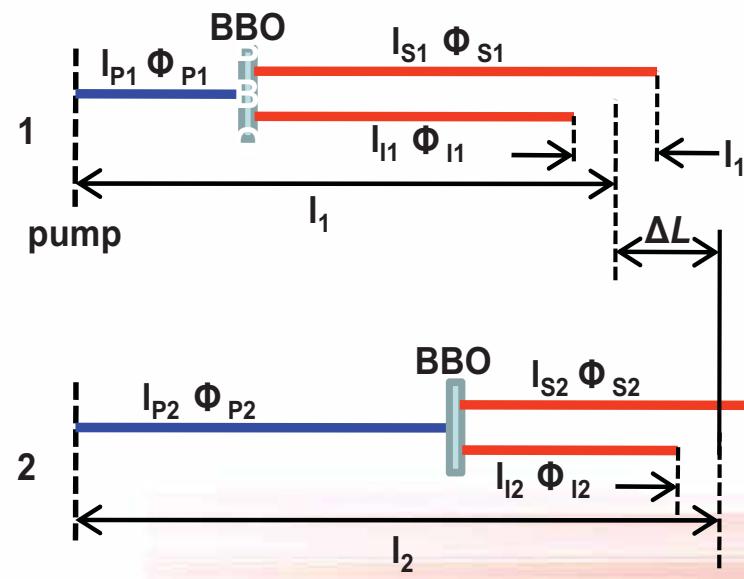
Polarization Entangled photon pair



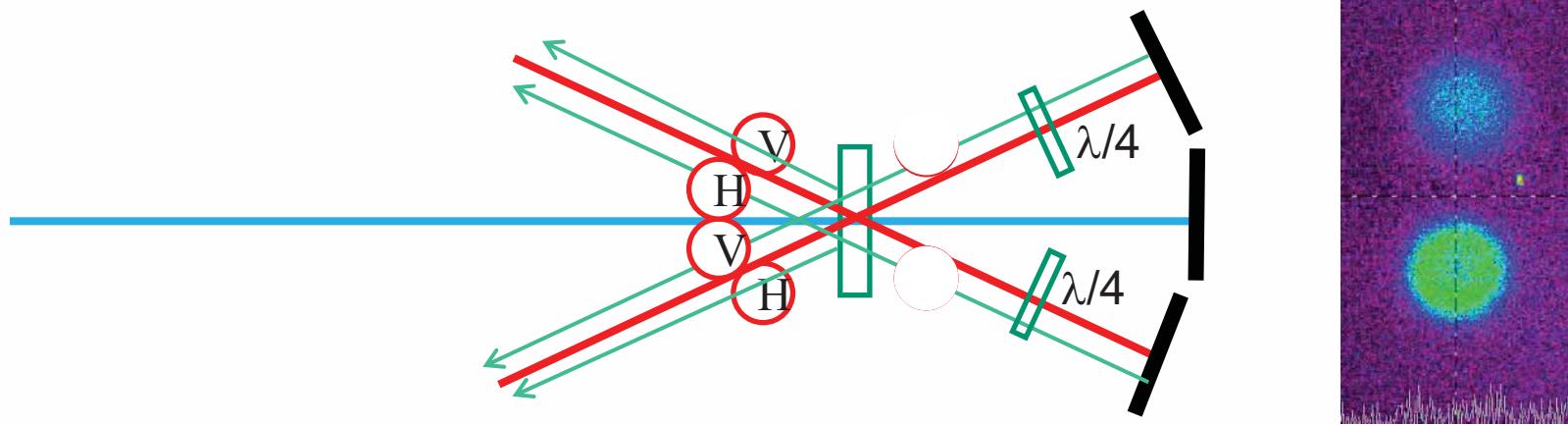
Main idea (2photon interference)



$$R_0 \approx 1 + \gamma(\Delta L)\gamma'(\Delta L') \cos \left[k_{pq}\Delta L + \left(\frac{k_{pq} - k_{pq}'}{2} \right) \Delta L' + \Delta \phi \right]$$



Main idea (polarization entanglement)



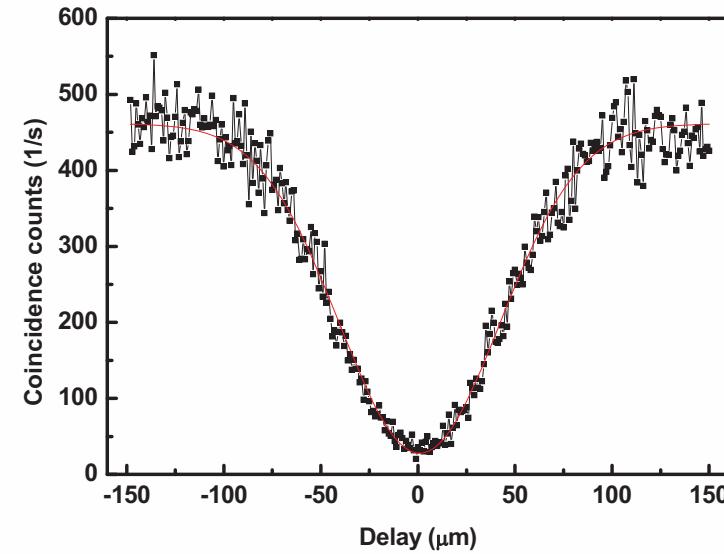
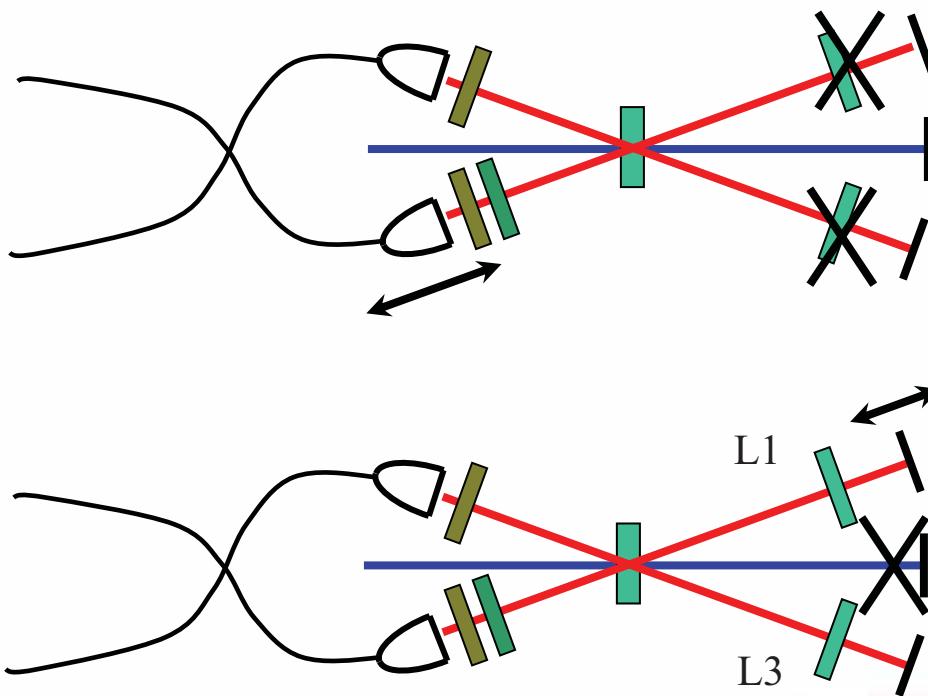
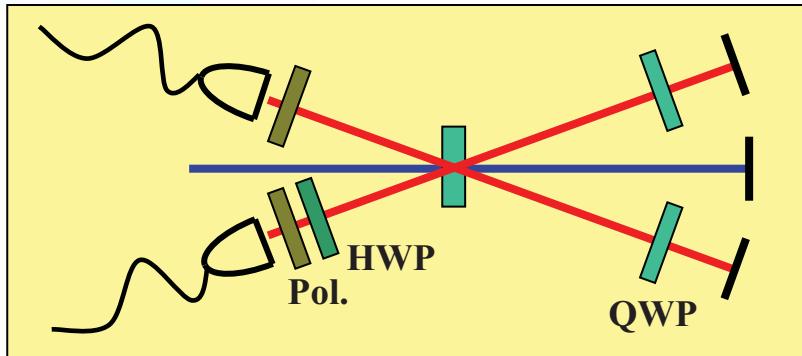
$$|\Psi\rangle = \frac{1}{\sqrt{2}} [e^{i\phi} (|H_1\rangle |V_2\rangle + e^{i\varphi} |V_1\rangle |H_2\rangle)]$$

adjust phase
→

$$|\Psi\rangle = \frac{1}{\sqrt{2}} [|H_1\rangle |V_2\rangle + |V_1\rangle |H_2\rangle]$$

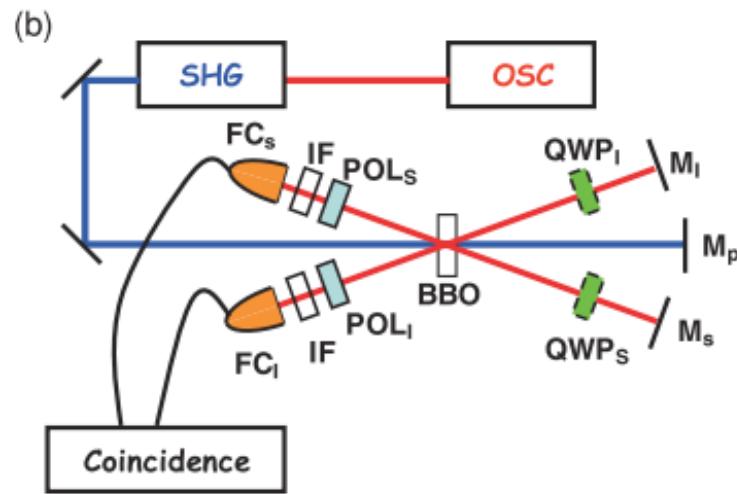


HOM interference measurement (adjust path length)





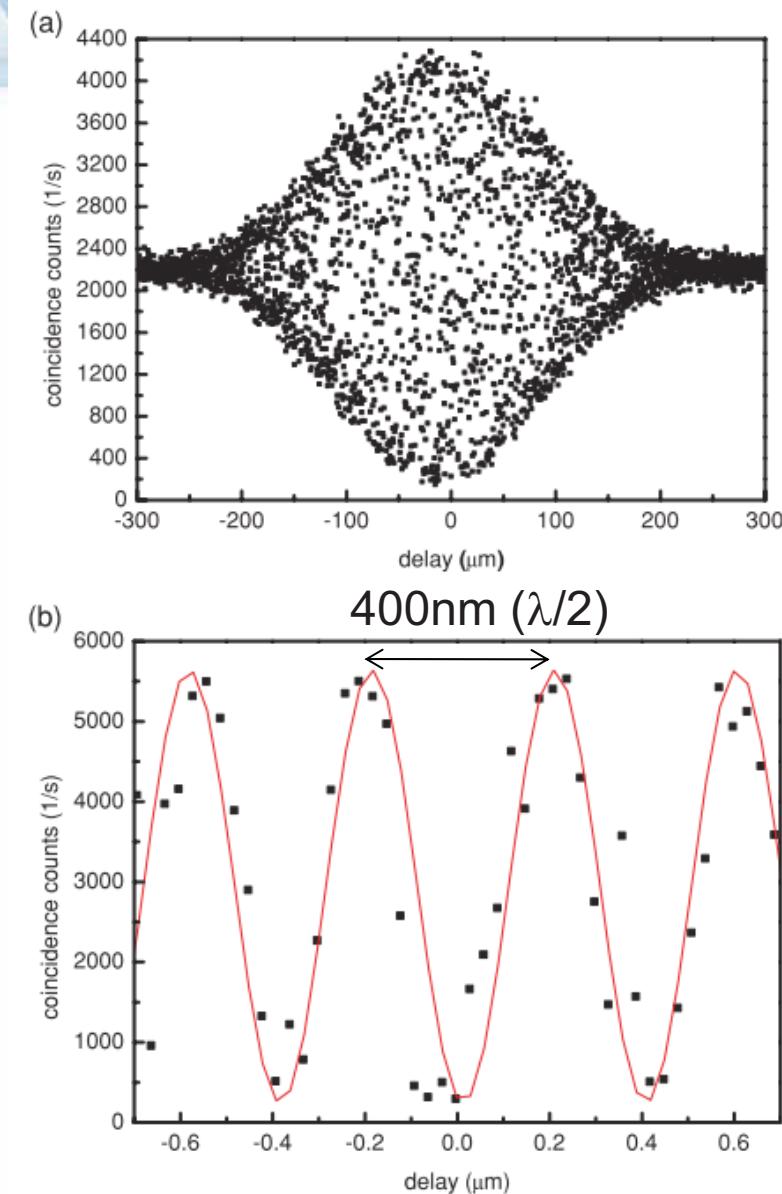
2photon interference by photon pair beams



classical lithography
resolution $\sim \lambda$

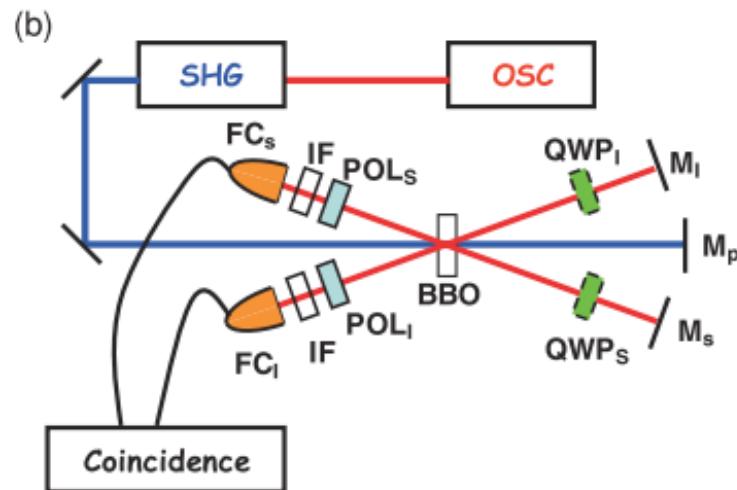


2-photon interference (quantum lithography)
2 times higher resolution





polarization entanglement by photon pair beams



rotate polarization 90 degrees by QWP plates

$$|H_1\rangle|V_1\rangle + e^{i\phi}|H_2\rangle|V_2\rangle$$

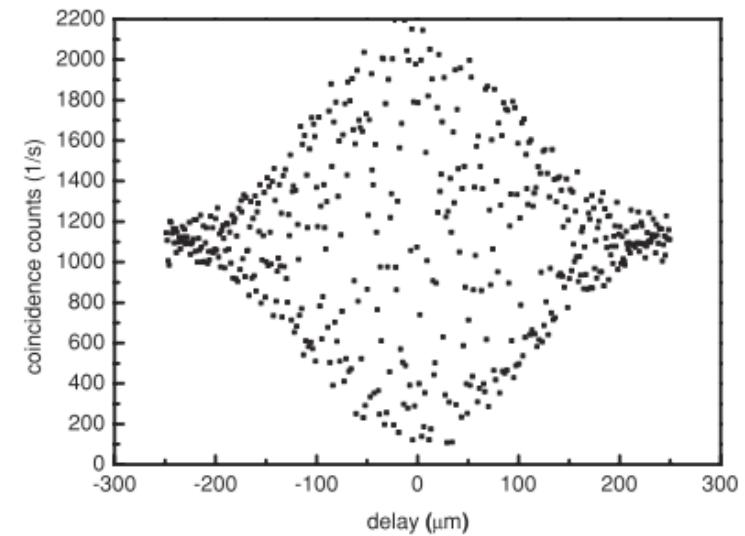


$$|V_1\rangle|H_1\rangle + e^{i\phi}|H_2\rangle|V_2\rangle$$

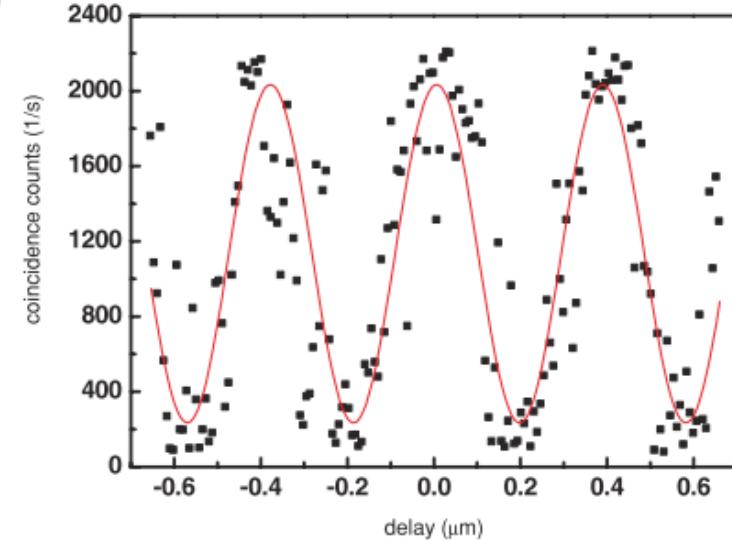
(max entangle at $\phi=n\pi$

n:integer)

(a)



(b)



measure coincidence scanning ϕ
visibility = 0.90 ± 0.05
(highly entangled)



Our new scheme to generate photon pair beams for two purposes

{ two-photon interference
polarization entanglement

Our new scheme

resolution of 2-photon interference ($\lambda/2$)

2 times higher than classical limit (λ)

all photon pairs can be polarization entangled

efficient generation of polarization entangled pairs

cf.) traditional method : only crossing points of light cones

Hsin-Pin Lo et al., Beamlike photon-pair generation for two-photon interference and polarization entanglement, Phys. Rev. A 83, 022313 (2011)



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PHYSICAL REVIEW A 83, 022313 (2011)

Beamlke photon-pair generation for two-photon interference and polarization entanglement

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(Received 25 October 2010; published 14 February 2011)

Beamlke photon pairs were generated by spontaneous parametric down-conversion using a type-II β -BaB₂O₄ crystal. A pump laser generated photon pairs when it transmitted through the crystal and was reflected back into the crystal by a mirror to generate more photon pairs. The photon pairs generated when the pump laser first transmitted through the crystal (first photon pairs) were also reflected back into the crystal to overlap with the light path of the photon pairs generated in the second transmission of the pump laser through the crystal (second photon pairs). We observed interference between the first and second photon pairs modulated with a half period of the wavelength of the photon pairs, which demonstrates two-photon interference using the beamlike photon pairs. The fringe period confirms that the observed interference is not classical interference but quantum two-photon interference. Through rotating the angles of quarter-wave plates in the light paths of the photon pairs, we generated beamlike photon pairs with entangled polarization. The phase between the first and second photon pairs could be tuned by changing the position of mirrors reflecting the pump pulses and photon pairs. The fringes of coincidence counts showed that the beamlike photon pairs have polarization entanglement.

DOI: 10.1103/PhysRevA.83,022313

PACS number(s): 03.67.Bg, 03.65.Ud

You can find more detail information in this paper.



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Thank you for your attention!