

Prediction of two-dimensional organic topological insulator bases in Metal-DCB lattices

許嘉修

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Collaborators

Computational calculation



Prof. Feng-Chuan Chuang (National Sun Yat-Sen University)
Dr. Zhi-Quan Huang (National Sun Yat-Sen University)
Gennevieve M. Macam (National Sun Yat-Sen University)



Prof. Li Huang's group (Southern University
of Science and Technology, China)

I was a postdoc (2016.09-2018.09)

Experiment



Prof. Nian Lin's group (The Hong Kong University of
Science and Technology, Hong Kong)

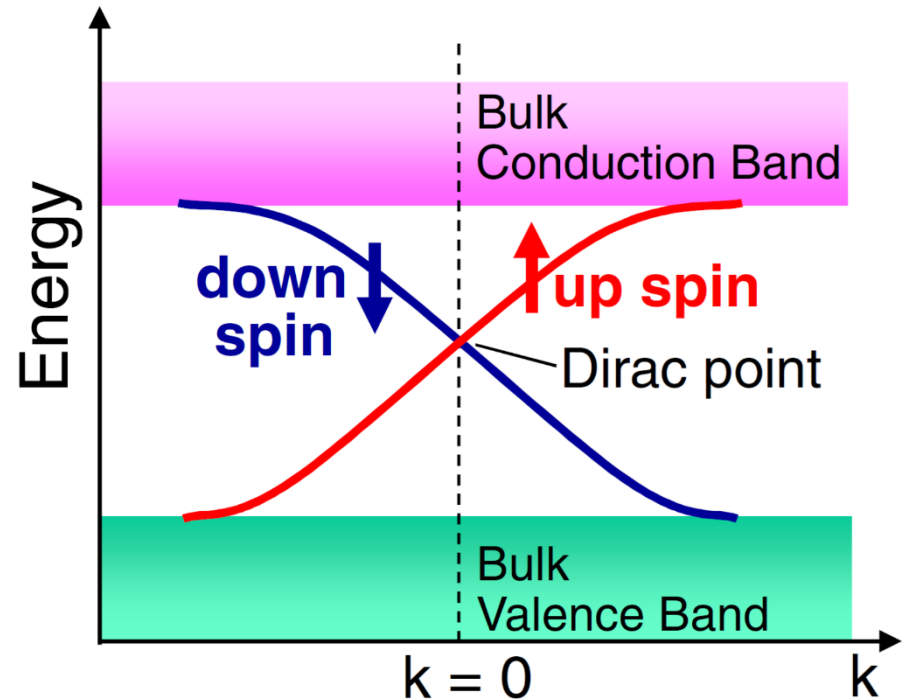
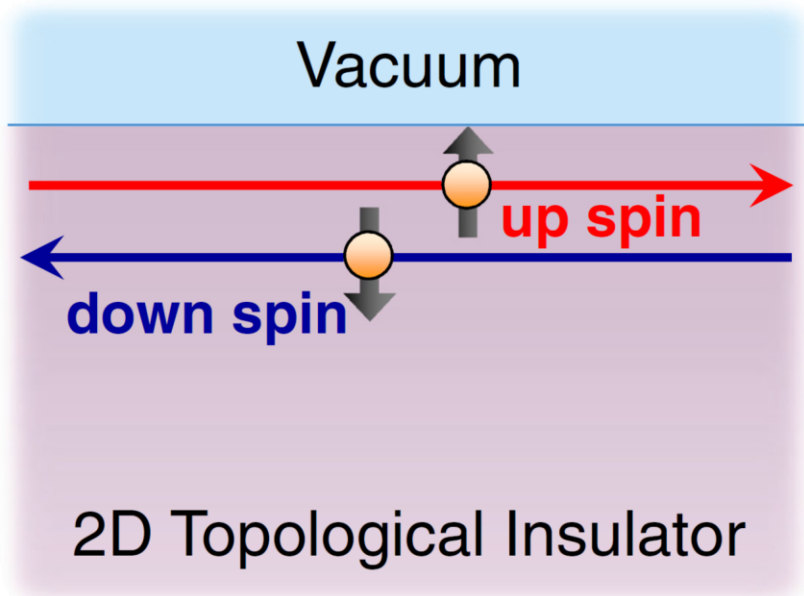
The growth of self-assembly metal-organic frameworks

Outline

1. **Introduction**
2. Prediction of two-dimensional organic topological insulator bases in Metal-DCB lattices
3. Synthesis and characterization of a single-layer conjugated metal–organic structure featuring a non-trivial topological gap

2D Topological Insulator

A topological insulator is a material that behaves as an insulator in its interior but whose surface contains conducting states.



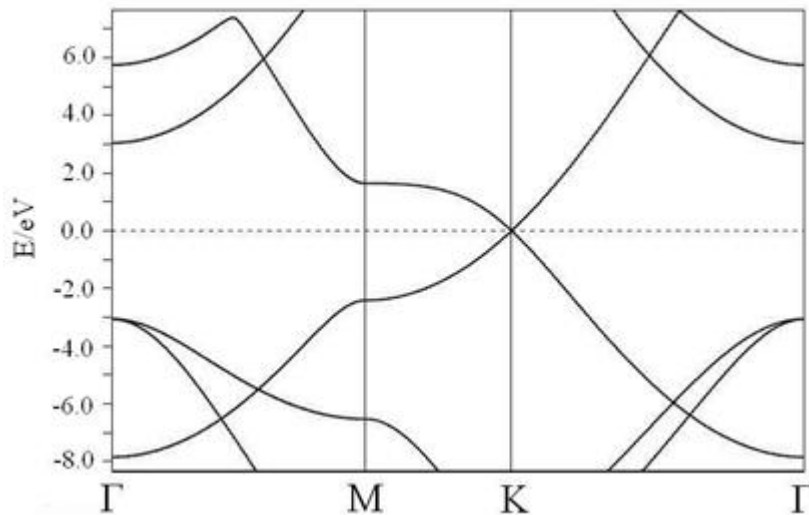
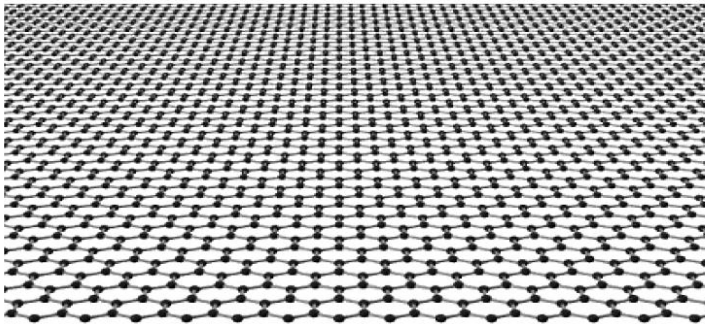
➤ Spin-orbit-coupling(SOC)

Topological insulator has two crucial features.

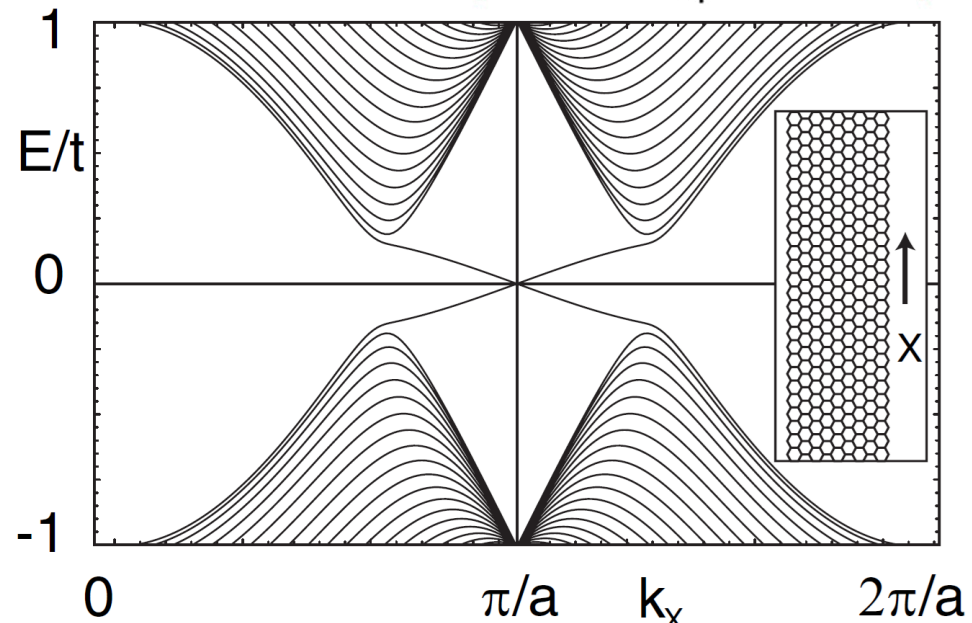
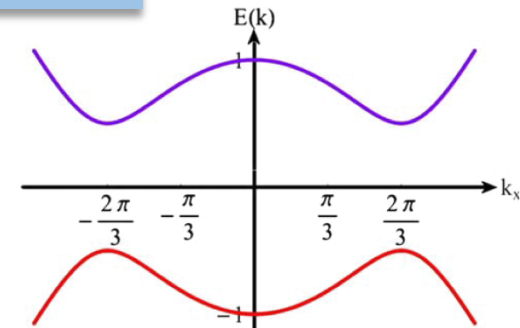
1. SOC → edge state → **quantum spin Hall effect**
2. Time reversal symmetry → no back-scattering

Quantum Spin Hall in graphene

Graphene



Graphene ribbon



Previous works

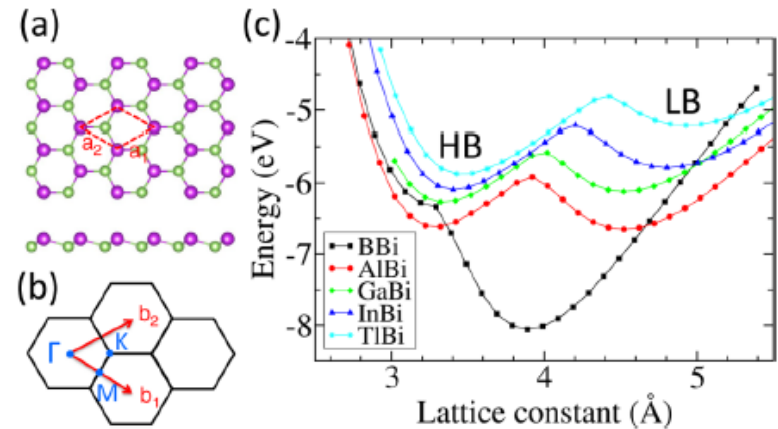
◆ Free standing 2D topological material

➤ Honeycomb structure:

- V elements: Sb, Bi
- III-V compounds: GaBi, TlBi, etc.

➤ Atomic adsorption:

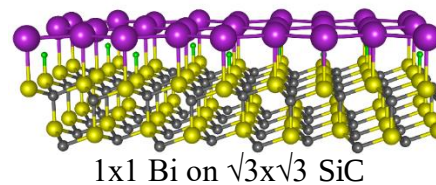
- Hydrogen and halogen atoms
- Magnetic doping: Fe, Co, Ni, Mn



◆ Substrate-supported 2D topological material

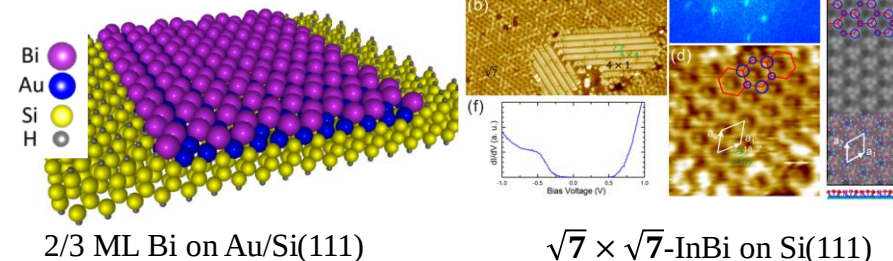
➤ Honeycomb structure:

- Bismuthene on SiC(0001)
- Stanene on Ge(111)
- GaBi on Si(111)



➤ Surface alloys:

- Group III-VI elements on AuSi(111)
- InBi alloy on Si(111)



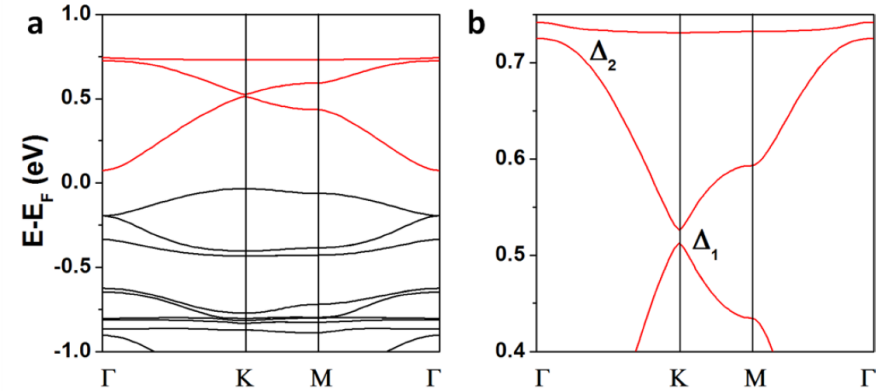
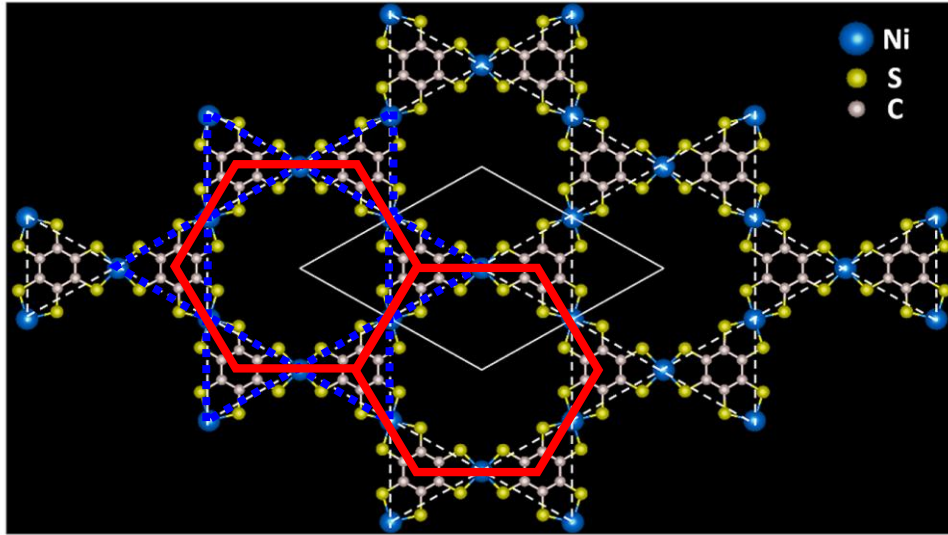
Outline

1. Introduction
2. **Prediction of two-dimensional organic topological insulator bases in Metal-DCB lattices**
3. Synthesis and characterization of a single-layer conjugated metal–organic structure featuring a non-trivial topological gap

Prediction of a Two-Dimensional Organic Topological Insulator

Z. F. Wang, Ninghai Su, and Feng Liu*

Ni₃C₁₂S₁₂: $\Delta_1 = 13.6 \text{ meV}, \Delta_2 = 5.8 \text{ meV}$

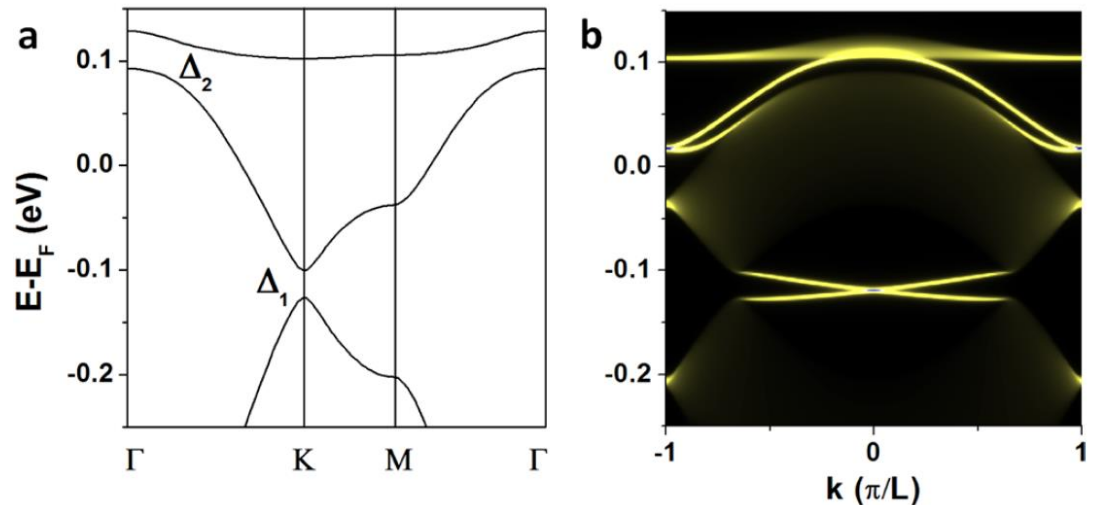


Au₃C₁₂S₁₂: $\Delta_1 = 22.7 \text{ meV}, \Delta_2 = 9.5 \text{ meV}$

The Chern number and spin Chern number are defined as

$$C = C_{\uparrow} + C_{\downarrow} \quad C^s = \frac{1}{2}(C_{\uparrow} - C_{\downarrow})$$

Nano Lett. 2013, 13, 2842–2845



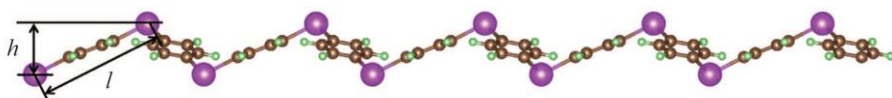
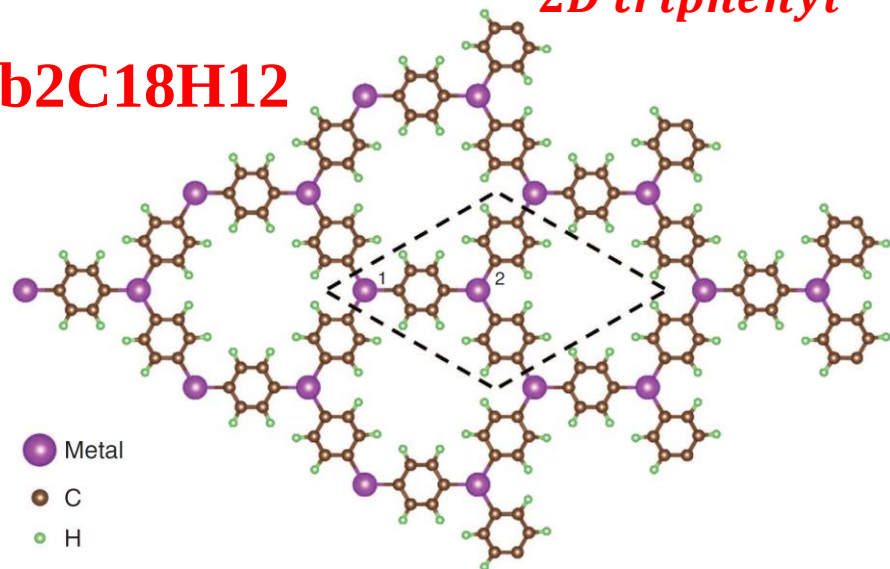
Organic topological insulators in organometallic lattices

triphenyl-lead (TL) [$\text{Pb}(\text{C}_6\text{H}_5)_3$]

Z.F. Wang¹, Zheng Liu¹ & Feng Liu¹

$\text{Pb}_2\text{C}_{18}\text{H}_{12}$

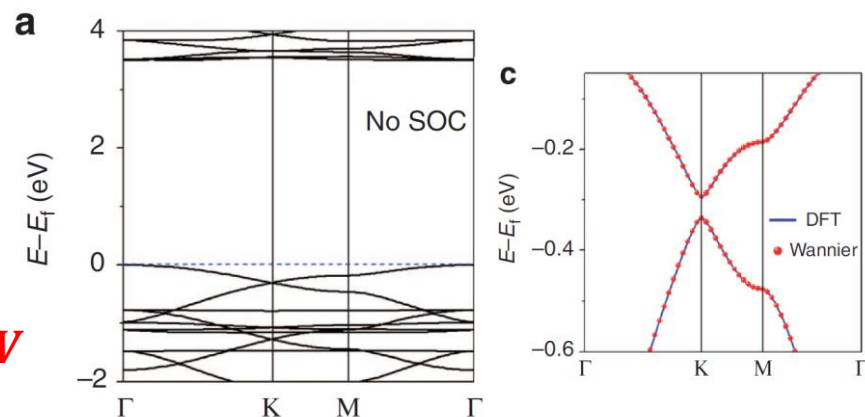
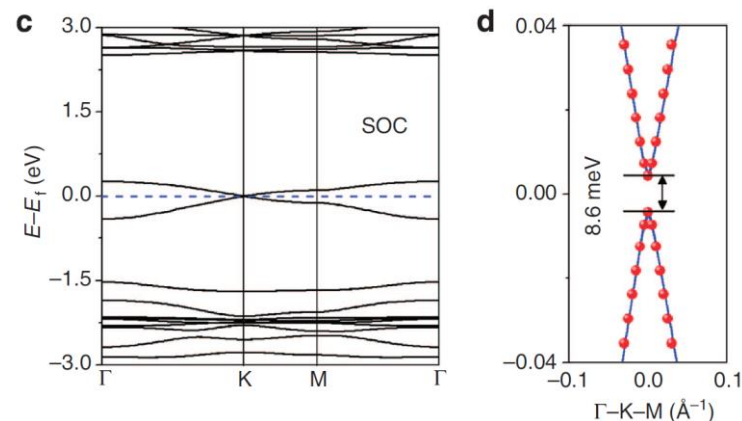
2D triphenyl – lead: gap = 8.6 meV within Fermi Level



Buckled : Pb $6s^26p^2$ electronic configuration that favors the sp^3 hybridization

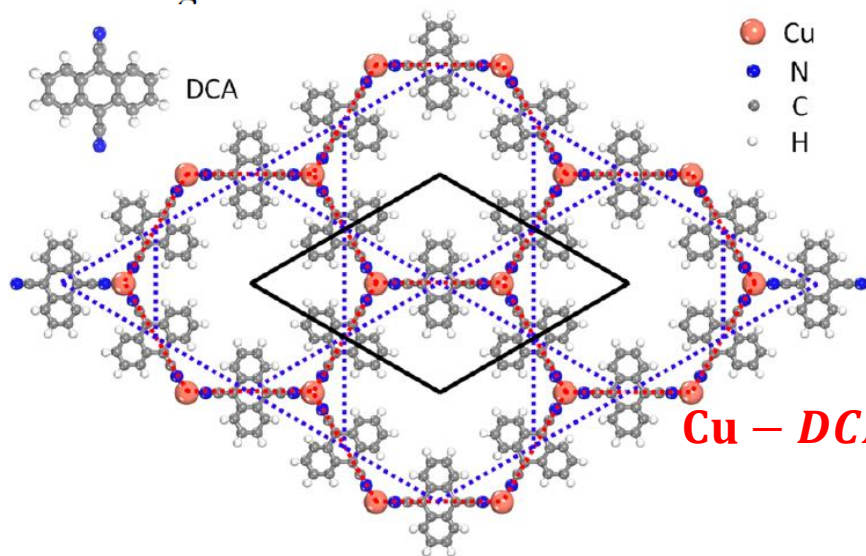
2D triphenyl – bismuth: gap = ~ 43 meV, but Fermi Level is shifted above ~ 0.31 eV

Nat. Commun. 2013, 4, 1471.



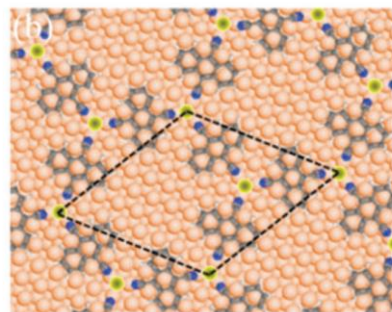
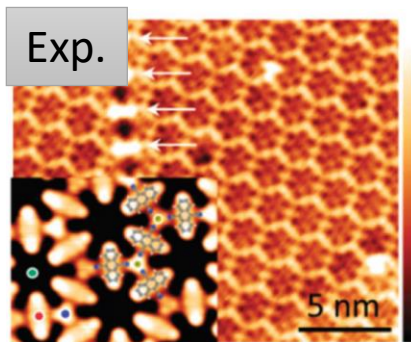
Intrinsic Two-Dimensional Organic Topological Insulators in Metal–Dicyanoanthracene Lattices

L. Z. Zhang,^{†,‡,§} Z. F. Wang,^{§,⊥} B. Huang,[§] B. Cui,[§] Zhiming Wang,^{*,†} S. X. Du,^{*,‡} H.-J. Gao,[‡]
and Feng Liu^{*,§,||}

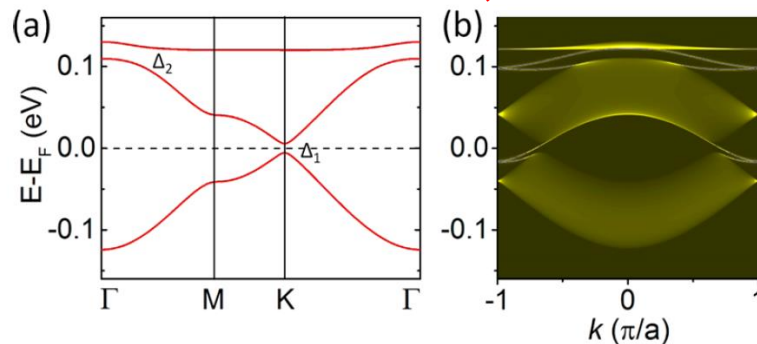
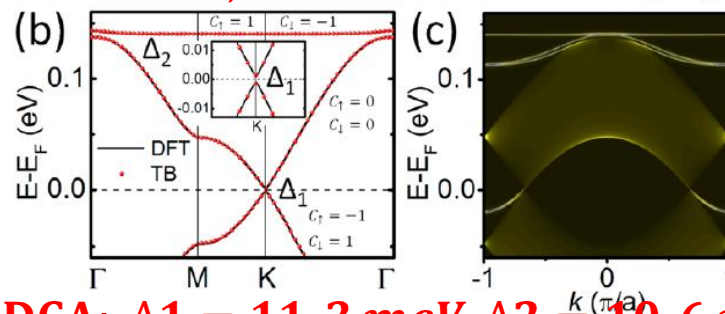
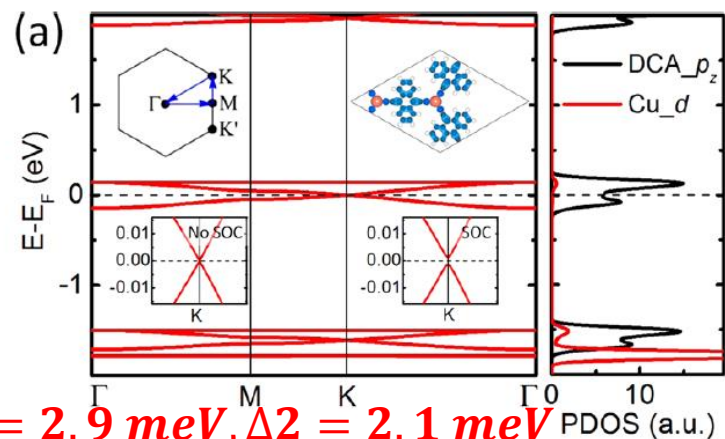


Cu – DCA: $\Delta_1 = 2.9 \text{ meV}$, $\Delta_2 = 2.1 \text{ meV}$

intrinsic 2D OTI without the need of doping



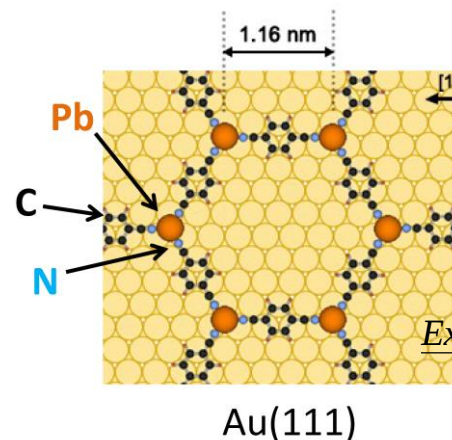
Au – DCA: $\Delta_1 = 11.3 \text{ meV}$, $\Delta_2 = 10.6 \text{ meV}$



Chem. Commun., 2014, 50, 12289

Nano Lett. 2016, 16, 2072–2075

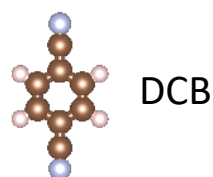
Nano Lett. 2016, 16, 2072–2075



Experiment group at HKUST



DCA



2. Pb  group III-VI

b	9 / VIIb	10 / VIIb	11 / Ib	12 / IIb	26.982 (Fe 55.845)	28.086 (Fe 55.845)	30.974 (Fe 55.845)	32.065 (Fe 55.845)	35.463 (Fe 55.845)	3
27	28	29	30	31	32	33	34	35	36	
Co	Ni	Cu	Zn	Ga	Ge	As	Se	Br		
cobalt 58.933 (Fe 55.845)	nickel 58.693 (Fe 55.845)	copper 63.546 (Fe 55.845)	zinc 65.409 (Fe 55.845)	gallium 69.723 (Fe 55.845)	germanium 72.64 (Fe 55.845)	arsenic 74.922 (Fe 55.845)	selenium 78.96 (Fe 55.845)	bromine 79.904 (Fe 55.845)		
45	46	47	48	49	50	51	52	53	54	
Rh	Pd	Ag	Cd	In	Sn	Sb	Te	I		
rhodium 102.91 (Fe 55.845)	palladium 106.42 (Fe 55.845)	silver 107.87 (Fe 55.845)	cadmium 112.41 (Fe 55.845)	indium 114.82 (Fe 55.845)	tin 118.71 (Fe 55.845)	antimony 121.76 (Fe 55.845)	tellurium 127.60 (Fe 55.845)	iodine 126.90 (Fe 55.845)		
77	78	79	80	81	82	83	84	85	86	
Ir	Pt	Au	Hg	Tl	Pb	Bi	Po	At		
iridium 192.22 (Fe 55.845)	platinum 195.08 (Fe 55.845)	gold 196.97 (Fe 55.845)	mercury 200.59 (Fe 55.845)	thallium 204.38 (Fe 55.845)	lead 207.2 (Fe 55.845)	bismuth 208.98 (Fe 55.845)	polonium [209] (Fe 55.845)	astatine [210] (Fe 55.845)		
109	110	111	112	113	114	115	116	117	118	
Cs	Ba	La	Ce	Pr	Nd	Pm	Sm	Eu	Gd	
cesium 132.91 (Fe 55.845)	barium 137.33 (Fe 55.845)	lanthanum 138.91 (Fe 55.845)	cerium 140.12 (Fe 55.845)	praseodymium 140.91 (Fe 55.845)	neodymium 144.24 (Fe 55.845)	promethium [145] (Fe 55.845)	samarium 150.36 (Fe 55.845)	euroium 151.96 (Fe 55.845)	gadolinium 157.25 (Fe 55.845)	

Computation Packages and Method

◆ Vienna Ab-Initio Simulation Package (VASP)

Our first-principles calculations were performed within the framework of the density functional theory (DFT) utilizing the generalized gradient approximation (GGA). Projector-augmented-wave (PAW) wave functions were used in VASP

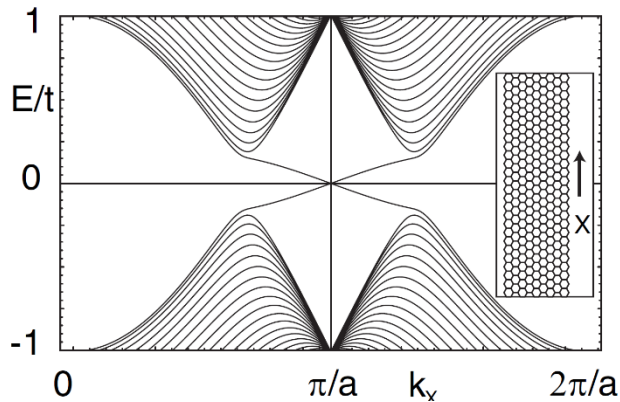


◆ Wannier90: A tool for obtaining maximally-localised Wannier functions

Berry curvature, Chern number and edge states were calculated with the Hamiltonian obtained from maximally-localized Wannier functions obtained via the WANNIER90 package

Find a topological insulator

Topologically protected Edge state



Phys. Rev. Lett. 95, 226801 (2005)

Z_2 invariant

Z_2 is the topological number

$Z_2 = 1$ The **nontrivial** topological phase

$Z_2 = 0$ The **trivial** topological phase

The white and black circles denote $n = 1$ and -1 , respectively, while the blank denotes 0. The Z_2 invariant is obtained by summing the n field over half of the tori.

T. Fukui and Y. Hatsugai, J. Phys. Soc. Japan. 76, 053702 (2007)

Parity analysis

$$(-1)^\nu = \prod_{i=1}^4 \delta(K_i) = \delta(\Gamma)\delta(M)^3$$

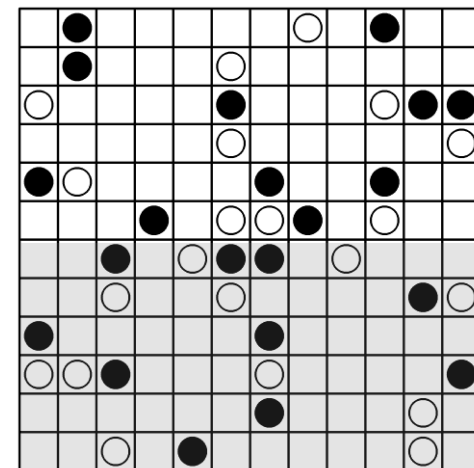
TABLE I. The total parity at the Γ and M points and the Z_2 number of Bi (111) films with different thickness.

No. of BLs	1	2	3	4	5	6	7	8
$\delta(\Gamma)$	+	+	-	-	+	+	-	-
$3\delta(M)$	-	-	+	+	-	-	+	+
ν	1	1	1	1	1	1	1	1

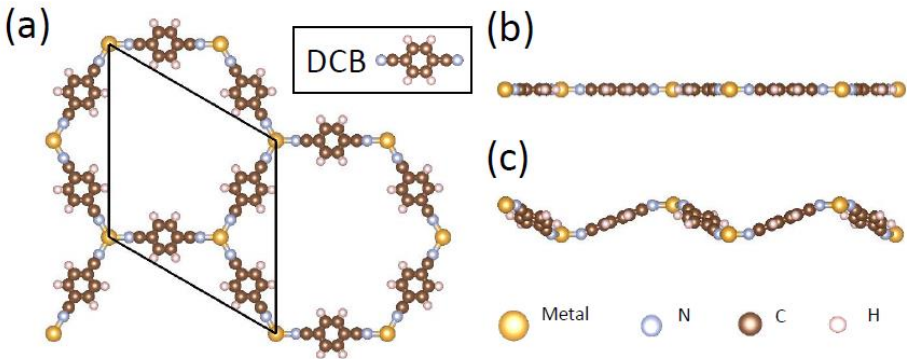
Phys. Rev. Lett. 95, 226801 (2005)

Phys. Rev. Lett. 107, 136805 (2011)

$$Z_2 = 1$$



Atomic structure of M-DCB

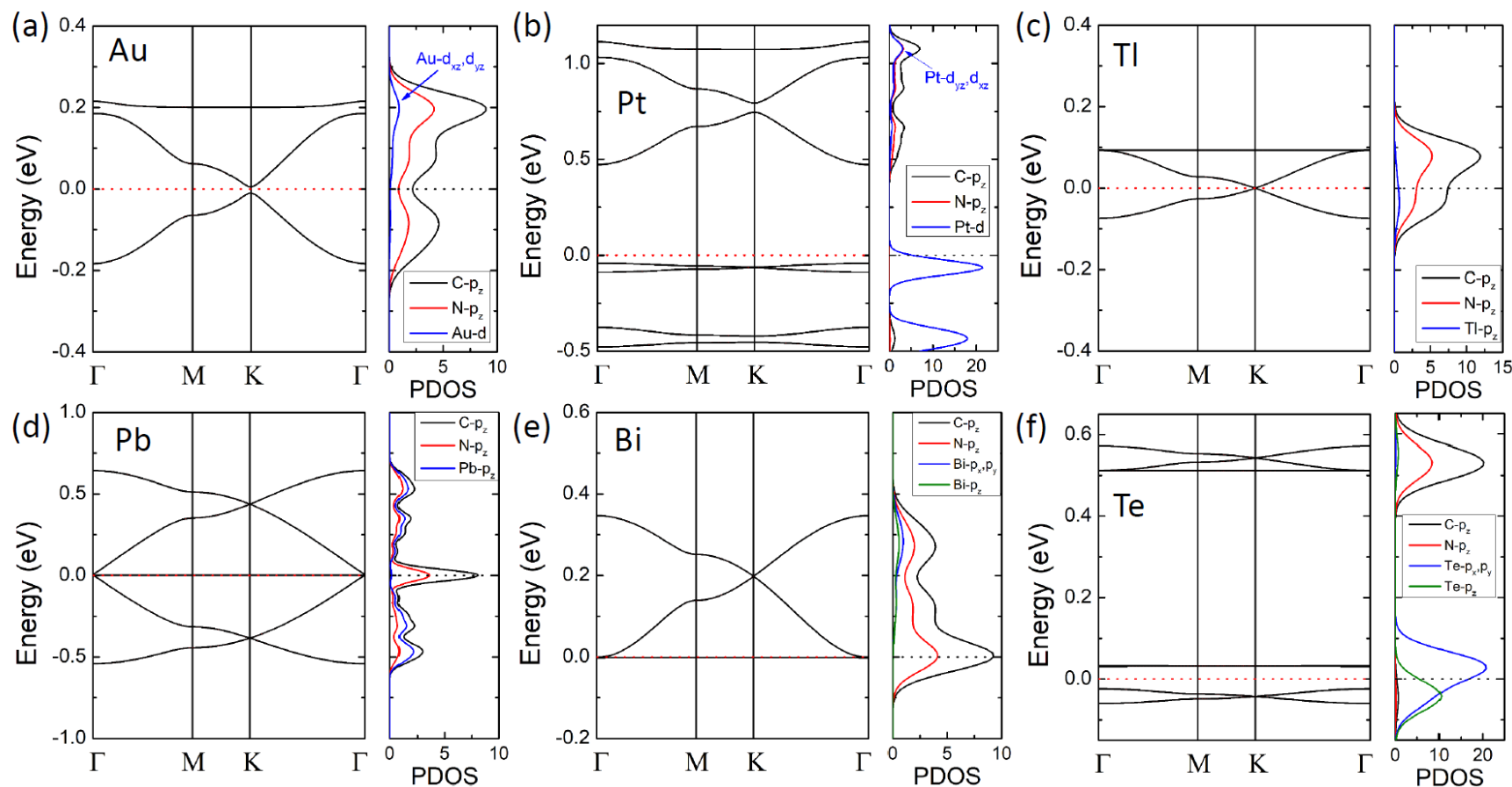


Stability of Atomic structure

	Planar Phase (PL)				Buckled Phase (BK)				$\Delta E = E_{BK} - E_{PL}$
	Latt.	Gap	Z_2		Latt.	Gap	d_{BK}	Z_2	
		(meV)				(meV)	(Å)		
Pt	20.72	514.5	0			NA			
Cu	20.29	3.3	1			NA			
Ag	21.21	3.0	1	20.10	0.8	1.298	1	-0.002	
Au	20.99	14.3	1	19.70	14.6	3.575	1	-0.012	
In	23.29	0.1	1			NA			
Tl	23.55	0.2	1			NA			
Sn	22.35	0.3	1			NA			
Pb	22.56	0.7	1			NA			
Sb	21.84	0.3	1	18.36	26.3	5.970	1	-0.229	
Bi	22.07	1.0	1	18.55	46.4	6.019	1	-0.256	
Te	24.93	54.9	0	16.84	175.6	6.586	1	-0.486	

Representative band structures with SOC and PDOS

In planar phase



Strain and edge state of Au-DCB model

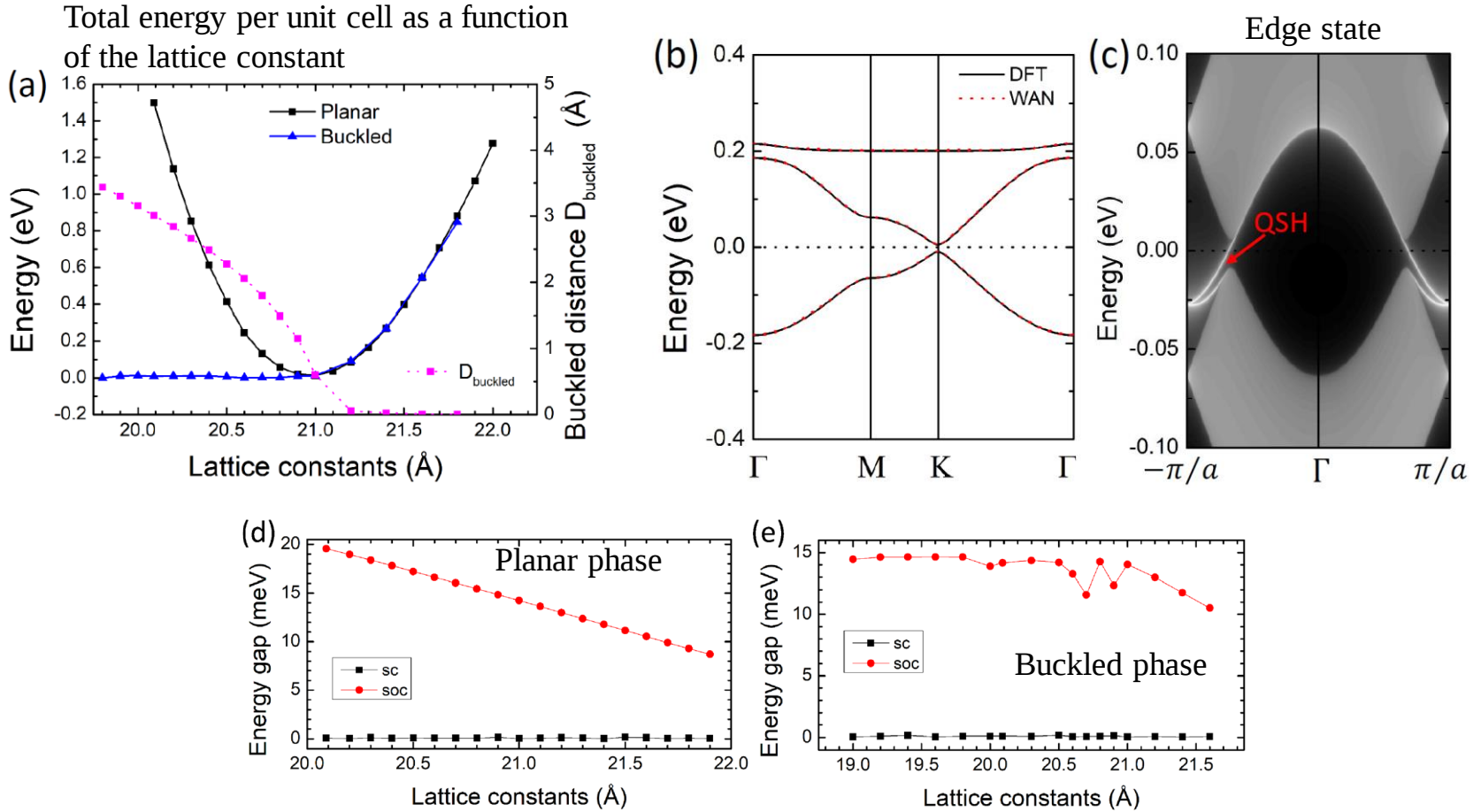


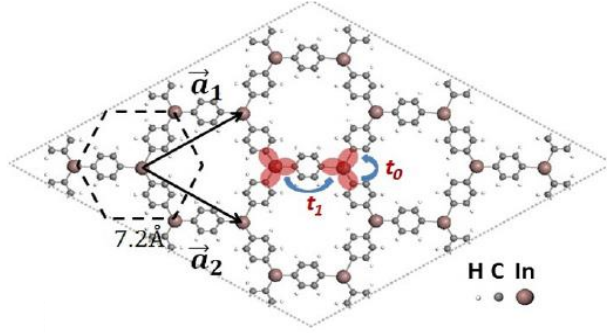
FIG. 3. (a) Total energy per unit cell as a function of the lattice constant for Au-DCB. The planar and buckled configurations are marked by black squares and blue triangles, respectively. The pink squares represent the buckling height d_{BK} between the adjacent Au atoms in a unit cell. (b) The first-principles band structure (black lines) is compared with the corresponding results obtained from a Wannier90-based tight-binding fit (red dashed lines) for the Au-DCB model. (c) is the LDOS of edge states in Au-DCB. The energy gap as a function of lattice constant for (d) PL and (e) BK phases. The red and black lines with markers are the gaps with and without the SOC, respectively.

Flat Chern Band in a Two-Dimensional Organometallic Framework

Zheng Liu,¹ Zheng-Fei Wang,¹ Jia-Wei Mei,² Yong-Shi Wu,^{3,4} and Feng Liu^{1,*}

PRL 110, 106804 (2013)

2D indium-phenylene organometallic framework (IPOF)



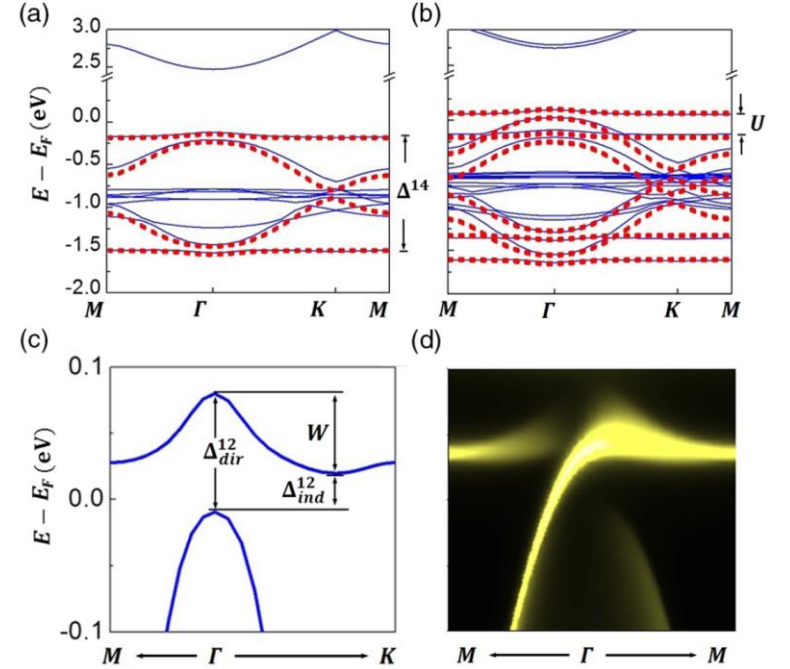
$$H_{\text{eff}, \sigma_z = \pm 1}(k) = H_{\text{hop}}(k) + H_{\text{SOC}, \sigma_z}^0 + H_{\text{Zeeman}}$$

$$\text{Eq. (8)} \quad = -t_1 \begin{pmatrix} 0 & 0 & V_{xx} & V_{xy} \\ 0 & 0 & V_{xy} & V_{yy} \\ V_{xx}^* & V_{xy}^* & 0 & 0 \\ V_{xy}^* & V_{yy}^* & 0 & 0 \end{pmatrix} + \sigma_z \lambda \begin{pmatrix} 0 & -i & 0 & 0 \\ i & 0 & 0 & 0 \\ 0 & 0 & 0 & -i \\ 0 & 0 & i & 0 \end{pmatrix} + \sigma_z M.$$

TABLE I. Energy scales associated with the FCB in the IPOF.

Property	Symbol	Value	Reference
Bandwidth	W	60 meV	Figure 2(c)
Spin splitting	U	100 meV	Figure 2(b)
Debye temperature	ω_d	300 meV	Figure S1 [14]
Energy gap	Δ_{dir}^{12}	90 meV	Figure 2(c)
	Δ_{ind}^{12}	30 meV	Figure 2(c)
	Δ^{14}	1.4 eV	Figure 2(a)

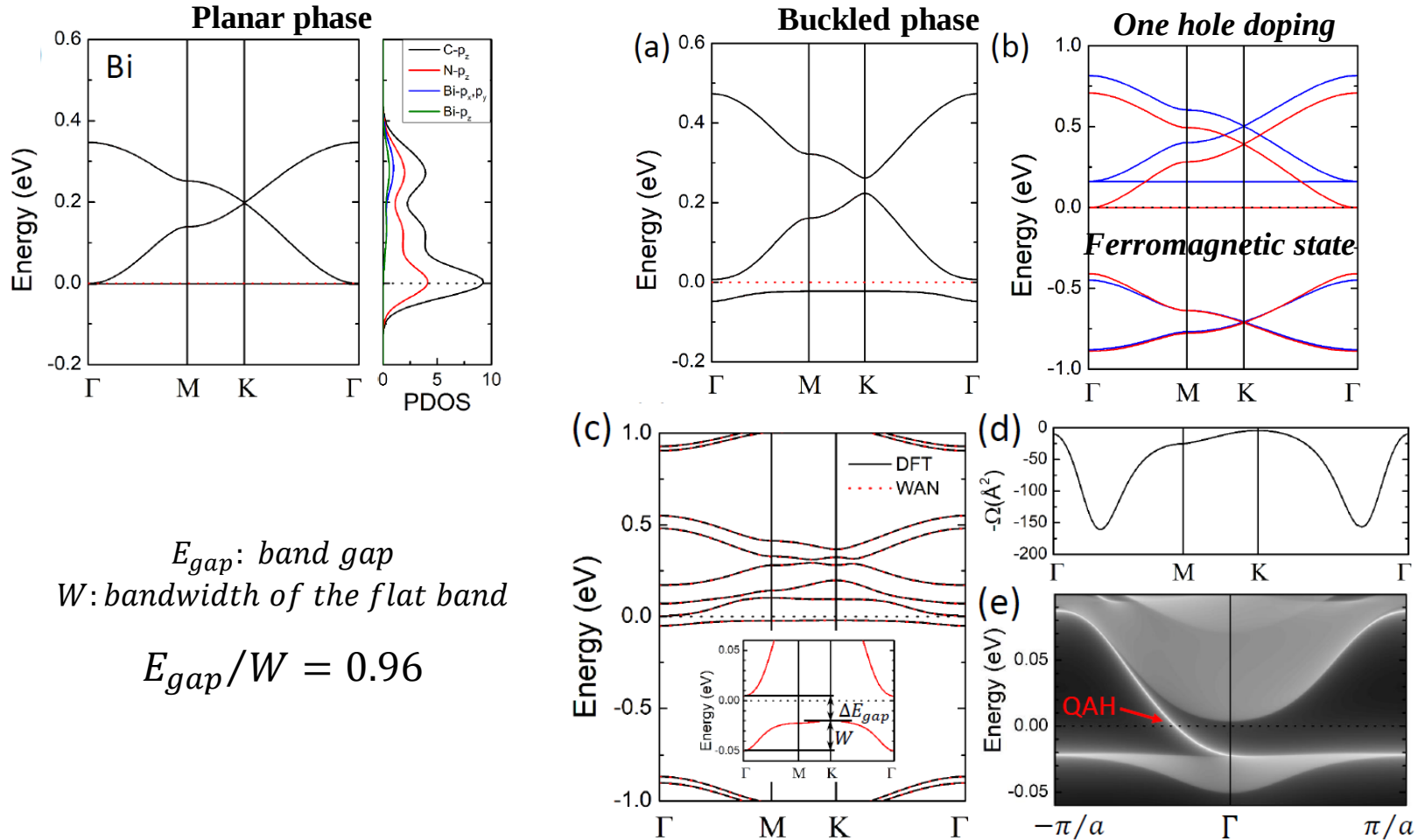
$$\Delta_{\text{ind}}^{12}/W = 0.50$$



(a) Band structure with SOC. (b) Band structure with SOC when doping one hole into the unit cell. The solid (blue) curves are DFT results. The dashed (red) curves are from model Hamiltonian Eq. (8) with parameters (a) $t_1 = 0.7 \text{ eV}$, $\lambda = 0.05 \text{ eV}$, $M = 0$ (b) $t_1 = 0.7 \text{ eV}$, $\lambda = 0.05 \text{ eV}$, $M = 0.1 \text{ eV}$. (c) Zoomed-in band plot around the Fermi level. (d) Momentum-resolved edge density of states of a semi-infinite IPOF with SOC and doping.

The emergence of the fractional quantum Hall state requires further enlarging the energy gap Δ^{12} and reducing the bandwidth W to satisfy the condition $\Delta \gg U > W$

Bi-DCB model with one hole doping



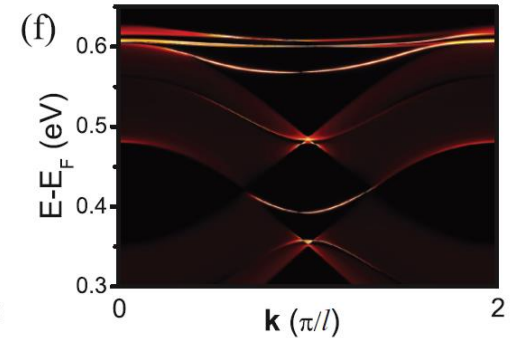
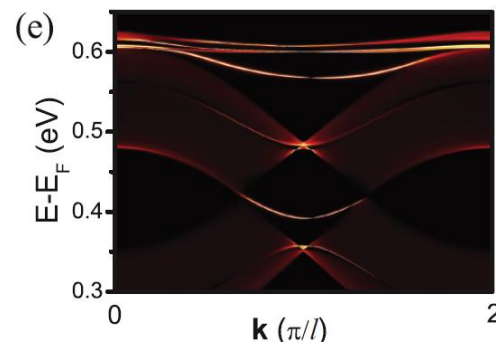
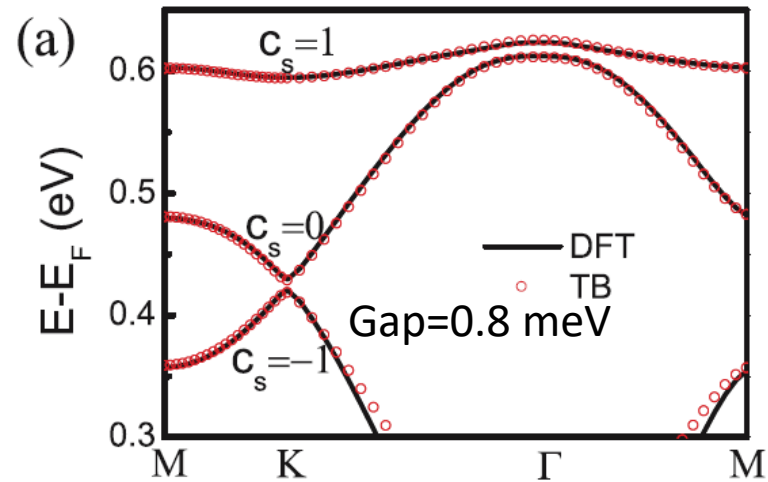
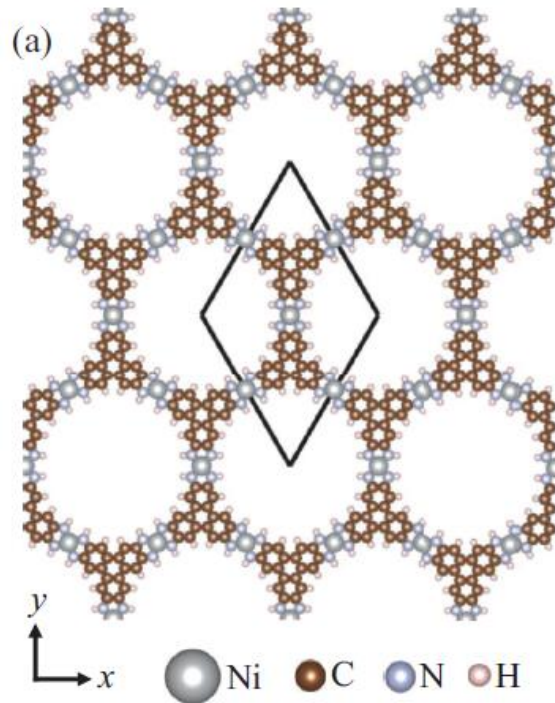
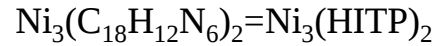
(a) Band structure of Bi-DCB in the BK phase at the lattice constant of 21.08Å with SOC interaction. Band structures of Bi-DCB with one hole doping for (b) spin-polarized calculation. Further inclusion of SOC is shown in (c). The inset figure in (c) is a zoom-in near the Fermi level. The black solid and red dashed lines represent the results of the first-principles calculation and Wannier90-based tight-binding fit, respectively. (d) is the Berry curvature computed using Wannier90-based tight-binding Hamiltonian. (e) is LDOS of the edge state for a semi-infinite Bi-DCB with SOC and doping

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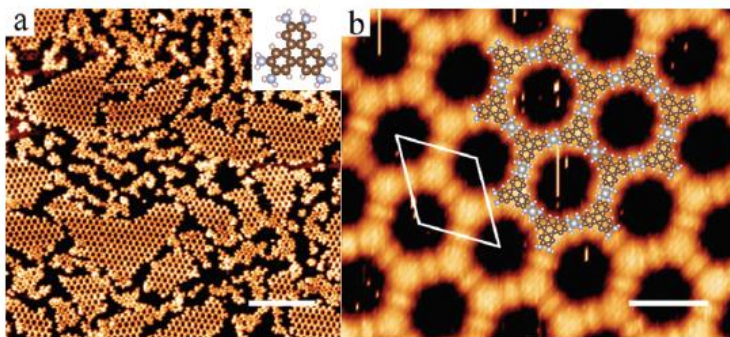
Quantum spin Hall and Z_2 metallic states in an organic material

Bao Zhao,¹ Jiayong Zhang,¹ Wanxiang Feng,² Yugui Yao,² and Zhongqin Yang^{1,*}

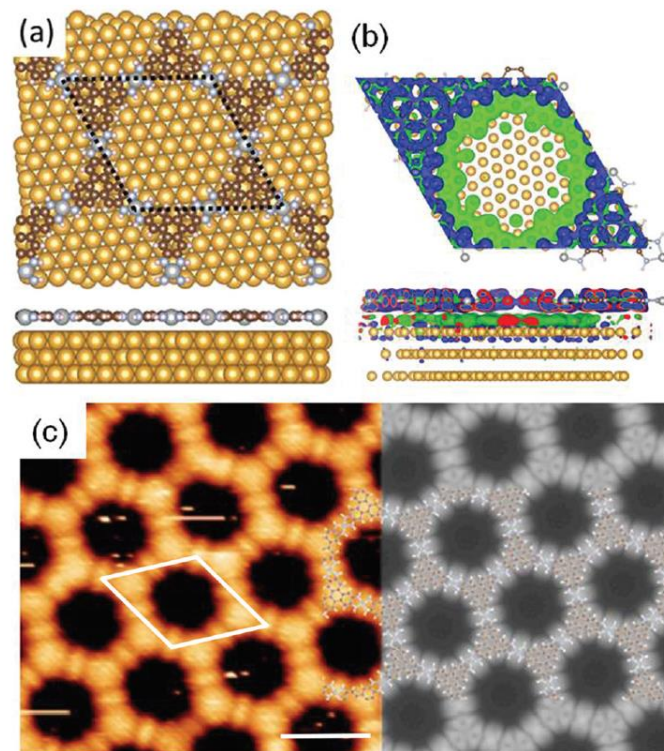


Results and Discussion

STM image



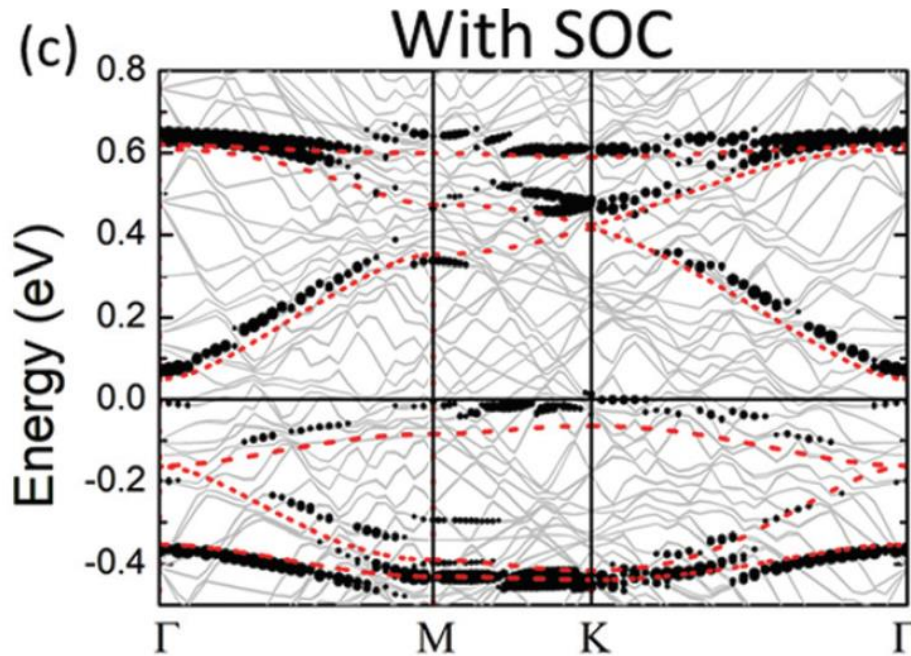
Single-layer $\text{Ni}_3(\text{HITP})_2$ network self-assembled on $\text{Au}(111)$. (a) An overview STM image (inset: a molecular model of the HITP molecule, C: brown, N: blue, H: pink). Scale bar: 20 nm. (b) A high-resolution STM image overlaid with a molecular model (Ni: large blue balls). Scale bar: 2 nm.



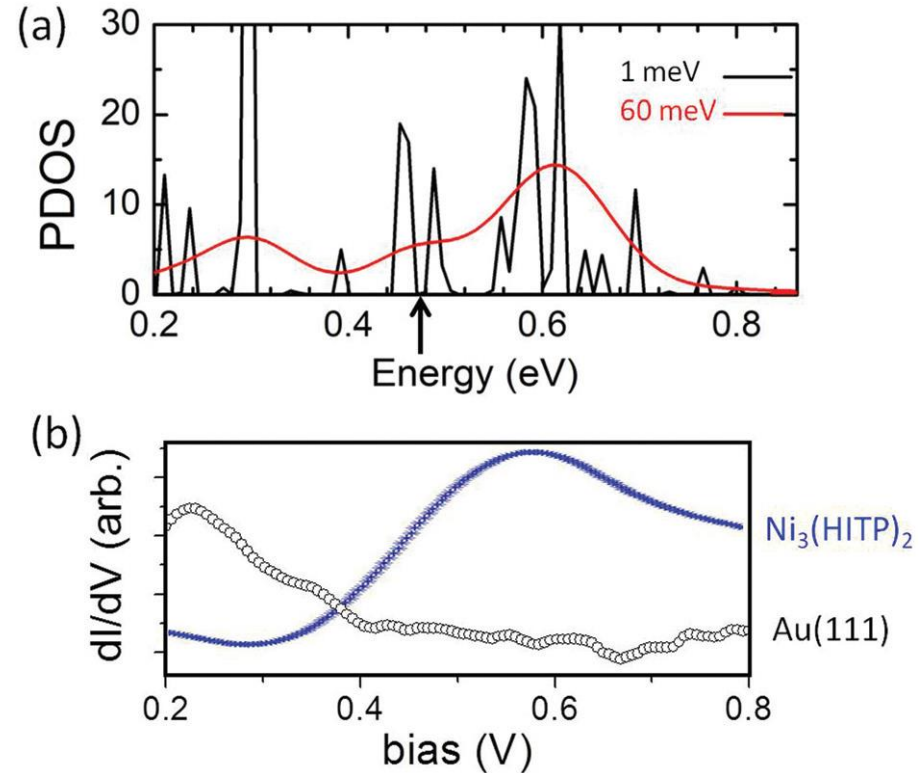
(a) DFT optimized structure of the $\text{Ni}_3(\text{HITP})_2$ single layer adsorbed on a $\text{Au}(111)-\sqrt{57} \times \sqrt{57}$ substrate. (b) Top and side views of charge transfer at an isosurface level of $2.87 \times 10^{-4} e a^{-3}$ (a stands for Bohr radius). Green (blue) color represents charge accumulation (depletion), respectively. (c) Experimental (left) and simulated (right) STM images. Scale bar: 2 nm.

Results and Discussion

Electronic properties



DFT-calculated band structures of the $\text{Ni}_3(\text{HITP})_2$ layer adsorbed on a $\text{Au}(111)-\sqrt{57} \times \sqrt{57}$ substrate with SOC. The black solid circles indicate the contribution (more than 60%) of the $\text{Ni}_3(\text{HITP})_2$ network. The red dotted lines are the bands of a free-standing $\text{Ni}_3(\text{HITP})_2$ network.



(a) DFT-calculated projected density of states (PDOS) of the $\text{Ni}_3(\text{HITP})_2$ monolayer (black: 1 meV smearing; red: 60 meV smearing). (b) Differential tunneling spectrum acquired at the $\text{Ni}_3(\text{HITP})_2$ network (blue) and $\text{Au}(111)$ surface (open dots).

Summary

- 1. Prediction of two-dimensional organic topological insulator bases in Metal-DCB lattices**
 - An intrinsic organic topological insulator in Au-DCB lattice
 - A flat Chern band in Bi-DCB with one hole doping.
- 2. Synthesis and characterization of a single-layer conjugated metal–organic structure featuring a non-trivial topological gap**
 - To conduct quantum transport measurements and to explore the functionality of this system, future work of growing or transferring the single layer to an insulating substrate is highly desirable.

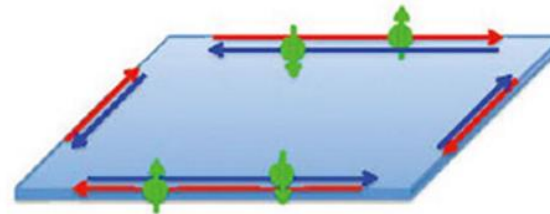
Thank you for your attention

成果

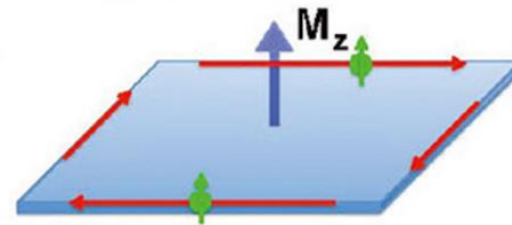
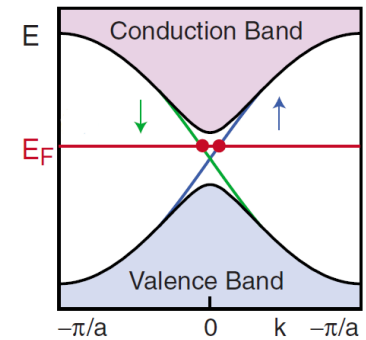
1. **Chia-Hsiu Hsu**, et al.,” Prediction of two-dimensional organic topological insulator bases in Metal-DCB lattices”.(Preparing)
2. **Chia-Hsiu Hsu**, et al.,”Growth of a predicted two-dimensional topological insulator based on InBi-Si(111)- $\sqrt{7} \times \sqrt{7}$ ”, Phys. Rev. B **98**, 121404 (2018).
3. **Chia-Hsiu Hsu**, et al., ”*Quantum anomalous Hall insulator phase in asymmetrically functionalized germanene*”, Phys. Rev. B **96**, 165426 (2017).
4. Xiao-Bo Wang, Xiao-Ming Ma, Eve Emmanouilidou, Bing Shen, **Chia-Hsiu Hsu**, et al., ” *Topological surface electronic states in candidate nodal-line semimetal CaAgAs*”, Phys. Rev. B **96**, 161112(R) (2017).
5. Christian P. Crisostomo¹, Zhi-Quan Huang¹, **Chia-Hsiu Hsu**, et al., “Chemically induced large-gap quantum anomalous Hall insulator states in III-Bi honeycombs”, npj Computational Materials 3, 39 (2017).

Quantum spin and Quantum anomalous Hall Effect

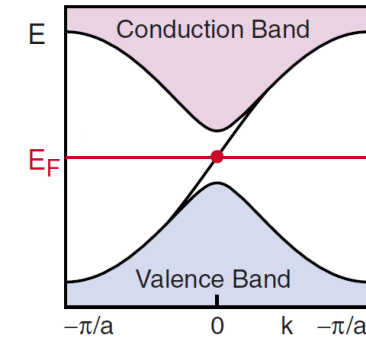
- 2D Topological insulator (QSH)
- Time-reversal symmetry
- Characterized by the Z_2 invariant
 - if $Z_2 = 0$, trivial phase
 - if $Z_2 = 1$, non-trivial phase
- QAH insulator
- Breaking of TRS.
- Characterized by the *Chern* number, requires $C \neq 0$,



Quantum Spin Hall effect



Quantum Anomalous Hall effect



M. Z. Hasan and C. L. Kane Rev. Mod. Phys. 82, 3045 (2010)

A way to realize QAH effect in a viable material:

1. it must be ferromagnetic insulating materials,
2. and has topologically non-trivial electronic band structures.

[QAH search: A good start is a known QSH material](#)

Chern number

We identify the topological properties of each structure, by following the similar method in Ref[1] by calculating the **Chern number**[2,3]

$$C = \frac{1}{2\pi} \sum_n \int_{BZ} d^2k \Omega_n,$$

The Hall conductance is the sum of Chern numbers of all occupied bands in unit of e^2/h .

where Ω_n is n th band **Berry curvature** in k -space[2,4]. The Berry curvature $\Omega(\mathbf{k})$, is calculated using the Kubo formula[2,5] by using the maximally-localized Wannier functions as provided by the **WANNIER90** package[6].

The edge state of nanoribbons were calculated using the tight-binding method with parameterizations from the **WANNIER90** package.

[1] *Phys. Rev. B* **82**, 161414(R) (2010)

[2] *Phys. Rev. Lett.* **49**, 405 (1982)

[3] *Ann. Phys. N.Y.* **160**, 343 (1985)

[4] *Phys. Rev. B* **53**, 7010 (1996)

[5] *Phys. Rev. Lett.* **92**, 037204 (2004)

[6] *Comput. Phys. Commun.* **178**, 685–699 (2008)