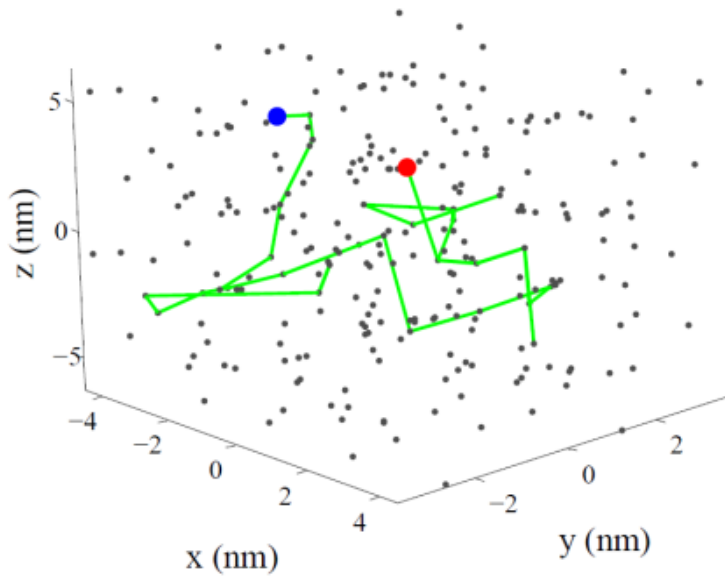


# Organic optoelectronic device modelling: the trajectory of excitons, charges and the role of interfaces



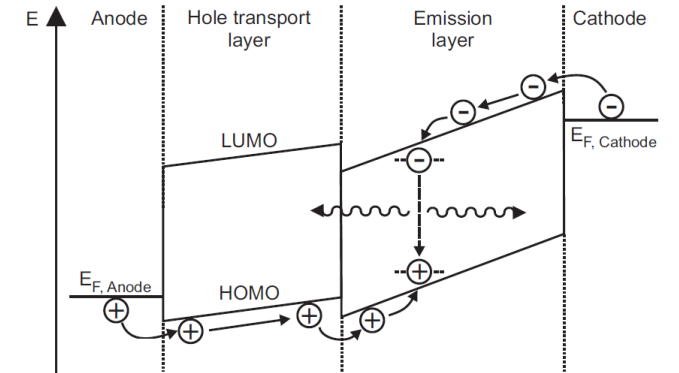
Dr. Theodoros Papadopoulos

*Department of Natural Sciences*

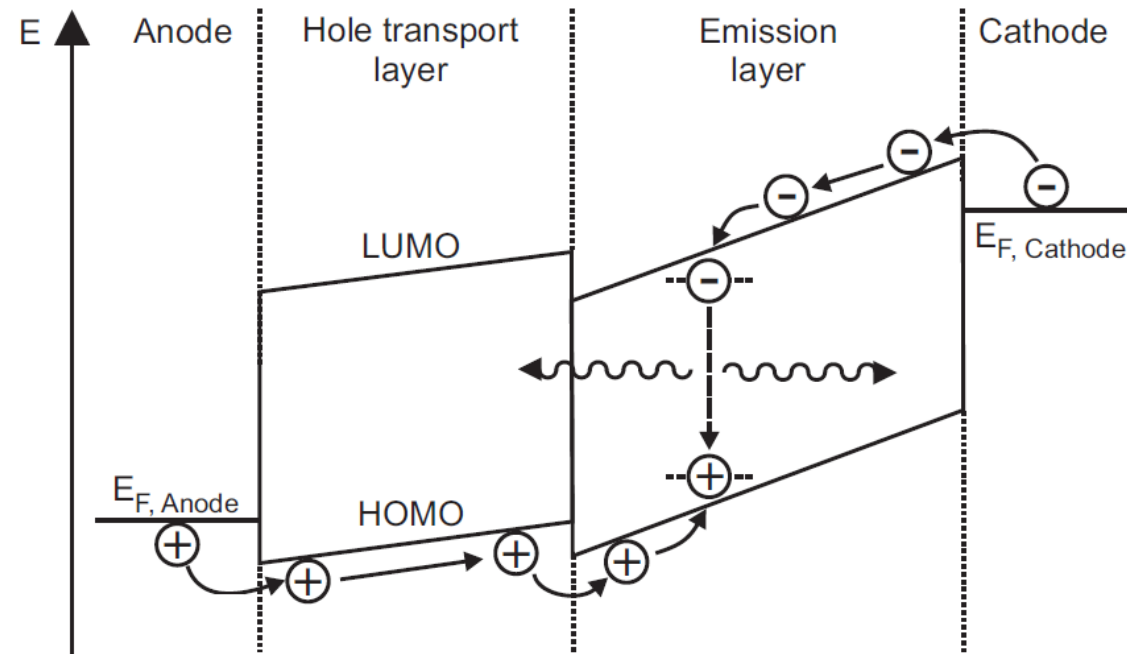
*Thornton Science Park*

*University of Chester, U.K.*

24 June, 2019



- Exciton transport in organic thin films [1]
- Charge transport in organic thin films [2]
- Charge transfer at organic/inorganic interfaces [3]



1. T. Papadopoulos, et al., *Chem. Sci.* 2, 1025 (2011).
2. S. M. Gali, et al., *J. Chem. Phys.* 147, 134904 (2017).
3. T. Papadopoulos, et al., *Adv. Funct. Mater.* 23, 6091 (2013).

# OPV applications

Flexible and semi-transparent



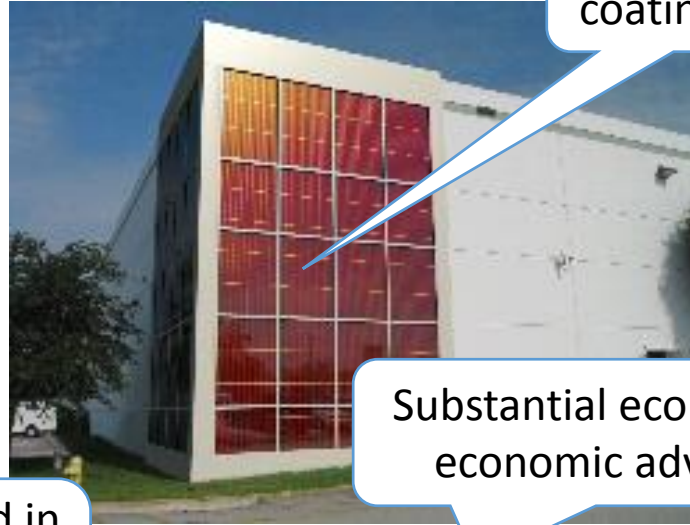
Significant cost reduction compared to traditional solutions



Manufactured in a continuous printing process



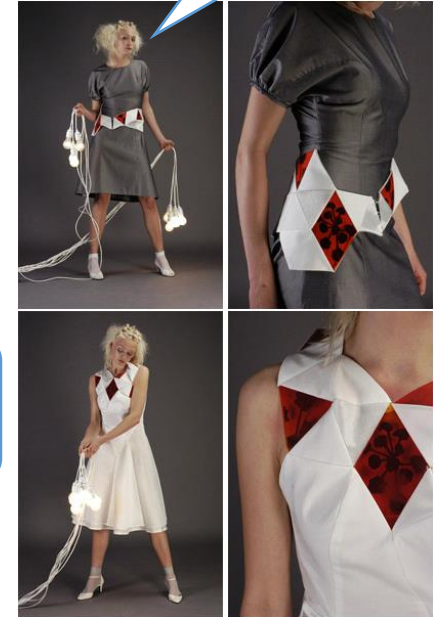
Large coating area



Substantial ecological and economic advantages



Embedded in fabrics



# OLED applications I

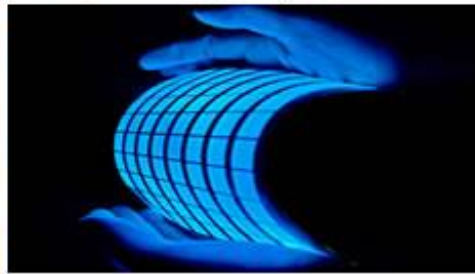
Lightweight and  
can cover almost  
any surface



Flexible giving rise  
to artistic design  
with light



Embedded  
in fabrics



Wider viewing angles  
and improved contrast  
(no backlight, correct  
colors, true black)



Roll-up  
displays



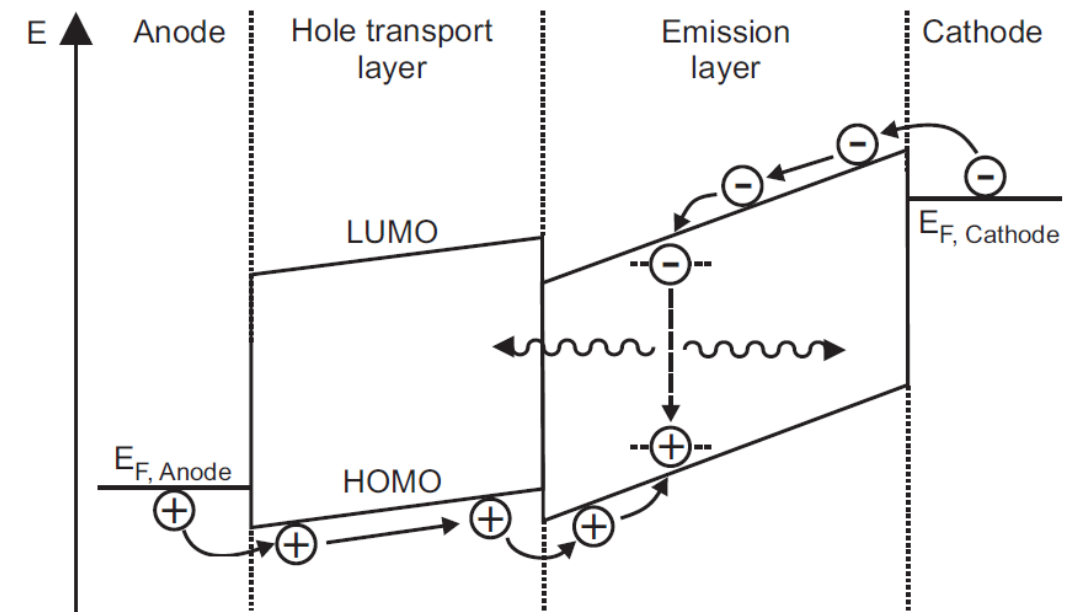
Not possible with current  
inorganic LED technology

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Natural Sciences

# Part I: Charge transfer at metal-oxide/organic interfaces

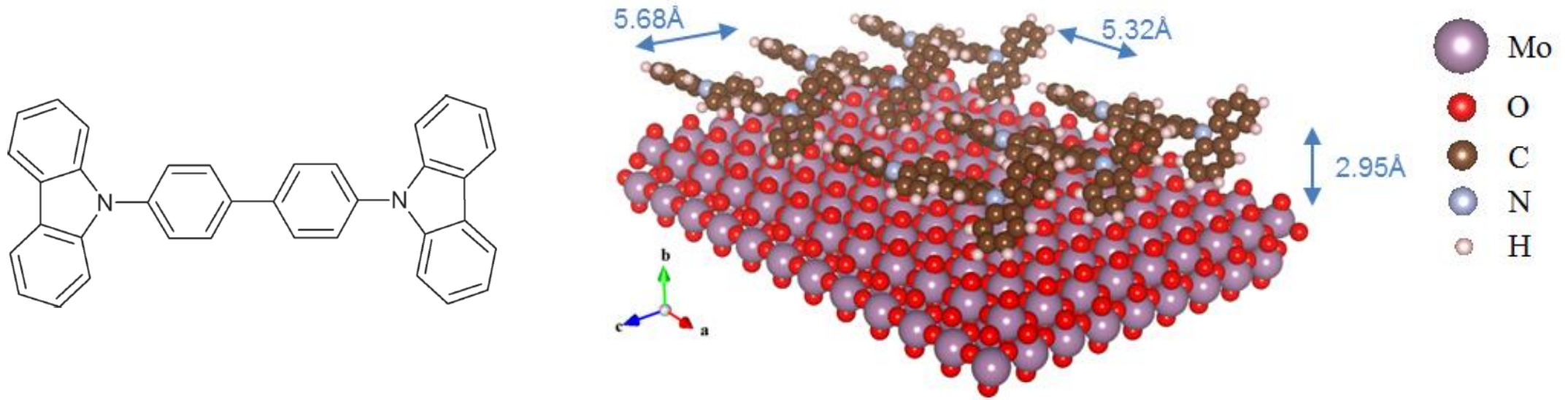
- We would like to understand the role of transition metal oxides in the performance of organic optoelectronic devices.
- Adsorb of a  $\pi$ -conjugated organic hole transport layer.
- Effect of stoichiometric and under-stoichiometric metal-oxide surfaces on energy level alignment with the hole-transport layer.
- Evaluate the experimentally observed gap-state density after adsorption of the organic film on the metal oxide.

What is the influence of oxygen vacancies on the substrate surface?



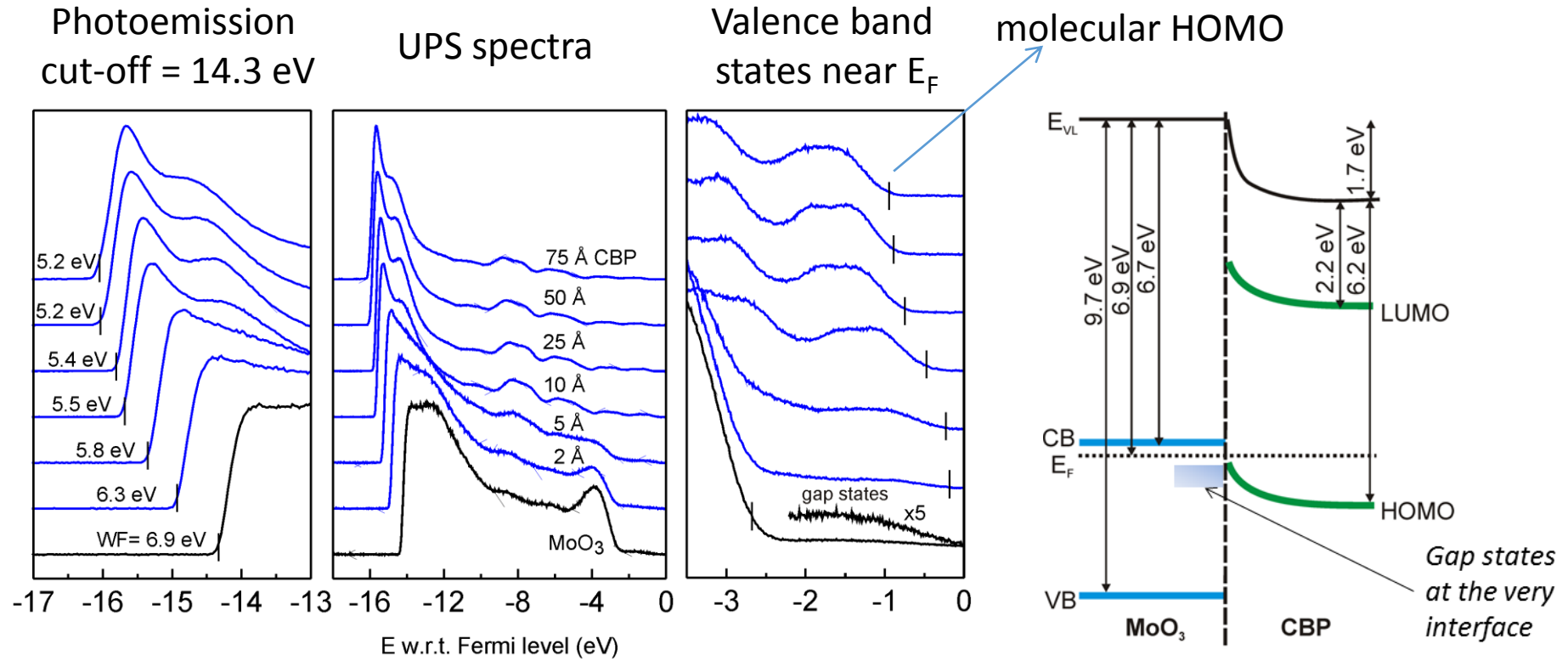
- Y. Zhou et al., [Science 336, 327 \(2012\)](#).
- T. Papadopoulos et al., [Adv. Funct. Mater. 23, 6091 \(2013\)](#).
- M.-K. Lin, et al., [Phys. Rev. B 95, 085425 \(2017\)](#).

# The system studied



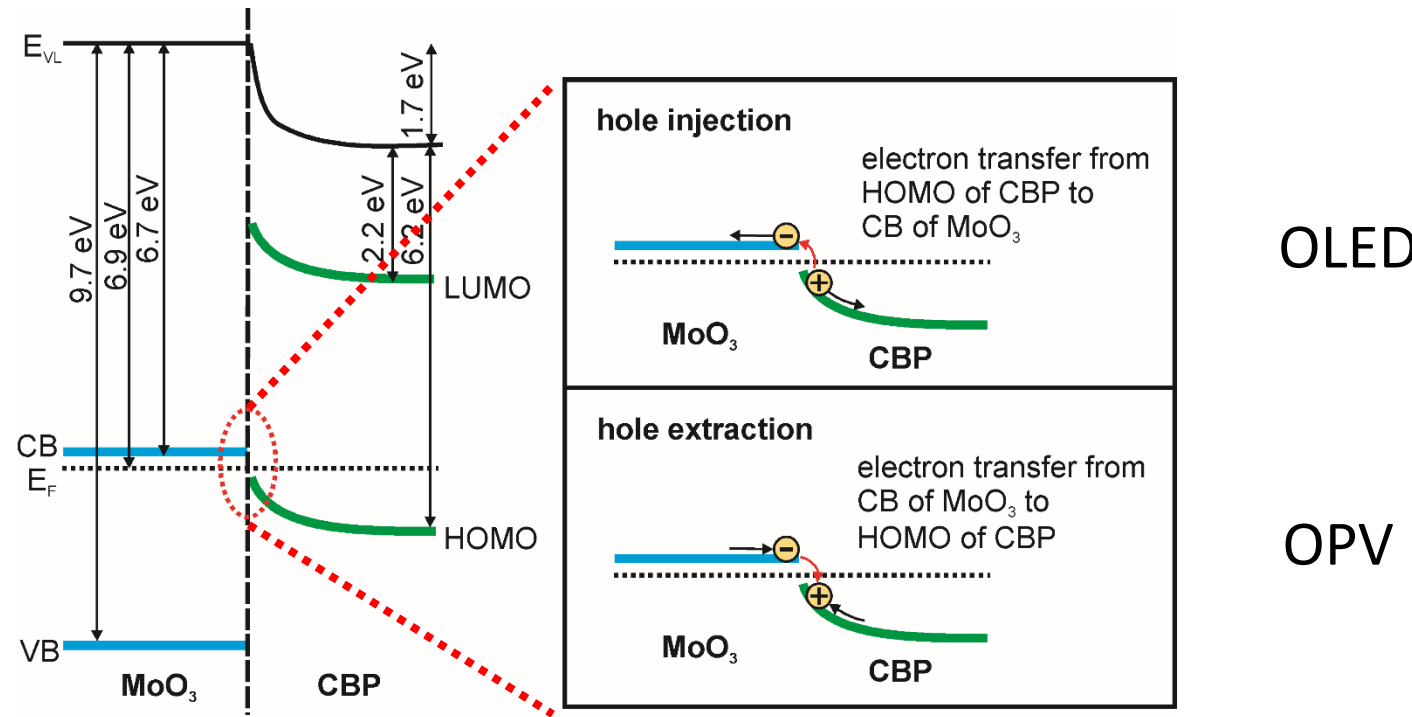
- Interfacial system: MoO<sub>3</sub>/4,4'-N,N'-dicarbazole-biphenyl (CBP)
- We consider both stoichiometric MoO<sub>3</sub> (010) and under-stoichiometric MoO<sub>x</sub> (010) surfaces as well as their interfaces with CBP.

# Energy level alignment via UPS



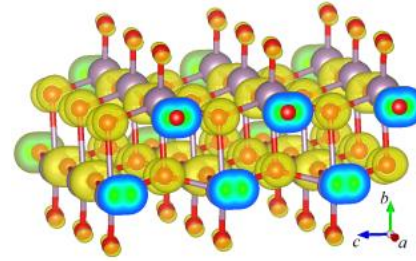
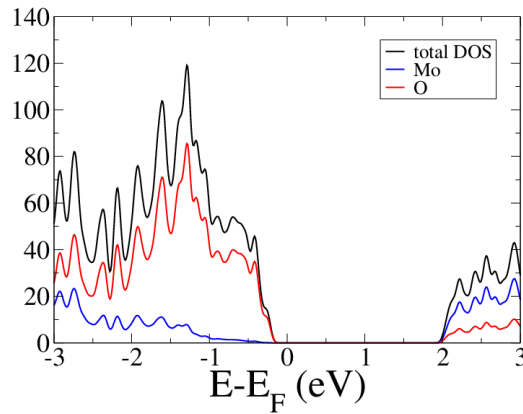
- Band bending occurs as a result of a p-doping effect at the interface causing the HOMO level to move downwards away from  $E_F$ .
- Gap states are centered near -1.4 eV and extend up to  $E_F$ .

# Energy level alignment via UPS

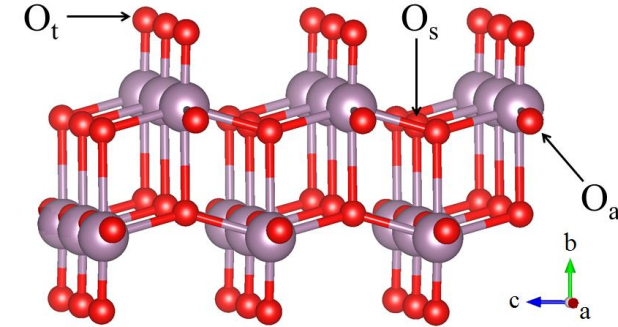


- What is the origin of the gap states observed via UPS?
- What would be their effect of energy level alignment?
- Could we quantify this effect? Can theory help?

# DOS of the $\text{MoO}_3(010)$ surface



Charge density corresponding to the states in a range of 0.15 eV below  $E_F$ .

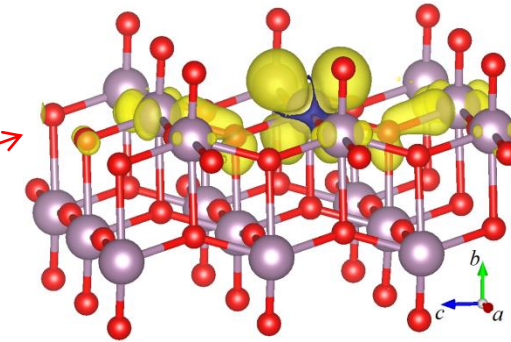
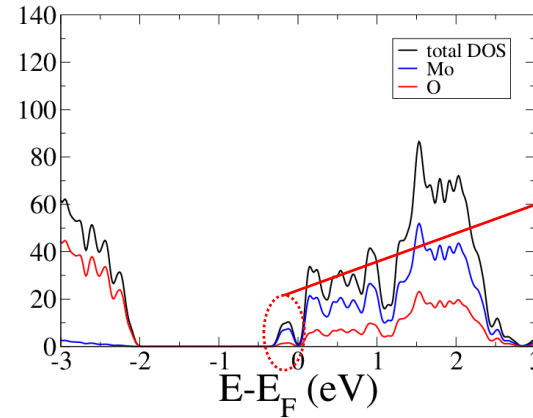
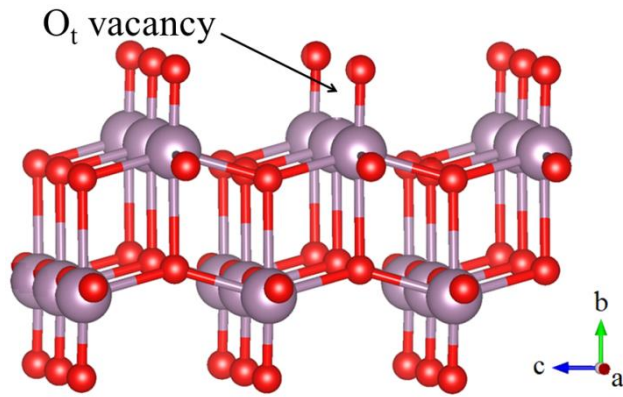


| $\text{MoO}_3(010)$ surface | EA (eV) | IP (eV) |
|-----------------------------|---------|---------|
| Theory (DFT-PBE)            | 6.3     | 8.6     |
| Experiment*                 | 6.7     | 9.7     |

- There seem to be no gap-states observed for the stoichiometric  $\text{MoO}_3$ .
- VBM: Major contributions on the charge density come from Oxygen 2p electrons with nearly no contribution from Mo 4d electrons.
- CBM: Major contribution from Mo 4d states and a smaller contribution from O 2p states.
- What should we expect if we introduce oxygen vacancies?

\* J. Meyer et al., APL **96**, 133308 (2010)

# DOS for the $\text{MoO}_x$ surface: $\text{O}_t$ vacancy

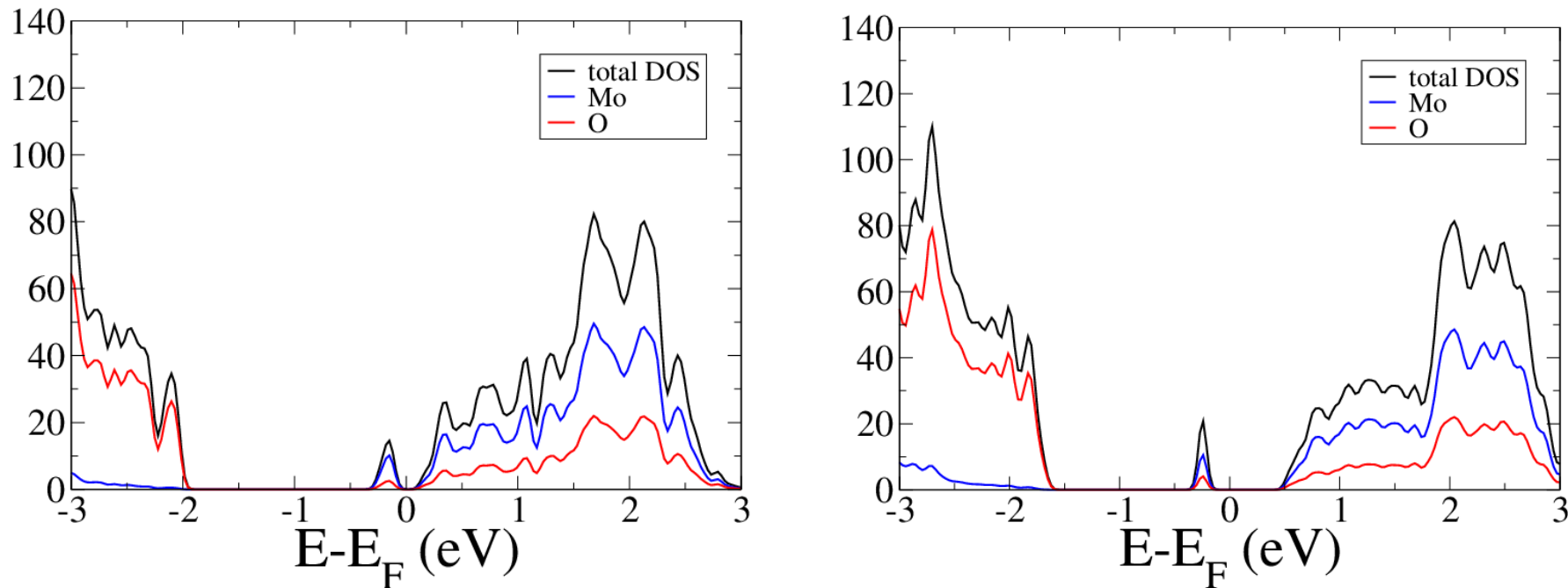


Charge density corresponding to the  $\text{O}_t$ -vacancy states right below  $E_F$  showing the Mo unsaturated bonds.

| $\text{MoO}_x$ surface | EA (eV) | IP (eV) | $\Phi$ (eV) |
|------------------------|---------|---------|-------------|
| Theory (DFT-PBE)       | 6.02    | 8.18    | 6.15        |

- $\text{MoO}_x(010)$  surface,  $x = 2.94$ , close to experimental estimation by Cho et al., JPCC 114, 18252 (2010).
- DOS shows n-type behavior with shallow states appearing  $\sim 0.1$  eV below CB edge with major contribution from Mo 4d states.
- Experimental work function:  $\Phi = 6.86$  eV by Meyer et al., APL 96, 133308 (2010).

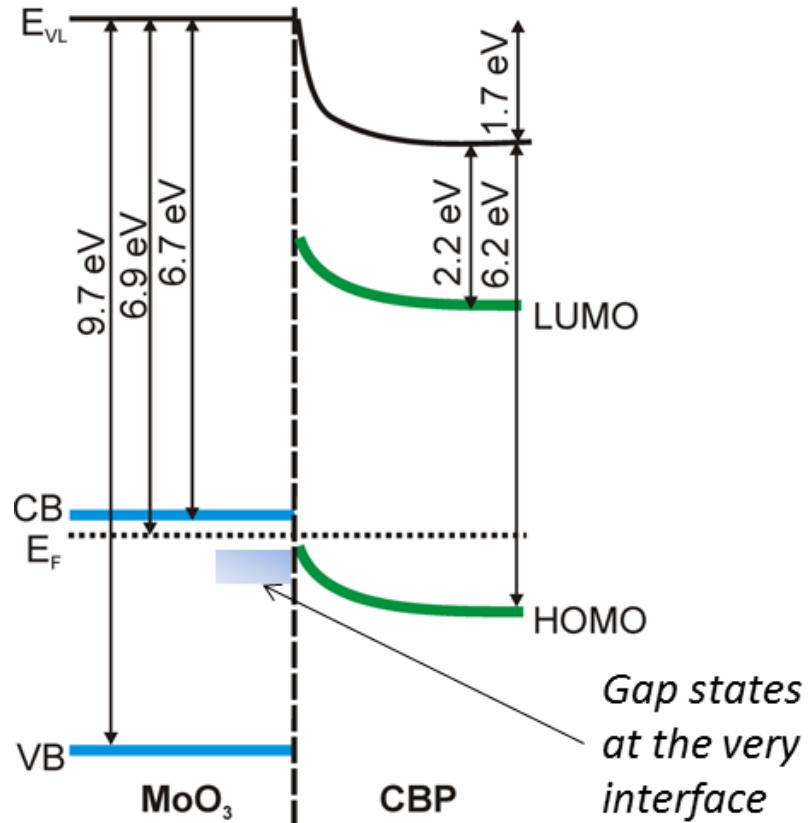
# DOS for the $\text{MoO}_x$ surface: $\text{O}_a$ and $\text{O}_s$ vacancy



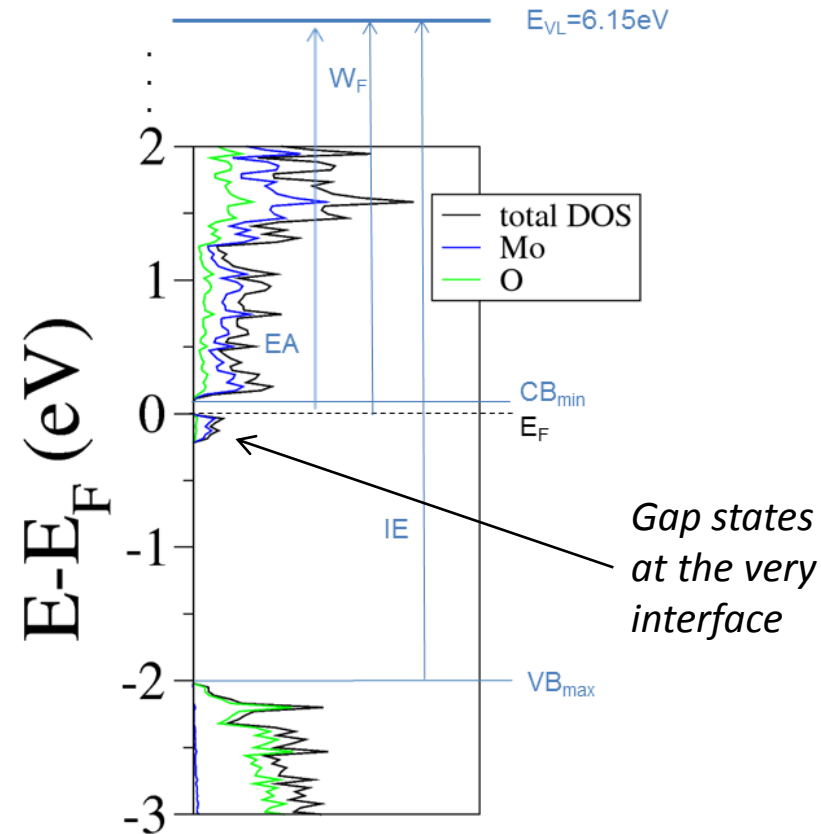
- $\text{O}_t$  and  $\text{O}_a$  vacancies contribute to the experimentally observed gap states near  $E_F$  ( $\text{O}_a$  are  $\sim 0.3$  eV below the CB edge).
- $\text{O}_s$  vacancies contribute to almost mid-gap states,  $\sim 0.75$  eV below CB edge.
- In practice a combination of different types of O vacancies could induce a complex geometry that contributes to the gap states centered at  $\sim 1.4$  eV below  $E_F$ , as observed via UPS measurements.

# Energy level alignment

Energy level alignment via UPS

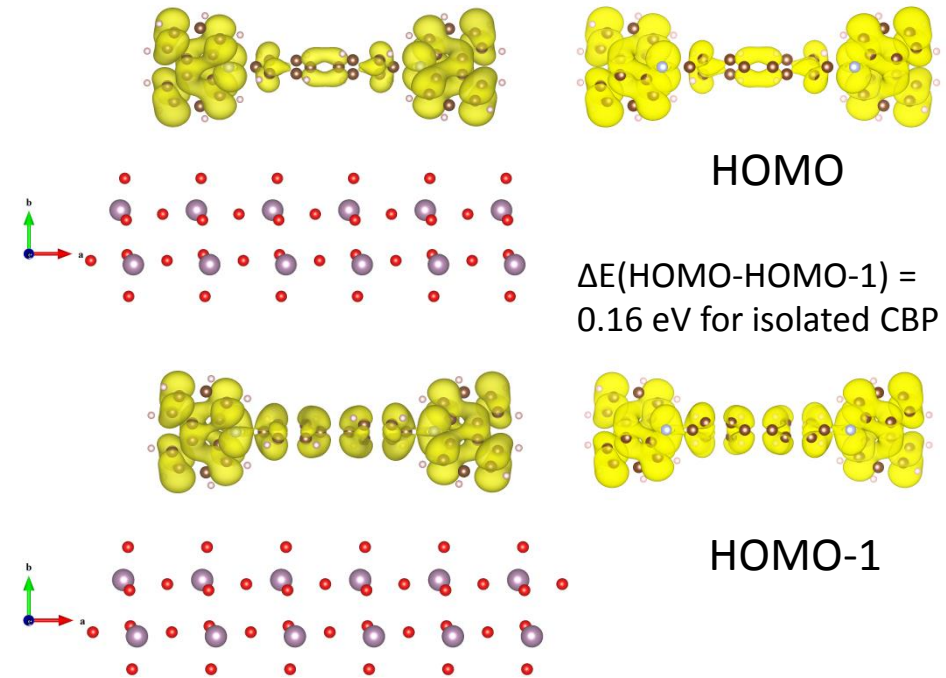
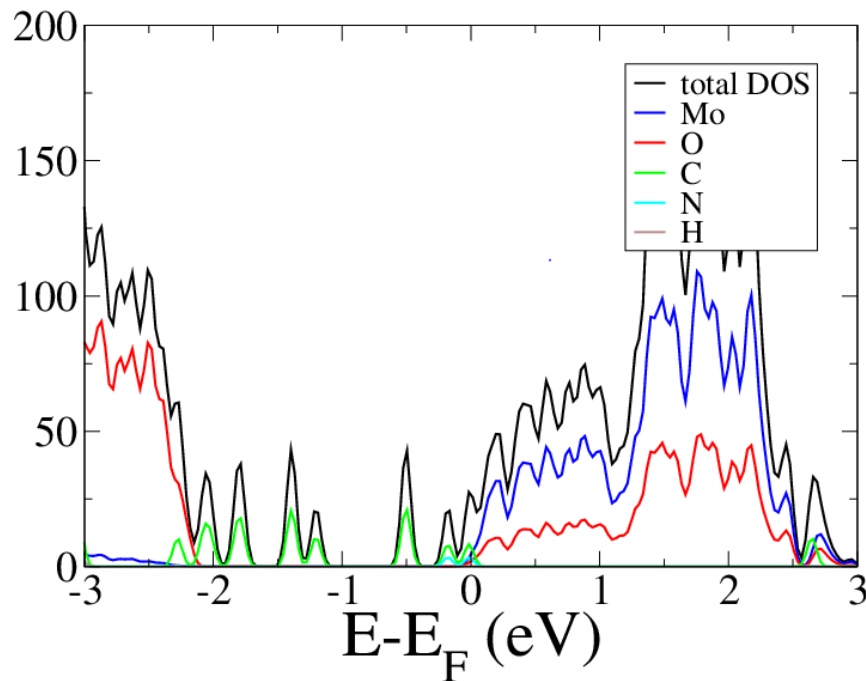


Theoretical DOS of the  $\text{MoO}_x$  surface



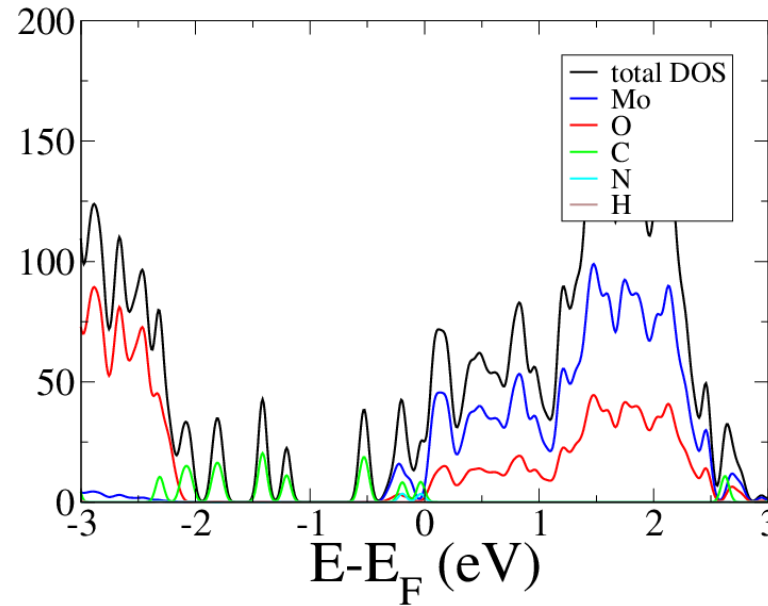
- Experimentally we can see that there is a favorable energy level alignment at the interface.
- Could we quantify and understand this effect theoretically after the adsorption of CBP?

# DOS for the CBP/MoO<sub>3</sub> interface



- Fermi level is right below the CB edge.
- Two molecular states, separated by 0.16 eV, (in green) have the same character and correspond to the HOMO and HOMO-1 of an isolated CBP (consistent with UPS showing HOMO close to CB edge).
  - The energy difference of HOMO and HOMO-1 for isolated CBP is 0.14 eV, close to the value for CBP adsorbed on MoO<sub>3</sub>.

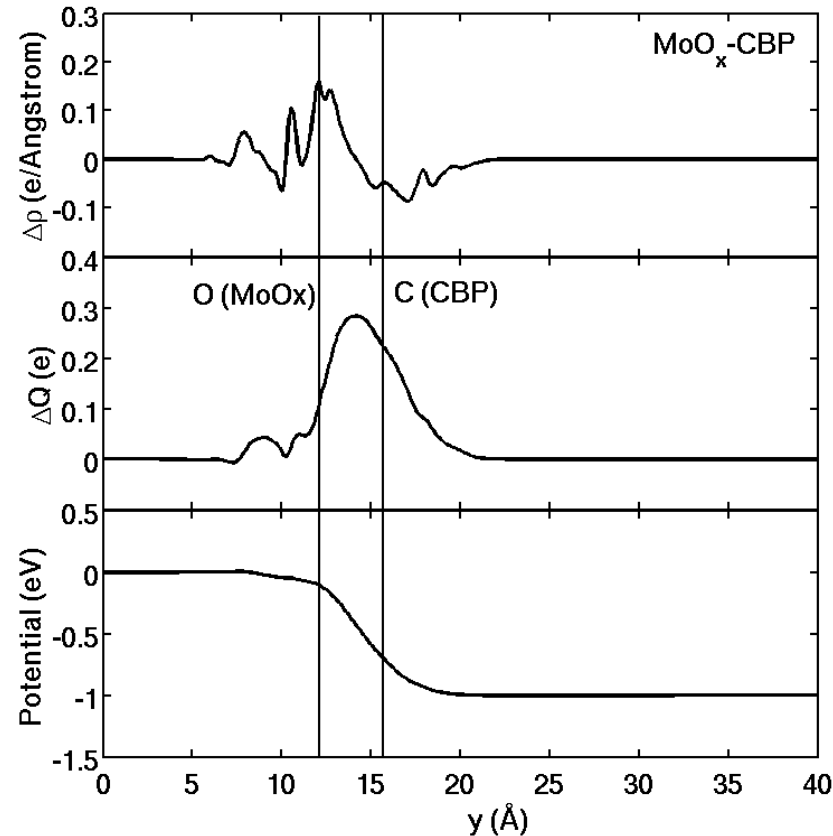
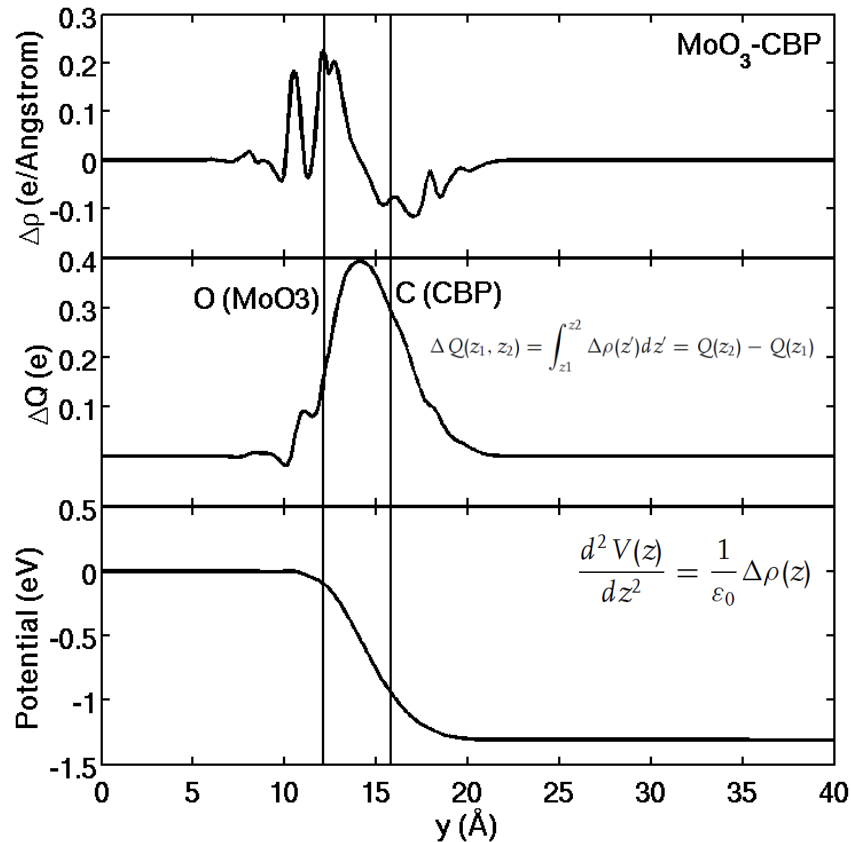
# DOS for the CBP/MoO<sub>x</sub> interface



- Similar DOS apart from the states below  $E_F$ .
- These are highly mixed levels associated with contributions of both the molybdenum atoms from the MoO<sub>x</sub> slab and the carbon and nitrogen atoms belonging to the CBP monolayer.
- The HOMO of CBP is found to almost align with  $E_F$ , leading to a *nearly* zero barrier for charge collection/injection from/to the MoO<sub>x</sub> surface.

# Charge transfer at the interface

$$\Delta\Phi = \Delta V_{\text{int.dip}} + \Delta V_{\text{mol.}} + \Delta V_{\text{surf.rel.}}$$



- The sum of the above three components is  $\Delta\Phi = -1.22$  eV and  $\Delta\Phi = -1.06$  eV for the  $\text{MoO}_3/\text{CPB}$  and  $\text{MoO}_x/\text{CPB}$  interfaces respectively.
- In good agreement with experiment for CBP deposition of  $5\text{Å}$ , i.e.  $\Delta\Phi = -1.10$  eV

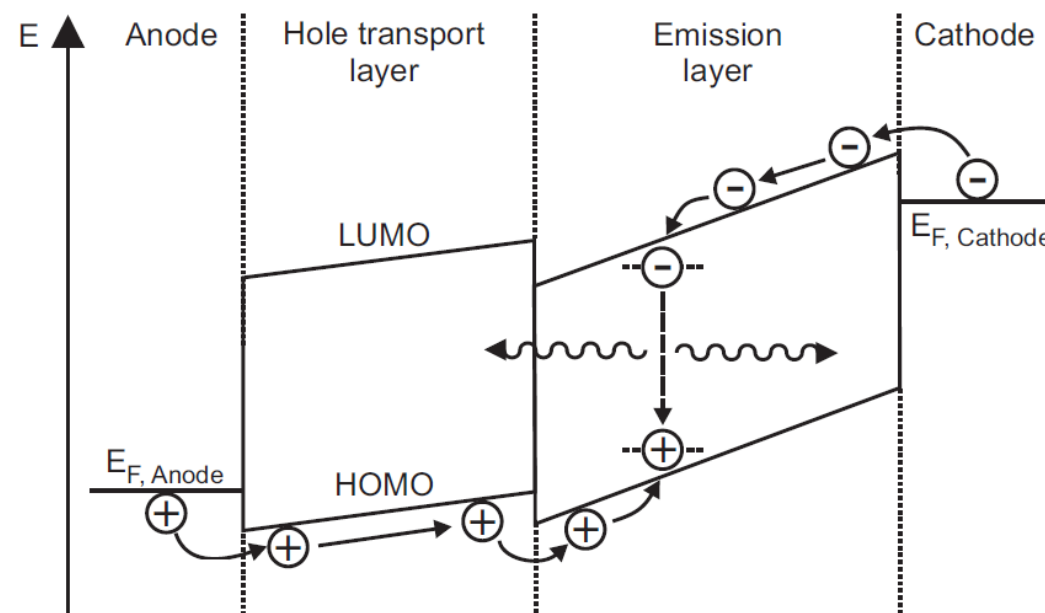
# Conclusions of Part I

- Terminal and asymmetric oxygen vacancies seem to be related to gap states just below the  $\text{MoO}_x$  CB edge.
- Symmetric oxygen vacancies show their “fingerprint” about 0.75 eV below the CB edge, almost at mid-gap.
- There is a combined contribution to the broad UPS gap states from all the above types of O vacancies.
- The HOMO of CBP is found to almost align with  $E_F$ , leading to a *nearly* zero barrier for charge collection/injection from/to the  $\text{MoO}_x$  surface.
- Molybdenum trioxide can be a suitable anode candidate to realize efficient charge injection/collection processes in metal-oxide/organic interfaces.

# Part II: Exciton migration in organic thin films

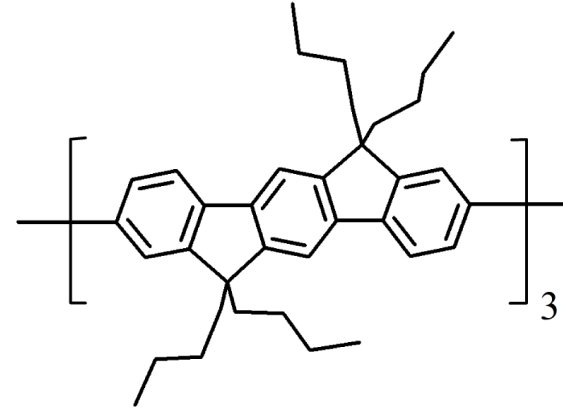
- Present a method to extract singlet exciton diffusion dynamics combining MD simulations, quantum chemical calculations and KMC modelling.
- Our aim is to investigate how sensitive are exciton transport properties to changes in oligomeric morphology and temperature.
- We demonstrate that positional and orientational disorder does not seem to affect the ability of excitons to diffuse.
- On the other hand, when energetic disorder becomes dominant, a significant decrease on the exciton diffusion length is observed. Would this be relevant?

What is the influence of positional and energetic disorder?



# Motivation for the system studied

We use indenofluorene trimers (IF3)



- Indinofluorene oligomers are blue and violet emitters
- Their morphology is well characterised experimentally, via wide angle X-ray scattering
- Promising for optoelectronic device applications

# Theoretical approach

- We use Molecular Dynamics to extract the thin film morphology (NAMD, CHARMM)
- Exciton transfer rates are then extracted using an improved Förster approach:

- The excitonic coupling between chromophores is:

$$V_{ij} = \frac{1}{4\pi\epsilon_0} \sum_m \sum_n \frac{\rho_i(m)\rho_j(n)}{r_{mn}}$$

- The hopping rate between donor and acceptor is:  $k_{ij} = \frac{2\pi}{\hbar} |V_{ij}|^2 J_{ij}$

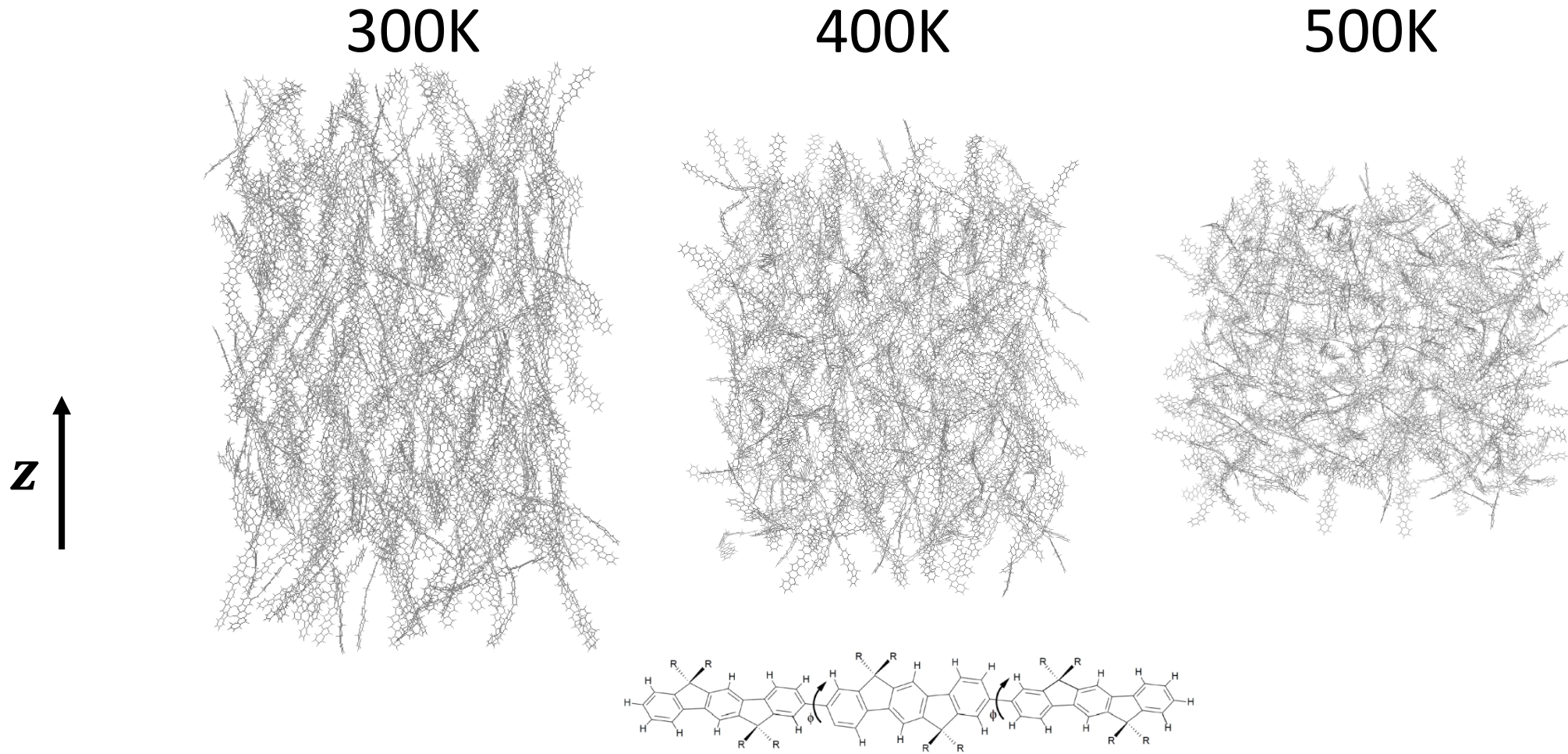
where  $\rho_i(m)$  is the atomic transition density on each chromophore (INDO/CCSD level),  $J_{ij}$  the spectral overlap,  $m, n$  the atom sites and  $i, j$  the donor and acceptor chromophore sites.

- The donor  $i$  is on its 1<sup>st</sup> excited state and the acceptor  $j$  on its ground state.

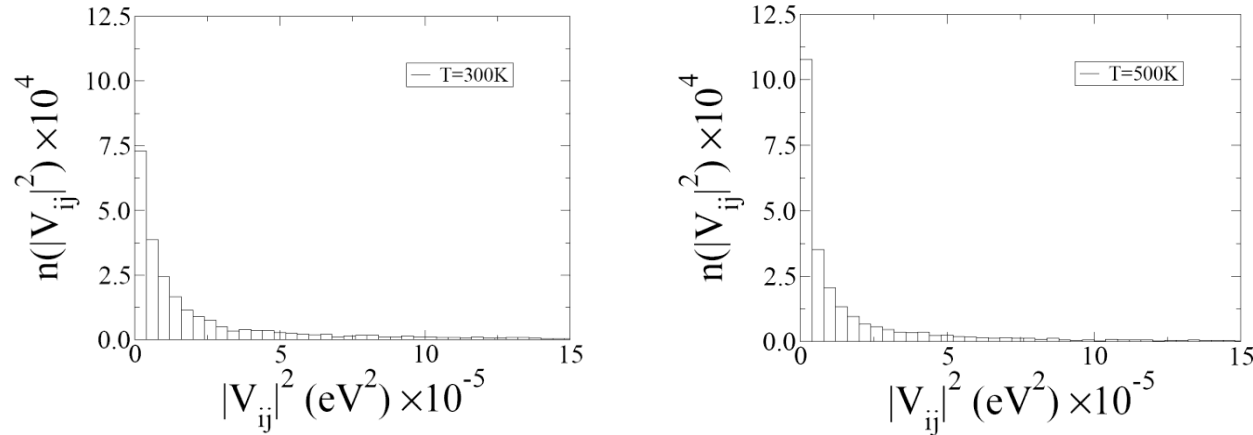
# Theoretical approach

- We use Kinetic Monte Carlo (KMC) modelling to follow the time evolution of the energy transfer:
  - A waiting time is calculated for each possible event:  $\tau_{ij} = \frac{1}{k_{ij}} \ln(X)$ , where  $X$  is a random number uniformly distributed between 0 and 1.
  - A recombination time is calculated as:  $\tau_R = \tau_L \ln(X)$ , where the lifetime of a singlet exciton localised on an IF3 was measured as  $\tau_L = 655$  ps.
- Exciton diffusion dynamics are extracted as follows:
  - The diffusion length for each trial is:  $L_d^{trial} = \sqrt{\Delta x^2 + \Delta y^2 + \Delta z^2}$
  - Finally we will have:  $L_d = \langle L_d^{trial} \rangle$where  $\Delta x, \Delta y, \Delta z$  is the spatial difference between the initial and final point on the exciton trajectory.

# T dependent thin film morphology

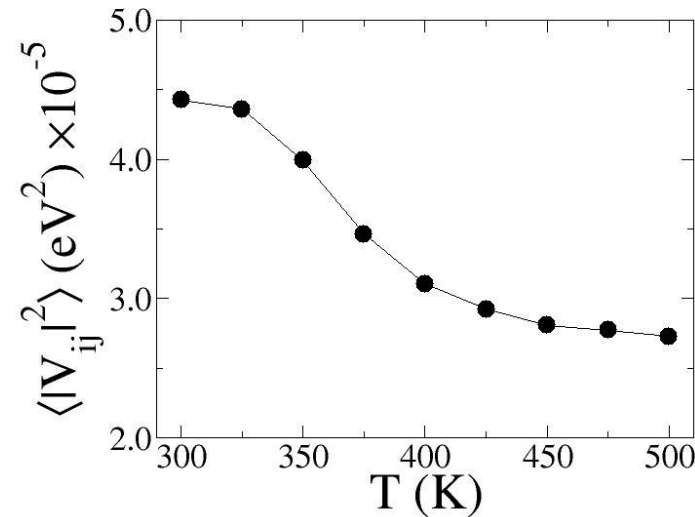


# Excitonic coupling



Distributed monopole approximation

$$V_{ij} = \frac{1}{4\pi\epsilon_0} \sum_m \sum_n \frac{\rho_i(m)\rho_j(n)}{r_{mn}}$$



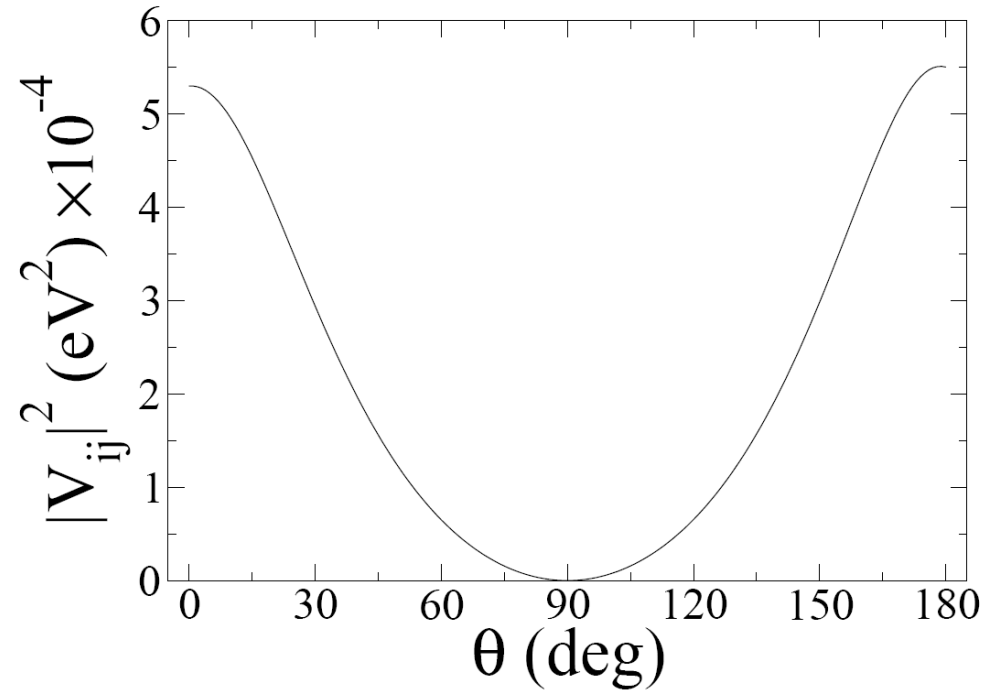
The excitonic coupling is decreasing as a function of T

$\rho_i(m)$  is the atomic transition density on each chromophore (INDO/CCSD level),  $J_{ij}$  the spectral overlap,  $m, n$  the atom sites and  $i, j$  the donor and acceptor chromophore sites. The donor  $i$  is on its 1<sup>st</sup> excited state and the acceptor  $j$  on its ground state.

# $|V_{ij}|^2$ as a function of $\theta$

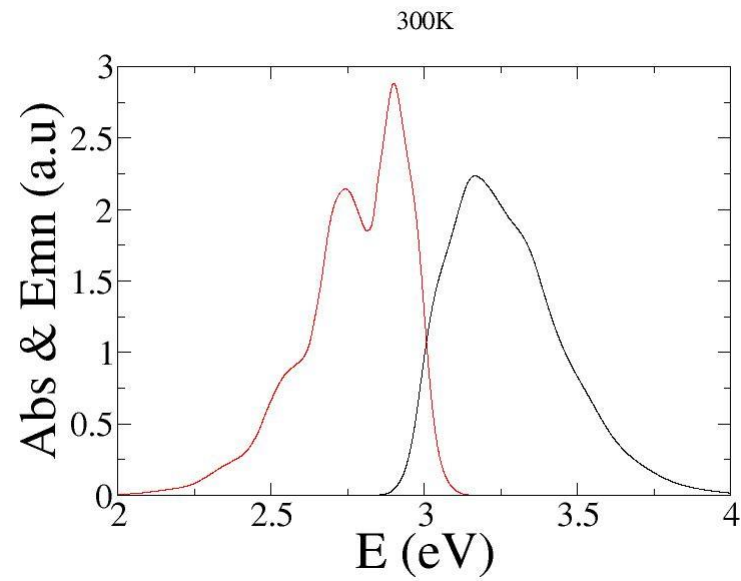
The hopping rate between donor and acceptor

$$k_{ij} = \frac{2\pi}{\hbar} |V_{ij}|^2 J_{ij}$$

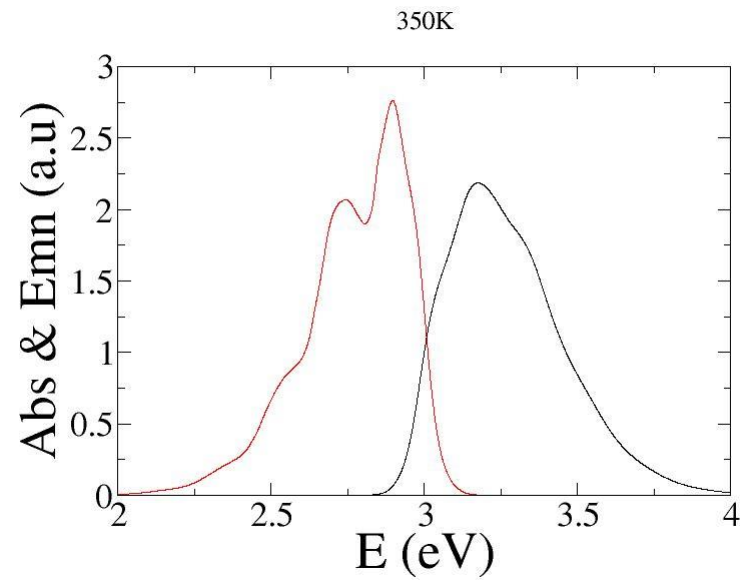


$\theta$  is the rigid body rotation angle around the axis connecting the centre of masses of two IF trimers

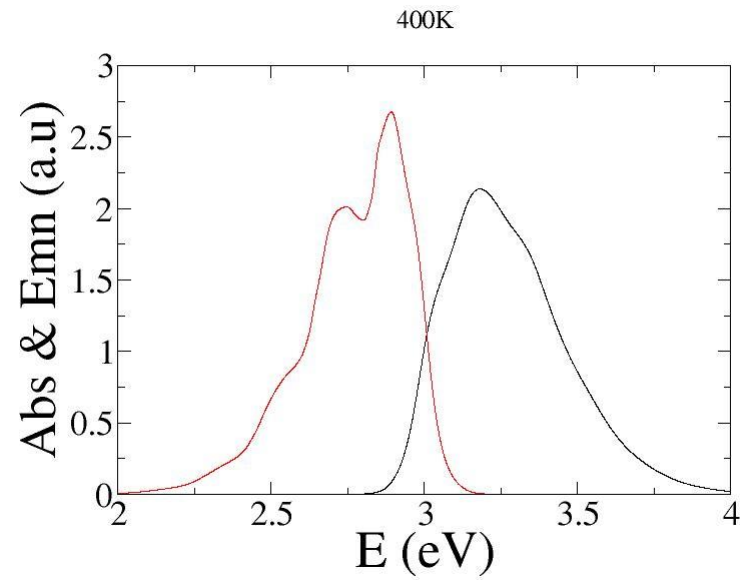
# Spectral overlap $J_{ij}$



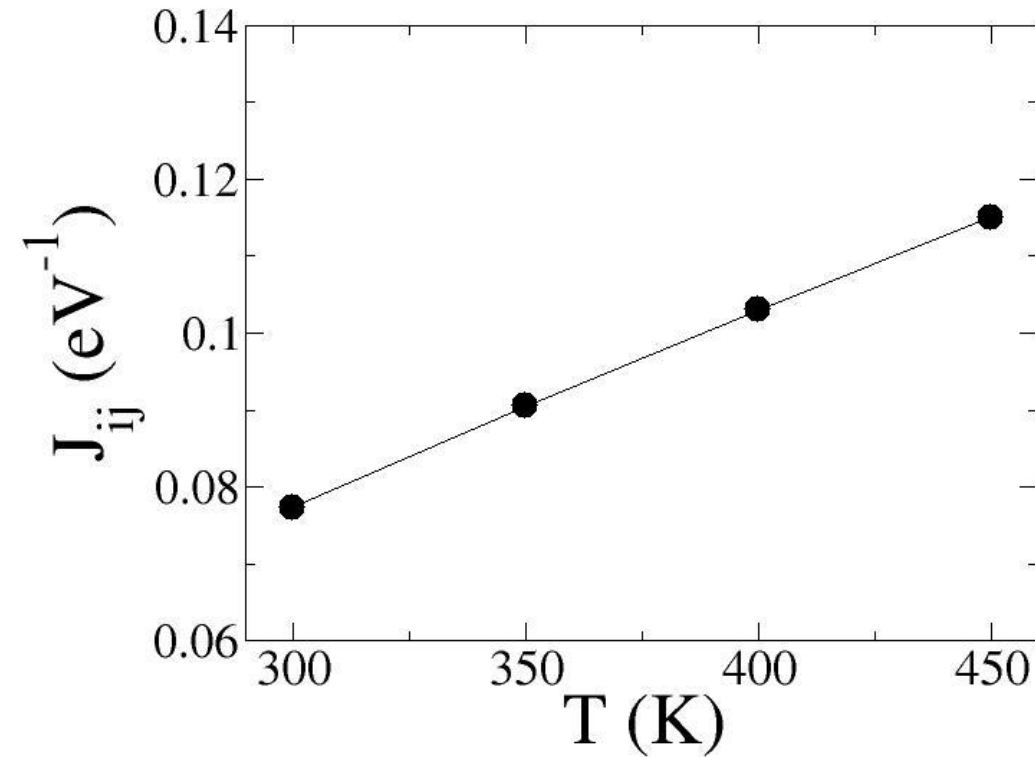
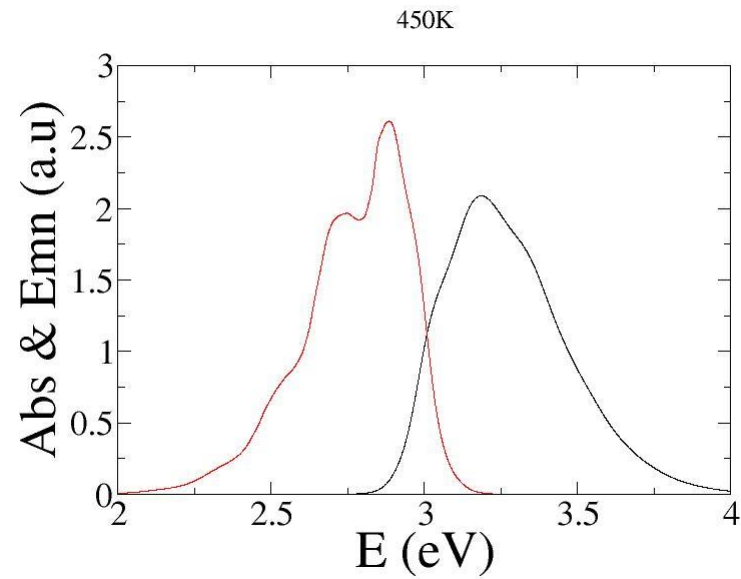
# Spectral overlap $J_{ij}$



# Spectral overlap $J_{ij}$



# Spectral overlap $J_{ij}$

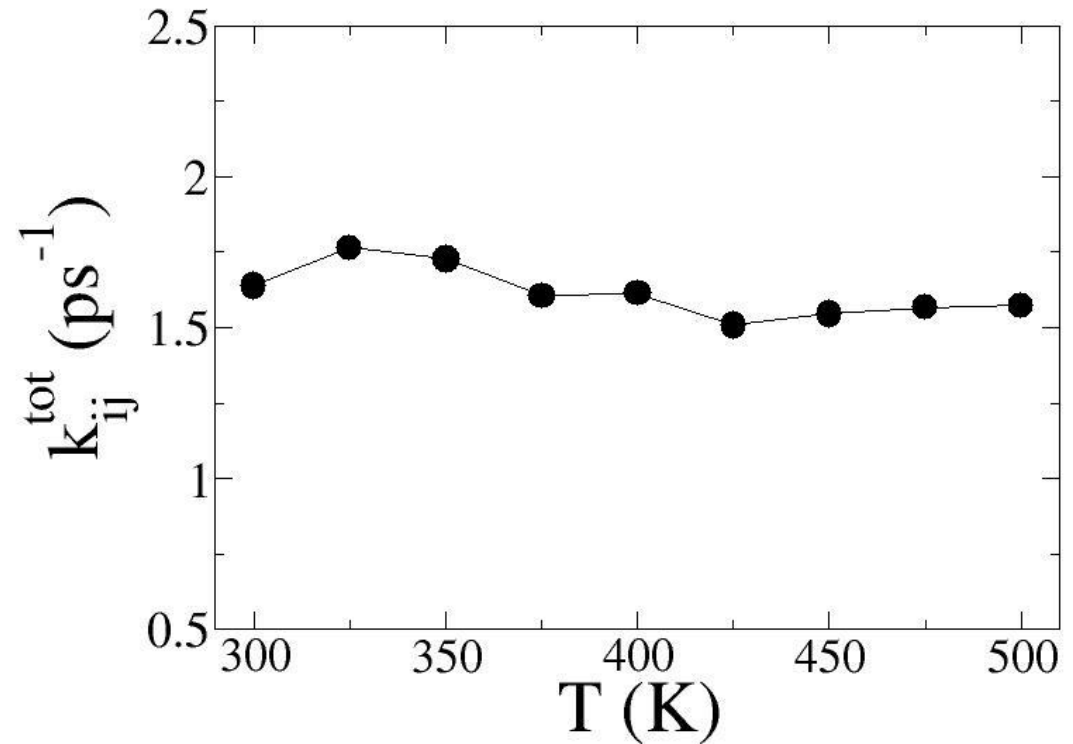


The spectral overlap is found to be increasing as a function of  $T$ .

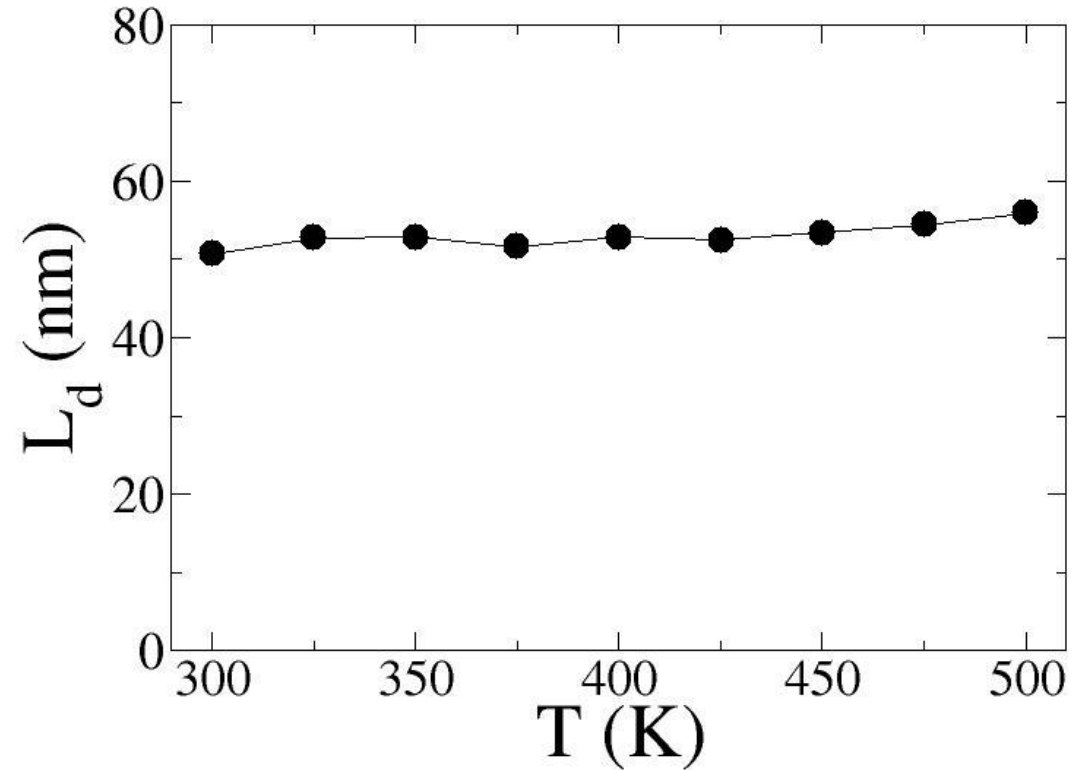
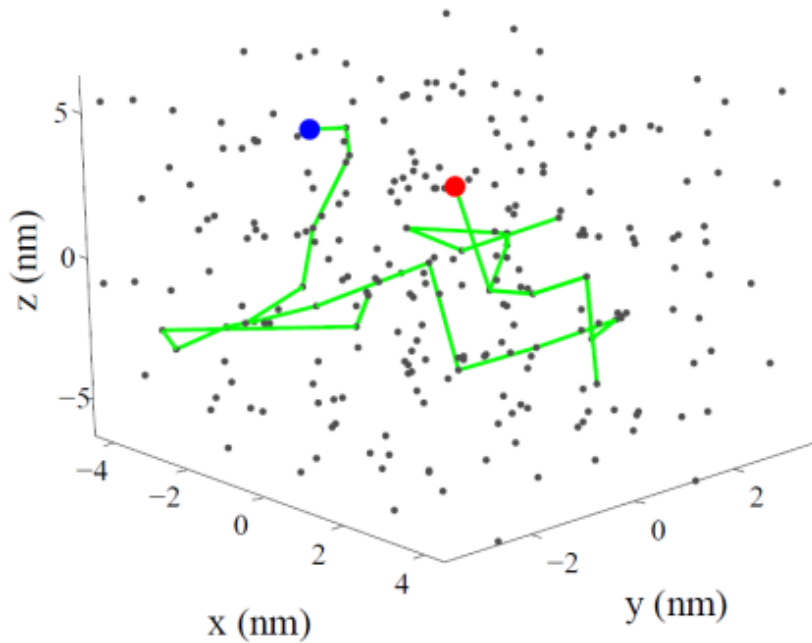
# Hopping rate $k_{ij}$

What would be the effect on  $k_{ij}$ ?

$$k_{ij} = \frac{2\pi}{\hbar} |V_{ij}|^2 J_{ij}$$



# Diffusion length $L_d$



$L_d$  stays constant as  $T$  increases due to the cancelling effect of the decrease in  $|V_{ij}|^2$  and the increase in  $J_{ij}$  as a function of temperature.

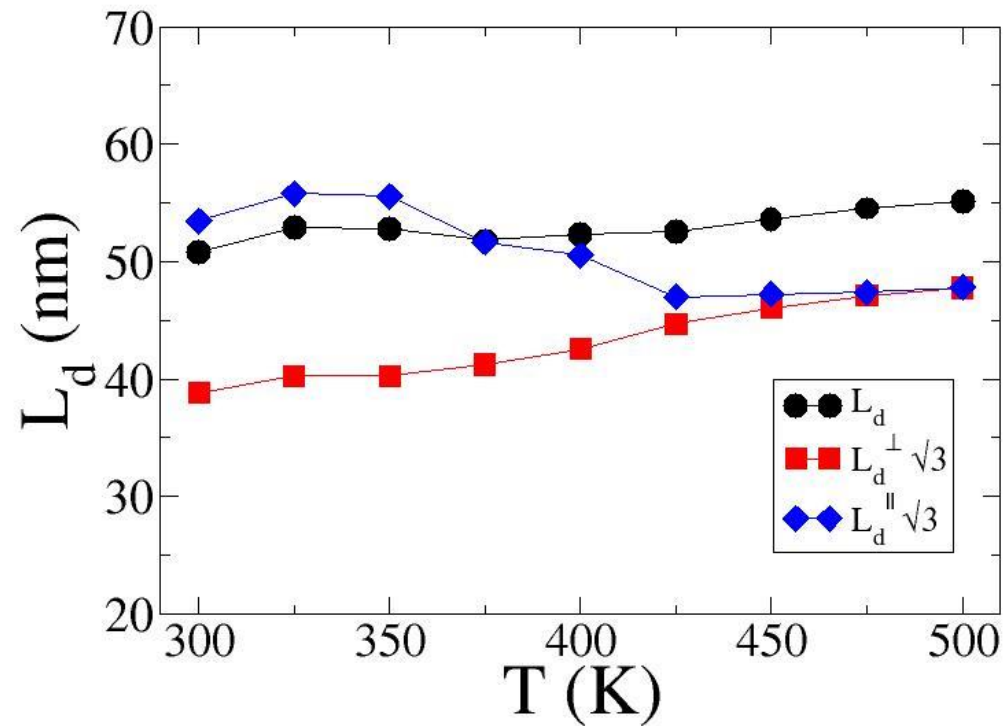
$$L_d^{trial} = \sqrt{\Delta x^2 + \Delta y^2 + \Delta z^2}$$

$$L_d = \langle L_d^{trial} \rangle$$

where  $\Delta x, \Delta y, \Delta z$  is the spatial difference between the initial and final point on the exciton trajectory.

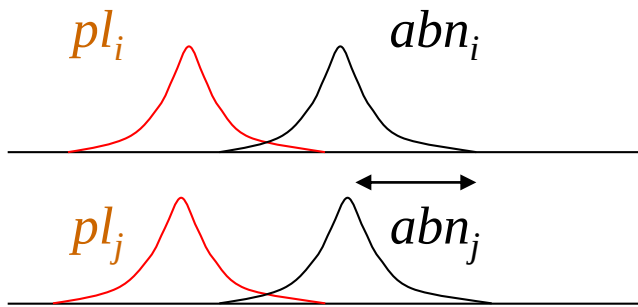
# Diffusion length along x-, y-, and z-axis

- When the smectic phase on the morphology is still valid, we observe that the diffusion length is greater along the z-axis.
- As T is increased the morphology becomes isotropic.



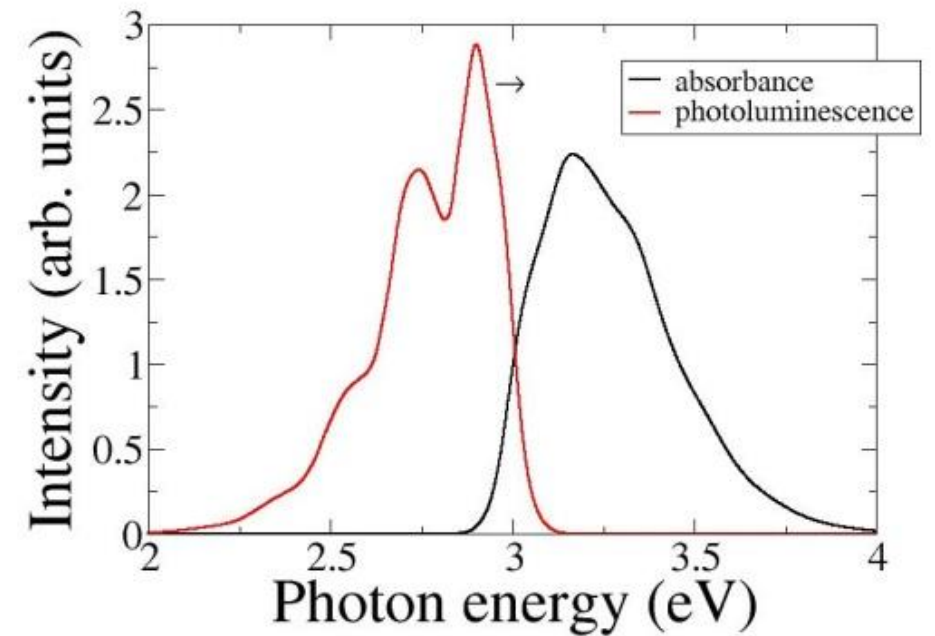
# Energetic disorder

Inhomogeneous energetic disorder is introduced through a random rigid shift on the chromophore spectra. Hence a randomly chosen spectral overlap is taken for each hopping rate between donor and acceptor which depends on the width  $\sigma$  of a Gaussian distribution.



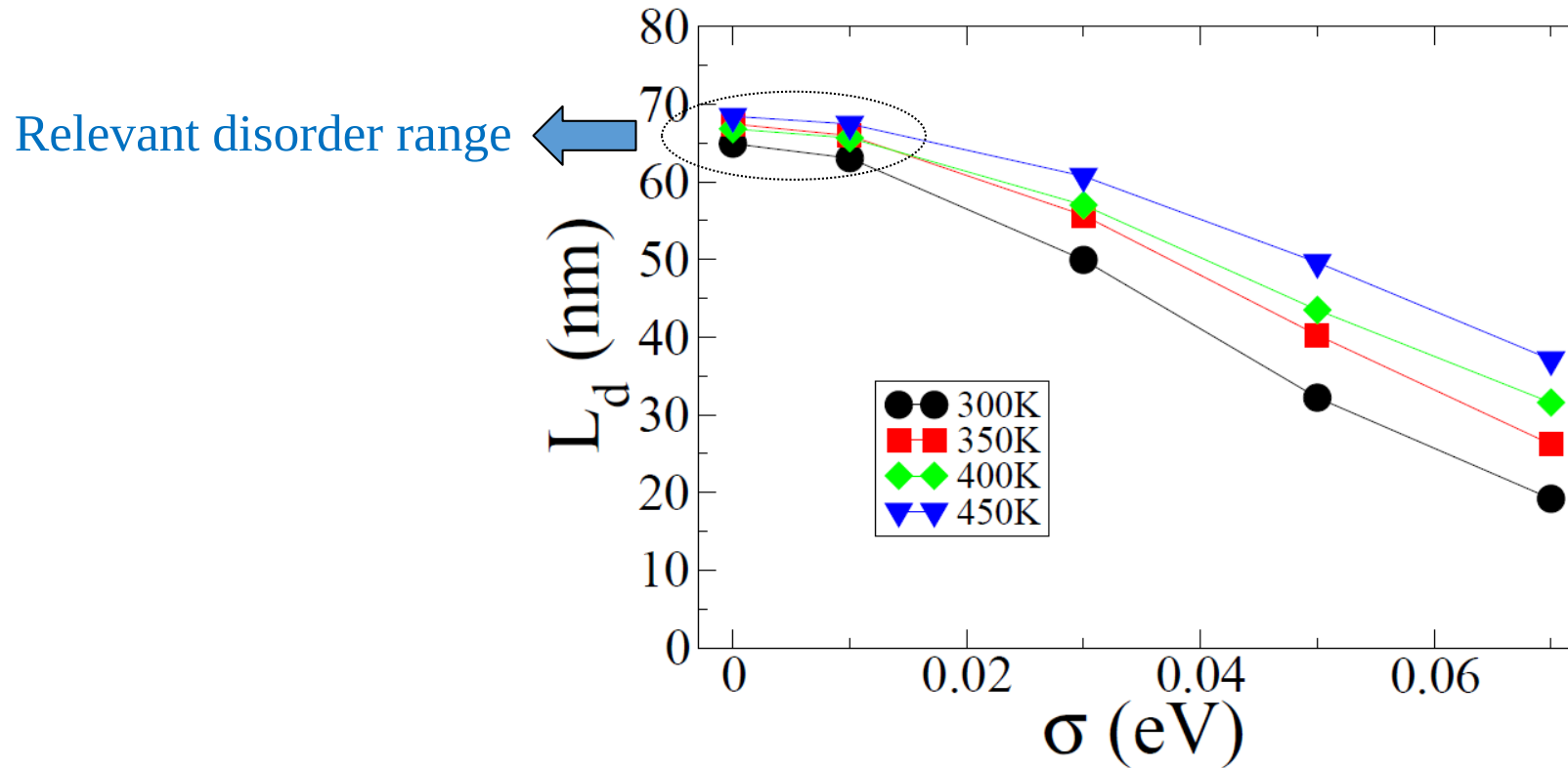
$$\mathbf{i} \quad k_{ij} = f[|V_{ij}|^2, J(pl_i, abn_j)]$$

$$\mathbf{j} \quad k_{ji} = f[|V_{ji}|^2, J(pl_j, abn_i)]$$



# Influence on diffusion length

Each random shift is chosen for each chromophore from a Gaussian distribution of width  $\sigma$  centred on  $\mu = 0.0$  eV.



However, an inhomogeneous broadening of only 0.014 eV has been reported for similar step ladder type paraphenylene oligomers [Wiesenhofer et. al. *Adv. Funct. Mater.* 18, 310 (2006)].

# Conclusions of Part II

- In this work we have studied the influence of morphology on exciton dynamics.
- We have looked at the temperature dependence of exciton diffusion and found that the diffusion length does not depend on T.
- Positional/orientational disorder doesn't seem to have a strong effect on the diffusion length, showing that temperature is not a limitation to exciton diffusion dynamics.
- Liquid crystalline oligomeric materials could be promising candidates to engineer optoelectronic devices that require stable and controlled electronic properties over a wide range of temperatures and supramolecular arrangements.

# Acknowledgements

## Part I

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Dr. Jens Meyer, Princeton, USA

Prof. Antoine Kahn, Princeton, USA

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- Dr. Luca Muccioli, Bologna, IT

- Dr. Stavros Athanasopoulos, Mons, BE

- Prof. David Beljonne, Mons, BE



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Natural Sciences

